



Maths

Calculation Policy

Place Value

2024

EYFS → page 3

Year One → page 5

Year Two → page 10

Year Three → page 14

Year Four → page 20

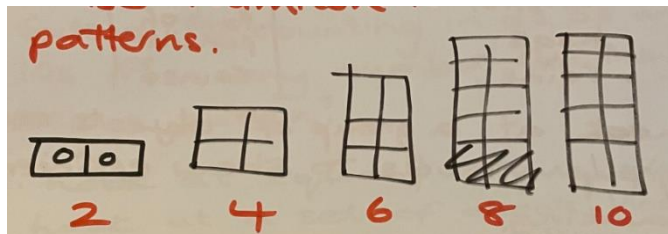
Year Five → page 32

Year Six → page 44

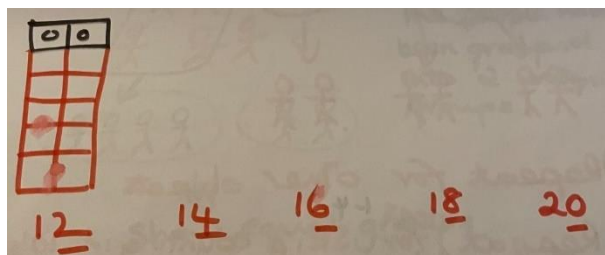
Year One:

0 → I can skip count in 2s

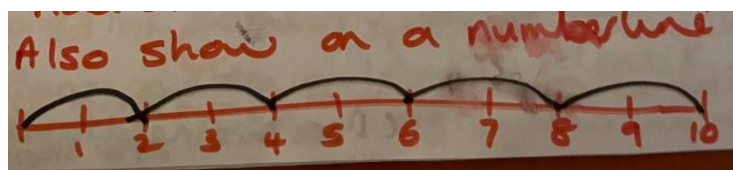
Use Numicon to look at patterns.



Show by adding the ten tile, the pattern continues.



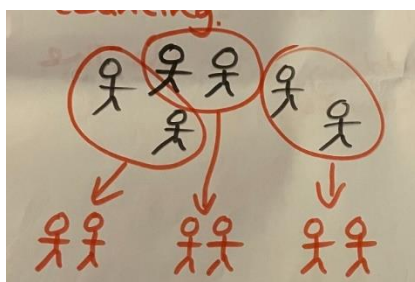
0 → I can skip count in 2s on a numberline



0 → I can count objects in 2s using real life contexts

is in real life.
2's
Bike wheels
Shoes
legs
coins?
10's
hands
Feet
pack of pencils
coins?
5's
one hand
coins?
+ and

0 → I can group objects in 2s to show efficient counting



0→ I can show counting in 2s using arrays

0→ I can skip count in 10s

See previous methods

0→ I can skip count in 10s on a number line

See previous methods

0→ I can count objects in 10s using real life contexts

See previous methods

0→ I can group objects into 10s to show efficient counting

See previous methods

0→ I can show counting in 10s using arrays

See previous methods

0→ I can skip count in 5s

See previous methods

0→ I can skip count in 5s on a number line

See previous methods

0→ I can count objects in 5s using real life contexts

See previous methods

0→ I can group objects into 5s to show efficient counting

See previous methods

0→ I can show counting in 5s using arrays

See previous methods

Year Two:

0→ I can skip count in 2s, 5s and 10s

0→ I can skip count in 2s, 5s and 10s on a number line

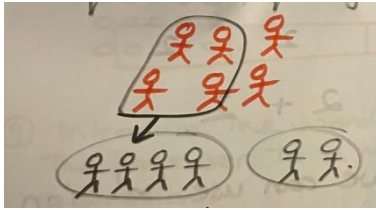
0→ I can count objects in 2s, 5s and 10s using real life contexts

0→ I can show counting in 2s, 5s and 10s using arrays

0→ I understand what an equal group is

0→ I understand what an unequal group is

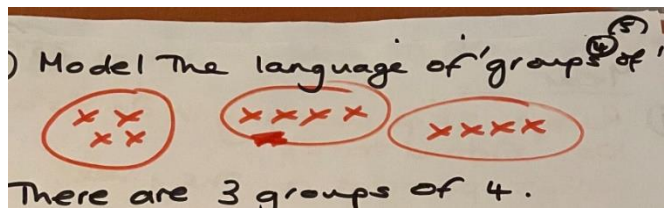
Model how to group objects and discuss equal and unequal groups.



