

Maths

Calculation Policy
Place Value
2024

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EYFS

Counting:

0 → I can say numbers in words in a sequence

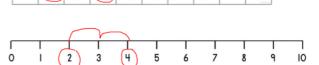
1. Numicon



2. Counting objects



3. Number track/ number line



4. Fives and tens frame



- Use 1:1 counting Same as previous
- 0→ I know the last number counted is the total value Same as previous
- □ I can use subitising
 Same as previous
- ☐ I understand the numeral meaningSame as previous
- 0→ I know the number does not change if you move objects around
- □ I can link numerals with their cardinal number value up to 10
- 0─ I can count beyond 20.

Same as previous Comparison:

- I can identify groups within the same amount

 Same as previous
- I can use the language 'more', 'less', 'greater' and 'fewer'

 Same as previous
- I can apply knowledge of one more when counting numbers

 Same as previous
- I can apply knowledge of one less when counting numbers

 Same as previous
- □ I can compare numbersSame as previous

Composition:

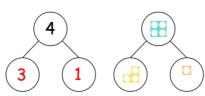
- 1 can understand that a number can be partitioned into two numbers
 - 1. Numicon
 - 2. Counting objects



3. Tens/fives frame



4. Part part whole model



I can understand that a number can be partitioned into more than two numbers

Same as previous

- I can recall number bonds to 5 and some within 10

 Same as previous
- 0 ☐ I can use inverse operationsSame as previous
 - I can identify odd and even numbers within 10

Year One:

- I can say numbers in words in a sequence See previous year group
- 0 → I can use 1:1 counting See previous year group
- I know the last number counted is the total value

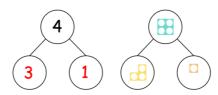
 See previous year group
- Use subitisingSee previous year group
- □ I understand the numeral meaning See previous year group
- I know the number does not change if you move objects around See previous year group
- I can understand that a number can be partitioned into two numbers

 See previous year group
- I can understand that a number can be partitioned into more than two numbers

 See previous year group
- □ I can understand that the numbers 1-5 can be partitioned into different ways.
 - 1. Numicon
 - 2. Tens/fives frame



3. Part part whole model



1 can understand the numbers 1-5 can be partitioned in a systematic way

e.g.
$$0 + 4 = 4$$

$$1 + 3 = 4$$

$$2 + 2 = 4$$

Same methods as previous

I can understand that each of the numbers 1-5 can be partitioned into 2 parts. e.g. If I know 1 part, we can find the other part.

Same methods as previous

- I can identify groups within the same amount
 See previous year group
- O→ I can use the language 'more', 'less', 'greater' and 'fewer'

 See previous year group
- I can apply knowledge of one more when counting numbers

 See previous year group
- I can apply knowledge of one less when counting numbers See previous year group
- 0→ I can find one more than a given number (up to 10)
 - 4. Numicon



5. Tens/fives frame



6. Part part whole model

3 1

7. Number track/ number line

1 2 3 4 5 6 7 8 9 10



0 ☐ I can find one less than a given number (up to 10)

Same methods as previous

1 can understand that the numbers 6-10 can be partitioned into different ways.

Same methods as previous

1 can understand the numbers 6-10 to be partitioned in a systematic way.

Same methods as previous

0- I can understand that each of the numbers 6-10 can be partitioned into 2 parts.

Same methods as previous

 $0 \longrightarrow$ I can find one more than a given number (up to 20)

Same methods as previous

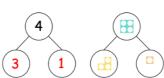
 $0 \rightarrow$ I can find one less than a given number (up to 20)

Same methods as previous

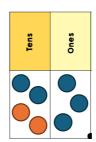
- 1 can compare 2 groups using 'greater', 'fewer', 'less than', 'more than' and 'equal'
 - 1. Numicon
 - 2. Tens/fives frame



3. Part part whole model



4. Place value chart and counters



□ I can compare numbersSee previous year group

0 ☐ I can compare 2 groups using signs < > =

Same methods as previous

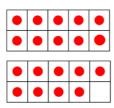
- 0→ I understand that the numbers 11-19 can be formed by combining tens and ones.
- 0─x I can partition numbers 11-19 into tens and ones

The digits in the ones column tell us that the value of the ones and the digits in the tens column tell us the value of the tens.

