## Subject: Maths

## Year: 11 (Foundation)

| Autumn HT 1 | Autumn HT 2 |  | Spring HT 2 | Summer HT 1 |
| :---: | :---: | :---: | :---: | :---: |
| Pythagoras and Trigonometry <br> By the end of the unit, students should be able to: <br> Understand, recall and use <br> Pythagoras' Theorem in 2D, including leaving answers in surd form and being able to justify if a triangle is right-angled or not; <br> Calculate the length of the hypotenuse and of a shorter side in a right-angled triangle, including decimal lengths and a range of units; <br> Apply Pythagoras' <br> Theorem with a triangle drawn on a coordinate grid; <br> Calculate the length of a line segment $A B$ given pairs of points; <br> Understand, use and recall the trigonometric ratios sine, cosine and tan, and apply them to find angles and lengths in general triangles in 2D figures; <br> Use the trigonometric ratios to solve 2D problems | Statistics, sampling and the averages <br> By the end of the sub-unit, students should be able to: <br> Specify the problem and: <br> plan an investigation; <br> decide what data to collect <br> and what statistical analysis is needed; <br> consider fairness; <br> Recognise types of data: <br> primary secondary, quantitative and qualitative; <br> Identify which primary data they need to collect and in what format, including grouped data; <br> Collect data from a variety of suitable primary and secondary sources; <br> Understand how sources of data may be biased and explain why a sample may not be representative of a whole population; | Similarity and congruence in 2D <br> By the end of the subunit, students should be able to: <br> Use the basic congruence criteria for triangles (SSS, SAS, ASA and RHS); <br> Solve angle problems involving congruence; <br> Identify shapes which are similar; including all circles or all regular polygons with equal number of sides; <br> Understand similarity of triangles and of other plane shapes, use this to make geometric inferences, and solve angle problems using similarity; | Responsive teaching based upon February Mock exam question level analysis. |  |

including angles of elevation and depression;

Round answers to appropriate degree of accuracy, either to a given number of significant figures or decimal places, or make a sensible decision on rounding in context of question;

Know the exact values of $\sin \theta$ and $\cos \theta$ for $\theta=0^{\circ}, 30^{\circ}$, $45^{\circ}, 60^{\circ}$ and $90^{\circ}$; know the exact value of $\tan \theta$ for $\theta=0^{\circ}$, $30^{\circ}, 45^{\circ}$ and $60^{\circ}$.

## Perimeter, Area and Volume

By the end of the sub-unit, students should be able to: - Indicate given values on a scale, including decimal value;

Know that measurements using real numbers depend upon the choice of unit;

Convert between units of measure within one system, including time and metric units to metric units of length, area and volume and capacity e.g. $1 \mathrm{ml}=1 \mathrm{~cm} 3$;

Make sensible estimates of a range of measures in everyday settings;

- Understand sample and population.

Calculate the mean, mode, median and range for discrete data;

Interpret and find a range of averages as follows:

- median, mean and range from a (discrete) frequency table;
range, modal class, interval containing the median, and estimate of the mean from a grouped data frequency table; mode and range from a bar chart;
median, mode and range from stem and leaf diagrams; mean from a bar chart; Understand that the expression 'estimate' will be used where appropriate, when finding the mean of grouped data using mid-interval values;

Compare the mean, median, mode and range (as appropriate) of two distributions using bar charts, dual bar charts, pictograms and back-toback stem and leaf;

Recognise the advantages and disadvantages between measures of average.

- Identify the scale factor of an enlargement of a shape as the ratio of the lengths of two corresponding sides;

Understand the effect of enlargement on perimeter of shapes;

Solve problems to find missing lengths in similar shapes;

Know that scale diagrams, including bearings and maps are 'similar' to the real-life examples.

## Transformations

By the end of the subunit, students should be able to:

- Identify congruent shapes by eye;

Understand that rotations are specified by a centre, an angle and a direction of rotation;

Find the centre of rotation, angle and

| Measure shapes to find perimeters and areas using a range of scales; <br> Find the perimeter of rectangles and triangles; <br> parallelograms and <br> trapezia; <br> compound shapes; <br> Recall and use the <br> formulae for the area of a triangle and rectangle; <br> Find the area of a trapezium and recall the formula; <br> Find the area of a parallelogram; <br> Calculate areas and perimeters of compound shapes made from triangles and rectangles; <br> Estimate surface areas by rounding measurements to 1 significant figure; <br> Find the surface area of a prism; <br> Find surface area using rectangles and triangles; Identify and name common solids: cube, cuboid, cylinder, prism, pyramid, sphere and cone; <br> Sketch nets of cuboids and prisms; | Straight Line Graphs <br> By the end of the subunit, students should be able to: <br> Use function machines to find coordinates (i.e. given the input $x$, find the output $y$ ); <br> Plot and draw graphs of $y$ $=a, x=a, y=x \text { and } y=-x ;$ <br> Recognise straight-line <br> graphs parallel to the axes; <br> Recognise that equations <br> of the form $y=m x+c$ <br> correspond to straight-line graphs in the coordinate plane; <br> Plot and draw graphs of straight lines of the form $y=m x$ <br> $+c$ using a table of values; <br> Sketch a graph of a linear <br> function, using the gradient and $y$-intercept; <br> Identify and interpret gradient from an equation $y=$ mx + c; <br> Identify parallel lines from their equations; <br> Plot and draw graphs of straight lines in the form ax + by = C; <br> Find the equation of a straight line from a graph; <br> Find the equation of the line through one point with a given gradient; | direction of rotation and describe rotations fully using the angle, direction of turn, and centre; <br> Rotate and draw the position of a shape after rotation about the origin or any other point including rotations on a coordinate grid; <br> Identify correct rotations from a choice of diagrams; <br> Understand that translations are specified by a distance and direction using a vector; <br> Translate a given shape by a vector; <br> Use column vectors to describe and transform 2D shapes using single translations on a coordinate grid; <br> Understand that distances and angles are preserved under rotations and translations, so that |
| :---: | :---: | :---: |