The people have been grouped into 2 unequal groups.

The groups are equal because there are the same number of people in it.
Encourage children to identify equal and unequal groups.

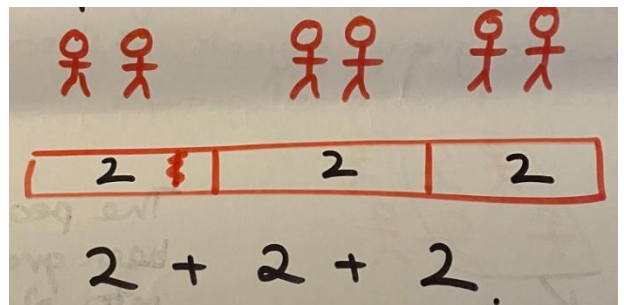
→ I can use 'groups of'



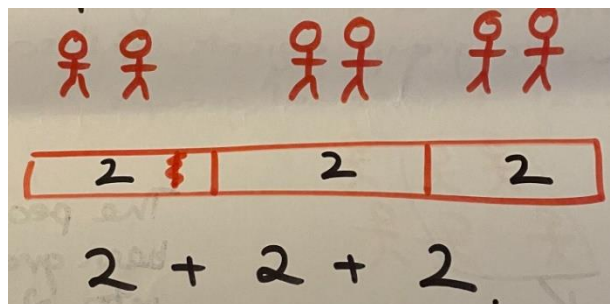
There are 3 groups of 4.

→ I can use repeated addition

1. Use Numicon
2. Using arrays
3. Bar model
4. Writing as a calculation $\rightarrow 4 + 4 + 4$



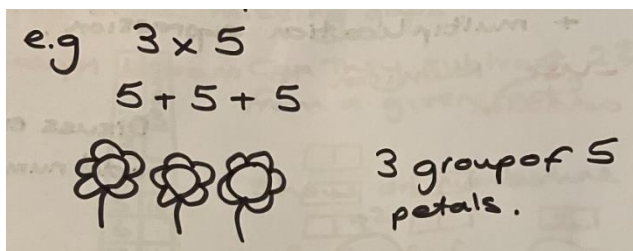
→ I can use the 'x' sign to show equal groups