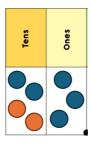
1. Numicon



2. Tens frame



3. Place value chart and counters

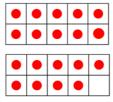


- 0- I can read and write numbers up to 20.
- 1 understand that a number is even if the ones digit is even.

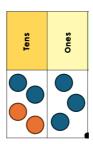
1. Numicon



2. Tens frame



3. Place value chart and counters



I can spot patterns when counting in ones

Rule: the ones column changes as the tens column stays the same

Same methods as previous

I can examine the counting sequence when counting to 100.

Identify the pattern in the sequence

Same methods as previous including bead string and 100 square

- 0─x I can position numbers on a number line (0-100)
- 0-- I can find one more than a given number (0-100)

Same methods as previous including bead string and 100 square

0 I can find one less than a given number (0-100)

Same methods as previous including bead string and 100 square

- I can count forwards to and across 100

 Start with 0 then from any given number.
- I can count backwards to and across 100

 Start with 0 then from any given number.

Year Two:

- ☐ I can understand the numbers 1-5 can be partitioned into different ways
 ☐ See previous year group
- I can understand the numbers 1-5 can be partitioned in a systematic way

 See previous year group
- I can examine the counting sequence when counting to 100.

 See previous year group
- I can position numbers on a number line (0-100)

 See previous year group
- 0 → I can count forwards to and across 100

 Start with 0 then from any given number.

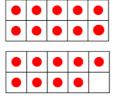
 See previous year group
- I can count backwards to and across 100

 Start with 0 then from any given number.

 See previous year group
- $0 \rightarrow x$ I understand that the numbers up to 20 can be formed by combining tens and ones.
- 0 ☐ I can partition numbers up to 20 into tens and ones
- □ I understand that 2 digit numbers can be made up of tens and ones
 - 1. Numicon



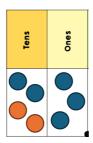
2. Tens frame



3. Place value counters



4. Place value chart



- $0 \rightarrow I$ know that 10 ones are equivalent to 1 ten (10 x 1 = 10)
- I can explore the number sequence and the patterns when counting.

 When does the tens digit change?

 When does the ones digit change?

Same methods as previous but including bead strings and hundred squares

- I can read and write numbers up to 20.See previous year group
- 0- I can read 2 digit numbers in digits and words
- 0 I can write 2 digit numbers in digits and words
- ☐ I can find one more than a given number (0-100)
 See previous year group
- ☐ I can find one less than a given number (0-100)
 See previous year group
- 0 → I can count forwards in tens from any given number

Same methods as previous but including bead strings and hundred squares

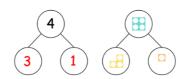
0- I can count backwards in tens from any given number

Same methods as previous but including bead strings and hundred squares

- □ I can partition 2 digit numbers using standard partitioning
 - 1. Numicon
 - 2. Tens/fives frame



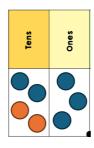
3. Part part whole model



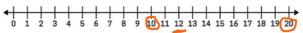
5. Place value counters



6. Place value chart



- 7. Write as an addition statement 43 = 40 + 3
- I can understand that the relative size of 2-digit numbers can be determined by exploring the tens digit and if necessary, the ones digit.
- 0- I can identify multiples of 10
- I can identify previous and next multiple of 10 of a 2 digit number
 - 1. Number line



2. Hundred square

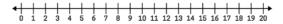
		D.C.							
1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

- I can compare 2 groups using 'greater', 'fewer', 'less than', 'more than' and 'equal'

 See previous year group
- □ I can compare 2 groups using signs < > = See previous year group