| Recall and use the formula |
| :--- |
| for the volume of a cuboid; |
| .$\quad$ Find the volume of a |
| prism, including a triangular |
| prism, cube and cuboid; |
| . Calculate volumes of right |
| prisms and shapes made from |
| cubes and cuboids; |
| - Estimate volumes etc by |
| rounding measurements to 1 |
| significant figure; |
|  |
| Circles, cylinders, cones and |
| spheres |

By the end of the unit, students should be able to:

- Recall the definition of a circle and identify, name and draw parts of a circle including tangent, chord and segment;

Recall and use formulae for the circumference of a circle and the area enclosed by a circle circumference of a circle $=2 \pi r=$ nd, area of a circle $=\pi r 2$;

Use п $\approx 3.142$ or use the $\pi$ button on a calculator;

Give an answer to a question involving the circumference or area of a circle in terms of $\pi$;

Find approximate solutions to a linear equation from a graph.
any figure is congruent under either of these transformations; - Understand that reflections are specified by a mirror line;

Identify correct

## Multiplicative reasoning

By the end of the unit, students should be able to:

Understand and use
compound measures:
. density;
pressure;
speed:
convert between metric speed measures;
read values in km/h and mph from a speedometer;
calculate average speed, distance, time - in miles per hour as well as metric measures; use kinematics formulae to calculate speed, acceleration (with formula provided and variables defined in the question);
change $\mathrm{d} / \mathrm{t}$ in $\mathrm{m} / \mathrm{s}$ to a formula in $\mathrm{km} / \mathrm{h}$, i.e. $\mathrm{d} / \mathrm{t} \times(60 \times$ 60)/1000 - with support;
reflections from a choice of diagrams;

Identify the equation of a line of symmetry;

Transform 2D shapes using single reflections (including those not on coordinate grids) with vertical, horizontal and diagonal mirror lines;

Describe
reflections on a coordinate grid;

Scale a shape on a grid (without a centre specified);

Understand that an enlargement is specified by a centre and a scale factor;
Enlarge a given shape using $(0,0)$ as

| Find radius or diameter, given area or perimeter of a circles; <br> Find the perimeters and areas of semicircles and quartercircles; <br> Calculate perimeters and areas of composite shapes made from circles and parts of circles; <br> Calculate arc lengths, angles and areas of sectors of circles; <br> Find the surface area and volume of a cylinder; <br> Find the surface area and volume of spheres, pyramids, cones and composite solids; Round answers to a given degree of accuracy. | Express a given number as a percentage of another number in more complex situations; <br> Calculate percentage profit or loss; <br> Make calculations involving repeated percentage change, not using the formula; <br> Find the original amount given the final amount after a percentage increase or decrease; <br> Use compound interest; <br> Use a variety of measures <br> in ratio and proportion <br> problems: <br> currency conversion; <br> rates of pay; <br> best value; <br> Set up, solve and interpret the answers in growth and decay problems; <br> Understand that $X$ is inversely proportional to Y is equivalent to $X$ is proportional to Interpret equations that describe direct and inverse proportion. <br> Real Life Graphs <br> By the end of the sub-unit, students should be able to: | the centre of enlargement, and enlarge shapes with a centre other than ( 0 , 0 ); <br> Find the centre of enlargement by drawing; <br> Describe and transform 2D shapes using enlargements by: <br> a positive integer scale factor; <br> a fractional <br> scale factor; <br> Identify the scale factor of an enlargement of a shape as the ratio of the lengths of two corresponding sides, simple integer scale factors, or simple fractions; <br> Understand that distances and angles are preserved under reflections, so that any figure is congruent under this transformation; <br> Understand that similar shapes are |
| :---: | :---: | :---: |


| Use input/output <br> diagrams; <br> Draw, label and scale <br> axes; <br> Use axes and coordinates <br> to specify points in all four quadrants in 2D; <br> Identify points with given <br> coordinates and coordinates of a <br> given point in all four quadrants; <br> Find the coordinates of <br> points identified by geometrical information in 2D (all four quadrants); <br> Find the coordinates of the midpoint of a line segment; Read values from straight-line graphs for real-life situations; <br> Draw straight line graphs <br> for real-life situations, including ready reckoner graphs, conversion graphs, fuel bills graphs, fixed charge and cost per unit; <br> Draw distance-time <br> graphs and velocity-time <br> graphs; <br> Work out time intervals for <br> graph scales; <br> Interpret distance-time <br> graphs, and calculate: the speed of individual sections, total distance and total time; | enlargements of each other and angles are preserved - define similar in this unit. |
| :---: | :---: |