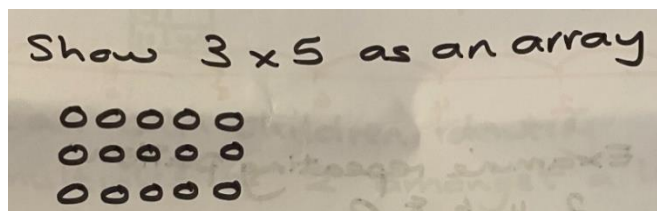
$$3 \times 2$$

3 groups of 2

➡ I can describe a picture using a multiplication fact

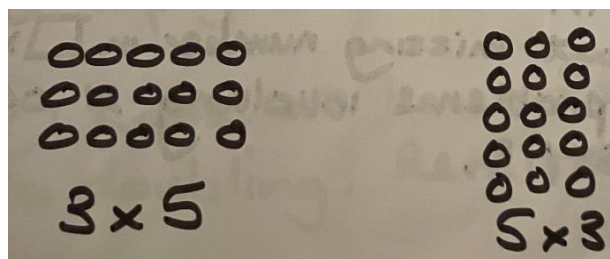


➡ I can show a multiplication fact using an array



➡ I can use 'product' when describing a multiplication fact

➡ I understand that multiplication is commutative

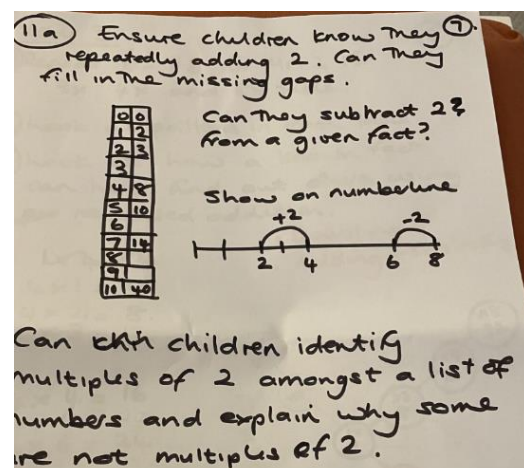
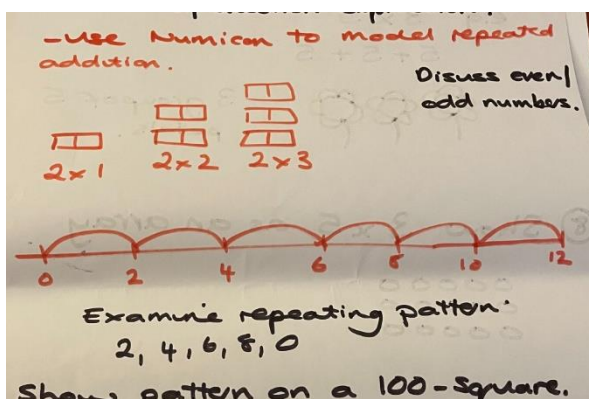


Discuss:

It gives you the same product but the image is different.

➡ I can explore the patterns and relationships within the 2 times table

1. Objects
2. Number lines
3. Bar models
4. Multiplication arrays



11b Look again at ~~comm~~ how multiplication can be written in any order. How can this help you work out facts?

- 0→ I know the link between doubling and multiplying by 2
- 0→ I can explore the patterns and relationships within the 10 times tables
Use previous method
- 0→ I can explore the patterns and relationships within the 5 times tables
Use previous method
- 0→ I know the relationship between the 10 and 5 times table
Are all the 5s in the 10 x table? Why?
- 0→ I solve missing number questions
e.g. $\rightarrow ___ \times 5 = 10$
- 0→ I can solve problems involving multiplying equal groups

Year Three:

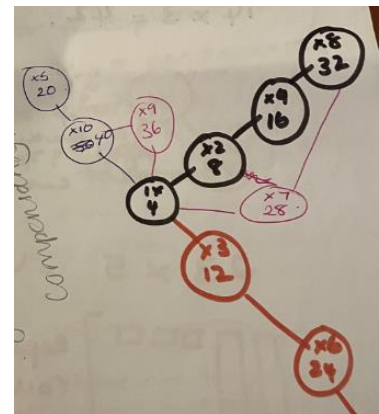
- 0→ I understand what an equal group is
- 0→ I understand what an unequal group is
- 0→ I can use 'groups of'
- 0→ I can use repeated addition
- 0→ I can use the 'x' sign to show equal groups
- 0→ I can describe a picture using a multiplication fact
- 0→ I can show a multiplication fact using an array
- 0→ I can use 'product' when describing a multiplication fact
- 0→ I understand that multiplication is commutative
- 0→ I can explore the patterns and relationships within the 2 times table
- 0→ I can explore the patterns and relationships within the 10 times tables
- 0→ I can explore the patterns and relationships within the 5 times tables
- 0→ I know the relationship between the 10 and 5 times table
- 0→ I can explore the patterns and relationships within the 3 times tables
 - **Objects**
 - **Number lines**
 - **Bar models**
 - **Multiplication arrays**
- 0→ I can explore the patterns and relationships within the 6 times tables
Same method as previous for $\times 2$

- 0→ I know the relationship between the 3 and 6 times table
- 0→ I can explore the patterns and relationships within the 4 times tables
Same method as previous for $\times 2$
- 0→ I can explore the patterns and relationships within the 8 times tables
Same method as previous for $\times 2$
- 0→ I know the relationship between the 4 and 8 times table
- 0→ I can use known facts to find other facts

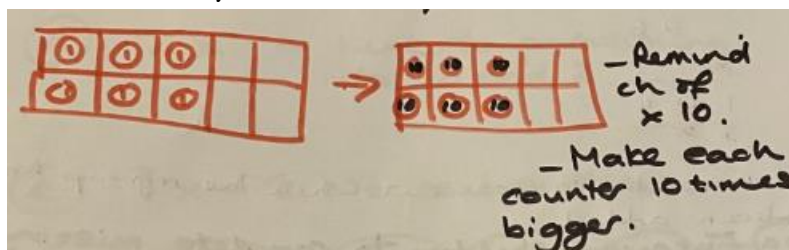
Doubling
Adding
Subtracting

$$\begin{array}{l} 4 \times 1 = 4 \\ 4 \times 2 = 8 \\ 4 \times 3 = 12 \end{array}$$