1 can compare up to 2 digit numbers by looking at the tens and ones columns

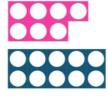
1. Number line



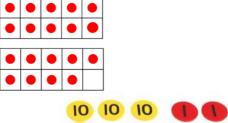
2. Hundred square

Hundred Square												
1	2	3	4	5	6	7	8	9	10			
11	12	13	14	15	16	17	18	19	20			
21	22	23	24	25	26	27	28	29	30			
31	32	33	34	35	36	37	38	39	40			
41	42	43	44	45	46	47	48	49	50			
51	52	53	54	55	56	57	58	59	60			
61	62	63	64	65	66	67	68	69	70			
71	72	73	74	75	76	77	78	79	80			
81	82	83	84	85	86	87	88	89	90			
91	92	93	94	95	96	97	98	99	10			

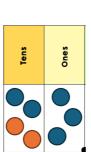
3. Numicon



4. Tens frame



5. Place value counters



10

6. Place value chart

If there are more. than two numbers to compare, encourage the children to use the following method:

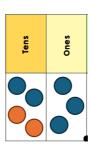
- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the tens first
- d. Compare the ones

1	<u>7</u>	5	<u>3</u>		<u>9</u>	3	<u>2</u>
1	7		5	3			
5	3		3	2			
	9		1	7			
3	2			9			

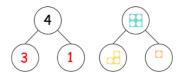
0- I can partition numbers in non-standard ways

e.g. 35 can be partitioned into 20 and 15 rather than 30 and 5

1. Place value chart and counters



2. Part part whole model



3. Write it as an addition 35 = 20 + 15

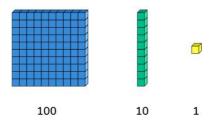
Year Three:

I understand that 2 digit numbers can be made up of tens and ones

See previous year group

0— I can recognise that a 3 digit number is made up of hundreds, tens and ones

1. Dienes



2. Place value counters



3. Place value chart

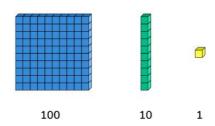
Hundreds	Tens	Ones

I can partition 2 digit numbers using standard partitioning

See previous year group

1 can compose and decompose 3 digit numbers using standard partitioning

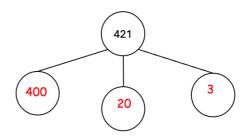
1. Dienes



2. Place value counters



3. Part part whole model



4. Write as an addition statement 421 = 400 + 20 + 3

1 know that 10 ones are equivalent to 1 ten (10 \times 1 = 10)

I know that 10 tens are equivalent to 1 hundred ($10 \times 10 = 100$)

Same as previous

0─x I can read numbers up to 2 digits in digits and words

0 → I can read numbers up to 3 digits in digits and words

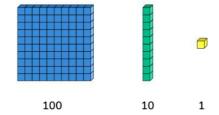
0- I can write numbers up to 2 digits in digits and words

0→ I can write numbers up to 3 digits in digits and words

0- I can find 1 more or less than a given number

0 → I can find 10 more than a given number

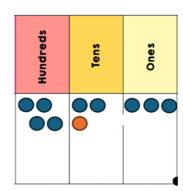
1. Dienes



2. Place value counters



3. Place value grid



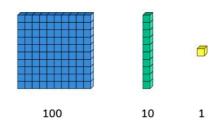
- 4. Rule:
 - 1. Underline the tens column (you are adding 10 to)
 - 2. Add them together
 - 3. Everything else stays the same
- 423 + 10 = 433

I can find 10 less than a given number

Same as previous

- □ I can find 100 more than a given numberSame as previous
- ☐ I can find 100 less than a given numberSame as previous
- I can compare up to 2 digit numbers by looking at the tens and ones columns

 See previous year group
- I can compare up to 3 digit numbers by looking at the hundreds, tens and ones columns.
 - 1. Dienes



2. Place value counters



3. Place value grid

Hundreds	Tens	Ones

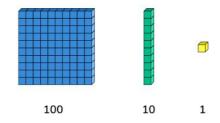
If there are more. than two numbers to compare, encourage the children to use the following method:

- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the tens first
- d. Compare the ones