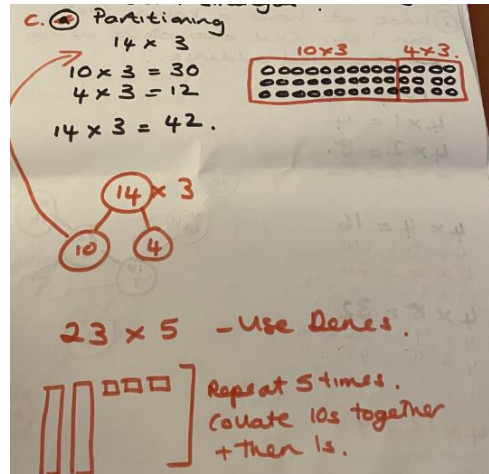
$$\begin{array}{l} 4 \times 4 = 16 \\ 4 \times 5 = 20 \\ 4 \times 6 = 24 \\ 4 \times 7 = 28 \\ 4 \times 8 = 32 \\ 4 \times 9 = 36 \\ 4 \times 10 = 40 \\ 4 \times 11 = 44 \\ 4 \times 12 = 48 \end{array}$$



- 0→ I know the link between doubling and multiplying by 2
 - 0→ I can use doubling to show the link between the 2, 4 and 8 times tables
 - 0→ I can use times table to deduce facts that are unknown using mental strategies
- If I know 12×4 , then I also know 13×4
 $12 \times 4 = 48$ so add 4 = 52
 - If I know 3×2 , then I also know 30×2



- Partitioning



➔ I can use the formal written method of multiplication with 2 and 1 digit numbers without crossing the boundary

$$13 \times 2 =$$

	1	3		
x		2		
	2	6		

- 1 → Underline the ones digits
- 2 → Line them up
- 3 → Multiply the ones column
 $2 \times 3 = 6$ ones
- 4 → Multiply the tens column
 $2 \times 1 = 2$ tens

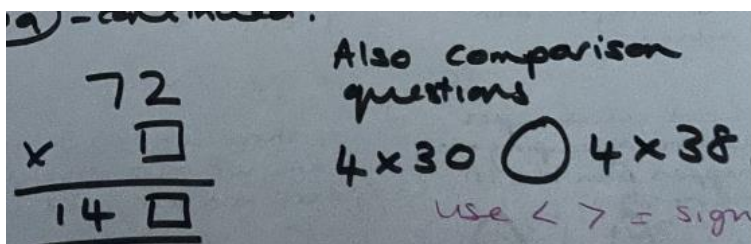
➔ I can use the formal written method of multiplication with 2 and 1 digit numbers when crossing the boundary

$$24 \times 3 =$$

	2	4		
x		3		
	7	2		
	1			

- 1 → Underline the ones digits
- 2 → Line them up
- 3 → Multiply the ones column
 $3 \times 4 = 12$ ones
 What is 12 made up of? 1 ten and 2 ones
 so we must carry the 1 into the tens column
- 4 → Multiply the tens column
 $3 \times 2 = 6$ tens add on our extra 1 ten to get 7 tens

Look at examples where regrouping may happen from tens to hundreds.



➡ I apply my knowledge of multiplication to a range of problems

Include contextual problems, eg:

The height of a box is 36cm. If I stack 6 on top of each other, how tall will the stack be?

Children may need to draw diagrams to support.