1	<u>7</u>	5	<u>3</u>		<u>9</u>	3	<u>2</u>
1	7		5	2			
5	3			2			
	9		1	7			
3	2			9			

- I can compare up to 3 digit numbers using greater than (>) and less than (<) signs.
- 0 ─ I can order up to 2 digit numbers
- □ I can order up to 3 digit numbers
 Same as previous method
- I can partition numbers in non-standard ways

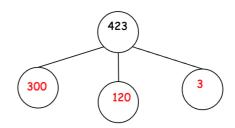
 See previous year group
- I can partition up to 3 digit numbers in non-standard ways Eg) $150 \rightarrow 110 + 40 + 2$ not 100 + 50 + 2
 - 1. Dienes



2. Place value counters

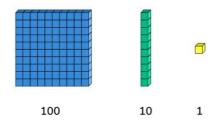


3. Part part whole model



4. Write as an addition statement 423 = 300 + 120 + 3

- I can count in multiples of 50 and 100
- I can divide 100 by 2, 4, 5 and 10 equal parts
 - 1. Dienes



2. Place value counters







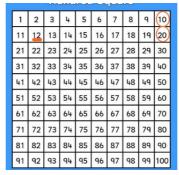
3. Bar model

100							
25	25	25	25				

- I can read scales in 2's, 4's, 5's and 10's Same as previous
- I can identify multiples of 10 See previous year group
- I can identify previous and next multiple of 10 of a 2 digit number See previous year group
- I can identify the multiples of 10 and 100 either side of a given number
 - 1. Number line

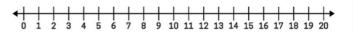


2. Hundred square



□ I can position up to 3 digit numbers on a number line and reason why they are positioned there

1. Number lines with numbers on

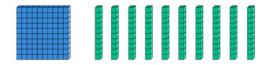


2. Number lines with different intervals (2, 4, 5, 10, 50, 100 etc)

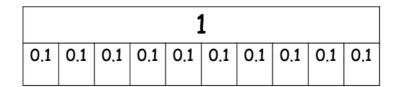
3. Blank number lines

0 → I know tenths arise from dividing a whole into 10 equal parts

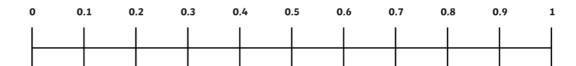
1. Dienes



2. Bar model



0 → I can place tenths on a number line



0→ I can recognise the repeating pattern when counting in tenths

Pattern → tenths column goes up in 1s

0 ─ I can place tenths on a place value chart

0 I can compare 1 decimal point numbers

1. Place value counters

2. Place value grid

Hundreds	Tens	Ones	Tenths

If there are more. than two numbers to compare, encourage the children to use the following method:

- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the tens first
- d. Compare the ones

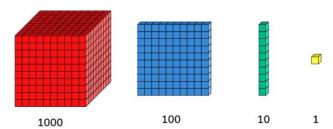
1	<u>7</u>	5	<u>3</u>		<u>9</u>	3	2
1	7		5	3			
5	3		3	2			
	9		1	7			
3	2			9			

Year Four:

- I can recognise that a 3 digit number is made up of hundreds, tens and ones

 See previous year group
- I can recognise that a 4 digit number is made up of thousands, hundreds, tens and ones

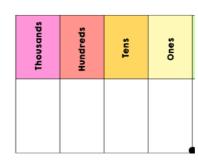
1. Dienes



2. Place value counter

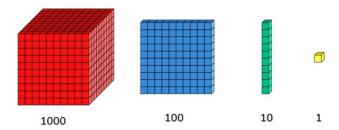


3. Place value chart



- I can compose and decompose 3 digit numbers using standard partitioning See previous year group
- 1 can compose and decompose 4 digit numbers using standard partitioning