Year Four:

➡ I can explore the patterns and relationships within the 3 times tables

➡ I can explore the patterns and relationships within the 6 times tables

➡ I know the relationship between the 3 and 6 times table

➡ I can explore the patterns and relationships within the 4 times tables

➡ I can explore the patterns and relationships within the 8 times tables

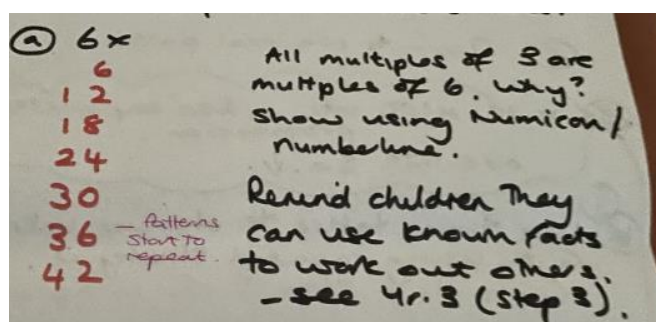
➡ I know the relationship between the 4 and 8 times table

➡ I can understand the effect of multiplying by 0

➡ I can understand the effect of multiplying by 1

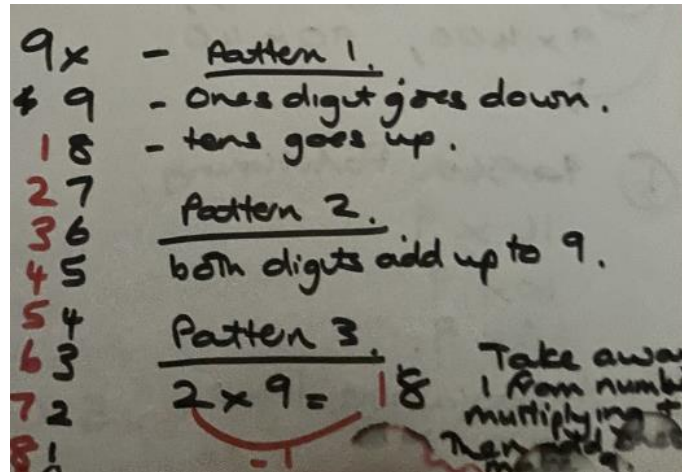
➡ can explore the patterns and relationships within the 6 times tables

Use methods from Year 2 x2 as well as...



0→ I can explore the patterns and relationships within the 9 times tables

Use methods from Year 2 x2 as well as...



0→ I can explore the patterns and relationships within the 11 times tables

Use methods from Year 2 x2 as well as...

The digits in the tens and ones are equal $\rightarrow 11 \times 3 = 33$

0→ I can explore the patterns and relationships within the 12 times tables

Use methods from Year 2 x2 as well as...

Link to partitioning into 10 and 2

E.g. $\rightarrow 12 \times 6 = 72$

$10 \times 6 = 60$

$2 \times 6 = 12$

0→ I can explore the patterns and relationships within the 7 times tables

Use methods from Year 2 x2 as well as...

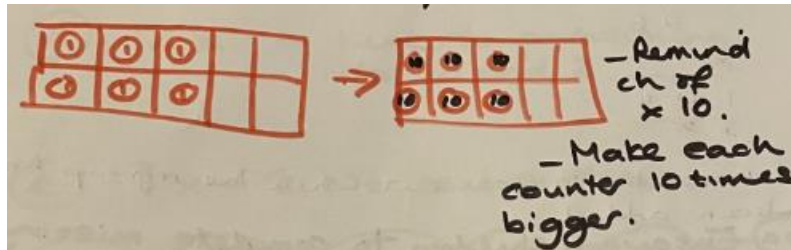
There aren't any real patterns

0→ I can recognise factor pairs

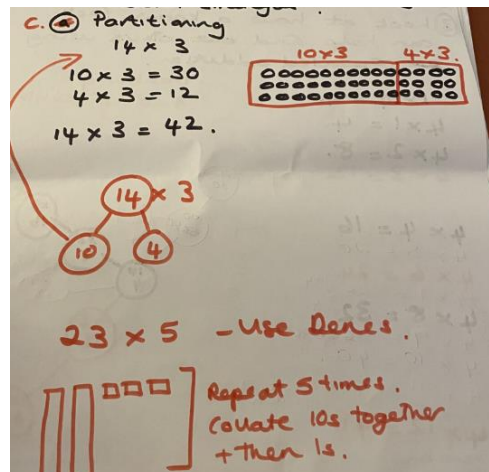
0→ I can use factor pairs

0→ I can use times table to deduce facts that are unknown using mental strategies

- If I know 12×4 , then I also know 13×4
 $12 \times 4 = 48$ so add $4 = 52$
- If I know 3×2 , then I also know 30×2