1. Dienes



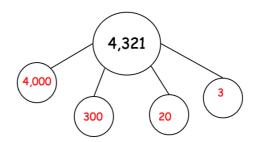
2. Place value counter



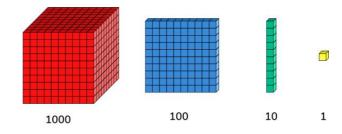
3. Place value chart

Thousands	Hundreds	Tens	Ones

4. Part part whole model

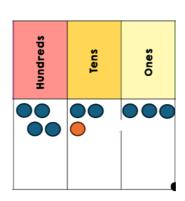


- 5. Write as an addition statement \rightarrow 4,321 = 4,000 + 300 + 20 + 1
- 1 know that 10 tens are equivalent to 1 hundred ($10 \times 10 = 100$)
- I know that 10 hundreds are equivalent to 1 thousand ($10 \times 100 = 1000$)
- 0 → I can read numbers up to 3 digits in digits and words
- 0→ I can read numbers up to 4 digits in digits and words
- 0 I can write numbers up to 3 digits in digits and words
- 0- I can write numbers up to 4 digits in digits and words
- ☐ I can add find 10 more or less than a given number
 See previous year group
- I can find 100 more or less than given number
 See previous year group
- 0→ I can find 1000 more than a given number
 - 1. Dienes



2. Place value counters

3. Place value grid



- 4. Rule:
 - 4. Underline the tens column (you are adding 10 to)
- 423 + 10 = 433

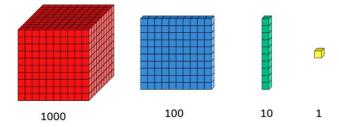
- 5. Add them together
- 6. Everything else stays the same

0 ─ I can find 1000 less than a given number

Same as previous

- I can compare up to 3 digit numbers by looking at the place value of the numbers

 See previous year group
- I can compare up to 4 digit numbers by looking at the hundreds, tens and ones columns.
 - 1. Dienes



2. Place value counters



3. Place value grid



4. Rule:

- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the tens first
- d. Compare the ones

1	<u>Z</u>	5	<u>3</u>		<u>9</u>	3	2
1	7		5				
5	3		3	2			
	9		1	7			
3	2			9			

I can use compare up to 4 digit numbers using greater than (>) and less than (<) signs.

Same as previous

- 0- I can order up to 3 digit numbers
- 0 ☐ I can order up to 4 digit numbers

Rule:

- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the tens first
- d. Compare the ones

1	<u>7</u>	5	<u>3</u>		9	3	2
1	7		5	3			
5	3		3	2			
	9		1	7			
3	2			9			

□ I partition up to 3 digit numbers in non-standard ways
 See previous year group

- I can partition up to 4 digit numbers in non-standard ways Eg) $1500 \rightarrow 1100 + 300 + 100$ not 1000 + 50
 - 1. Dienes

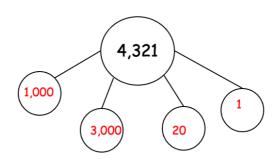
 1000 100 10 1
 - 2. Place value counter



3. Place value chart



4. Part part whole model

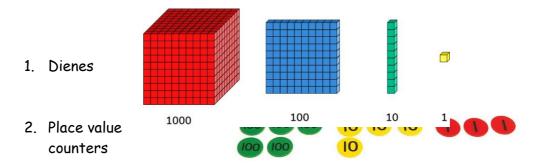


- 5. Write as an addition statement \rightarrow 4,321 = 1,000 + 3,000 + 300 + 20 + 1
- 0 → I can count in multiples of 50 and 100
- 0 I can count in multiples of 25 and 1,000
- 0- I know how to make 100 by repeatedly adding 25
- 0- I can apply this knowledge to larger numbers

O→x I can divide 100 by 2, 4, 5 and 10 equal parts
 See previous year group

□ I can read scales in 2's, 4's, 5's and 10's
 See previous year group

0- I can divide numbers into equal parts



3. Bar model

	100							
25	25	25	25					

I can read a scale using equal parts

Same as previous

0-x I can identify the multiples of 10 and 100 either side of a given number

- 3. Number line 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20
- 4. Hundred square