- Partitioning

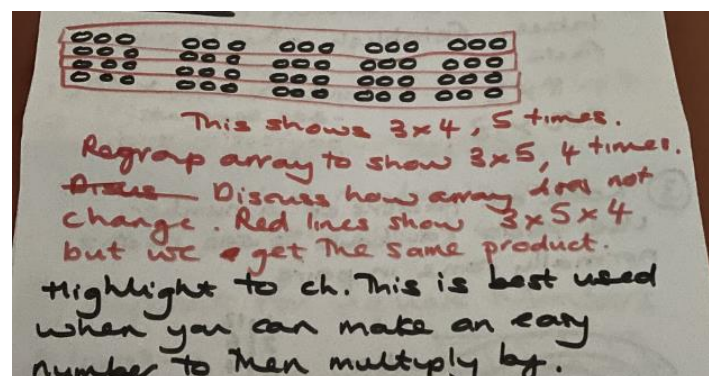


- Associative law

$$6 \times 7 \times 5$$

$$\text{Do } 6 \times 5 \text{ first} = 30$$

$$30 \times 7 \text{ so } 3 \times 7 = 21$$



0 → I can use the formal written method of multiplication with 2 and 1 digit numbers without crossing the boundary

0 → I can use the formal written method of multiplication with 2 and 1 digit numbers when crossing the boundary

0 → I can use the formal written method of multiplication with 3 and 1 digit numbers without crossing the boundary

$$13 \times 2 =$$

	1	3		
x		2		
	2	6		

1 → Underline the ones digits

2 → Line them up

3 → Multiply the ones column

$$2 \times 3 = 6 \text{ ones}$$

4 → Multiply the tens column

$$2 \times 1 = 2 \text{ tens}$$

0 → I can use the formal written method of multiplication with 3 and 1 digit numbers when crossing the boundary

$$24 \times 3 =$$

	2	4		
x		3		
	7	2		
	1			

1 → Underline the ones digits

2 → Line them up

3 → Multiply the ones column

$$3 \times 4 = 12 \text{ ones}$$

What is 12 made up of? 1 ten and 2 ones so we must carry the 1 into the tens column

4 → Multiply the tens column

$$3 \times 2 = 6 \text{ tens add on our extra 1 ten to get 7 tens}$$

Look at examples where regrouping may happen from tens to hundreds.

0 → I solve problems using all of the above

Year Five:

I can recall all times table facts (If not, refer back to steps in Yr2/3 to teach times tables and patterns)

I can create fact families for times tables. (Establish other known facts)

E.g

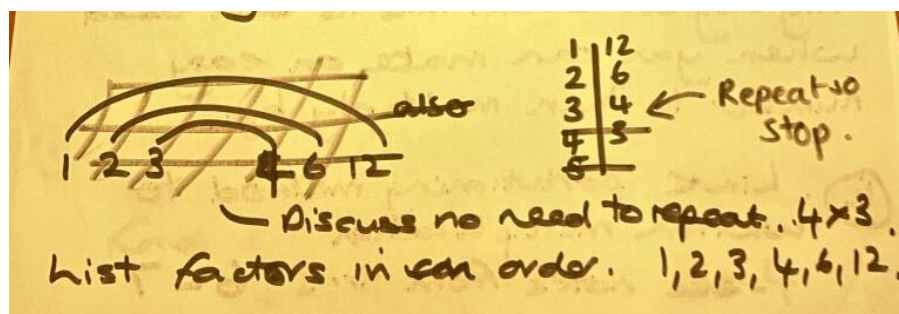
$$8 \times 3$$

$$800 \times 3$$

Link to $\times 10$ $\times 100$

See separate progression grid

I can look at factors of a number. To use factor rainbows to see that factors usually come in pairs.



Look at common facts between 2 numbers e.g. 12 and 36.

I can establish if a number is a prime up to 100.

Look at prime numbers. Why are they prime numbers?

Consider factors

Only 2 factors- 1 and itself

I can establish if a number is prime or composite (non-prime) numbers.

I can repeat for square numbers.

I can recap $\times 10$ and $\times 100$

Look at using known facts to find others

E.g.

$$3 \times 4$$

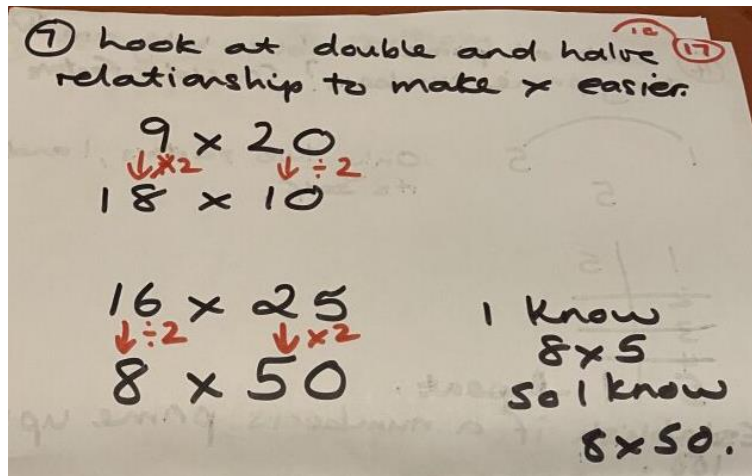
$$30 \times 4$$

$$30 \times 40$$

$$0.3 \times 4$$

$$0.3 \times 0.4$$

I can recognise the relationship between double and halve to make times tables easier.

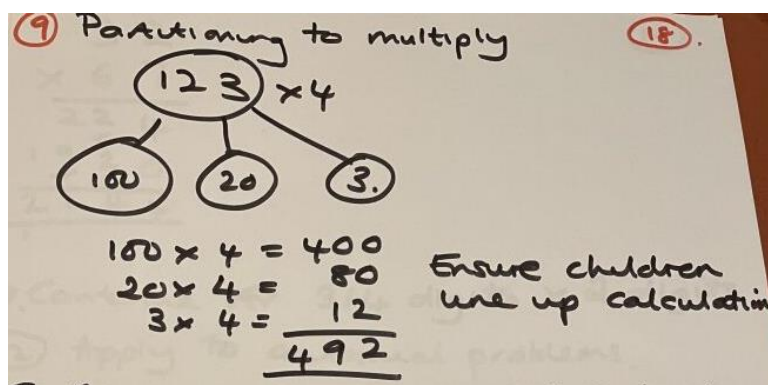


I can re-order to make calculations easier.

$$70 \times 5 \times 20$$

$$70 \times 100 = 7000$$

I can partition to multiply.



I can re-cap written method 2/3 digit $\times$ 1 digit (Year 4 steps 6-7)

I can use written multiplication method for 2 digit x 2 digit.

Handwritten multiplication of 32 by 13:

$$\begin{array}{r} 32 \\ \times 13 \\ \hline 96 \\ + 320 \\ \hline 416 \end{array}$$

Steps listed:

- . 3×2 ones
- . 3×3 tens
- . Place a 0 to show it is ten times bigger.
- . $1 \text{ ten} \times 2 \text{ ones}$
- . $1 \text{ ten} \times 3 \text{ tens}$
- . add totals together.

Model examples with a carry.

Handwritten multiplication of 32 by 67:

$$\begin{array}{r} 32 \\ \times 67 \\ \hline 224 \\ 1920 \\ \hline 2144 \end{array}$$

Continue with 3/4 digits x 2 digits

I can apply to contextual problems.

Year Six:

I can recap and consolidate points 2-11 in Year 5

I can apply to larger numbers.

I can extend written method up to 4 digit x 2 digit.

BIDMAS - To be taught after division unit.

Brackets

Indices

Division

Multiplication

Addition

Subtraction

N.B.

Division and multiplication have equal priority

Addition and subtraction also have equal priority

e.g $2 + 3 \times 6$ (20)

$2 + 3 \times 6$ Complete 3×6 first
 $\downarrow$
 $2 + 18 = 20$

e.g $4 + 2 \times 3^2 =$

$4 + 2 \times 9$ Indices first.
 $4 + 2 \times 9$ Mult next.
 $4 + 18 = 22$

e.g $60 - (4^2 + 2 \times 5)$

$\downarrow \quad \downarrow$ Brackets need to be done first.
 $(16 + 10)$
 $\downarrow$
 $60 - 26 = 34$

I can apply all skills to contextual problems and SATS problems.