		D.U.				June			
1	2	з	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

○ I can identify the multiples of 10, 100 and 1,000 either side of a given number Same as previous

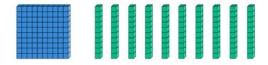
1 can position up to 3 digit numbers on a number line and reason why they are positioned there
 See previous year group

○ I can position up to 4 digit numbers on a number line and reason why they are positioned there

- 1. Number lines with numbers on
- 2. Number lines with different intervals (2, 4, 5, 10, 50, 100 etc)
- 3. Blank number lines

1 can understand that tenths are dividing 1 whole into 10 equal parts

1. Dienes



2. Bar model

				1	l				
0.1	0.1	0.1	0.1	0.1	0.1	0.1	0.1	0.1	0.1

I understand that 10 parts make 1 whole or 10 tenths make 1 whole Same as previous

0 ─ I can place tenths on a number line

0— I can recognise the repeating pattern when counting in tenths

Pattern \rightarrow tenths column goes up in 1s

□ I know the counting sequence for counting in decimals

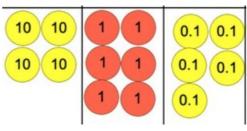
- What happens after $0.9 \rightarrow$ should be 1 but some children will say 0.10
- Notice only the tenths digit changes apart from when it crosses a whole

0 I can place tenths on a place value chart

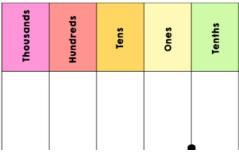
0─ I can partition decimals into whole numbers and tenths

DECIMAL POINTS DO NOT HAVE THEIR OWN SQUARE BUT SIT ON THE LINE IN BETWEEN THE ONES AND TENTHS COLUMN

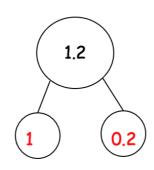




2. Place value chart



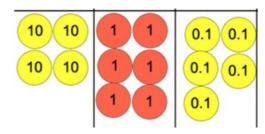
3. Part part whole model



4. Write as an addition statement \rightarrow 1.2 = 1 + 0.2

0— I can compare numbers with 1 decimal place

1. Place value counters



2. Place value grid

Thousands	Hundreds	Tens	Ones	Tenths

3. Rule:

- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the tens first
- d. Compare the ones

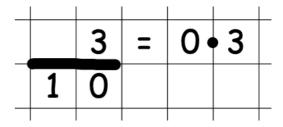
1	<u>7</u>	5	<u>3</u>		9	3	2
1	7		5	3			
5	3		3	2			
	9		1	7			
3	2			9			

1 can convert between fractions and tenths

- 1. Place value counters
- 10 10 1 1 0.1 0.1 10 10 1 1 0.1 0.1 1 1 0.1
- 2. Place value grid

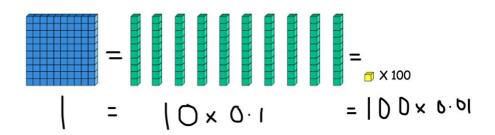
Thousands	Hundreds	Tens	Ones	Tenths

- 3. Written
- Line in a fraction means divide
- The fraction represents 3 ÷ 10
- 3 wholes divided into 10 equal parts



1 understand that hundredths are dividing 1 whole into 100 equal parts

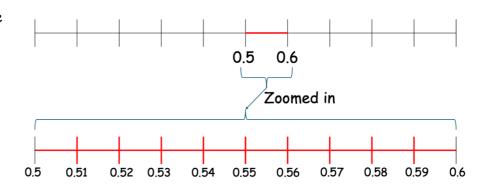
1. Dienes



2. Bar model

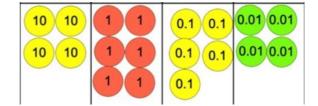
	1															
0.1								0.1	0.1	0.1	0.1	0.1	0.1	0.1	0.1	0.1
0.01	10.0 10.0 10.0 10.0 10.0 10.0 10.0 10.0									REF	PEA	TEC	<mark>)</mark>			

3. Numberline



- ⁰ I know hundredths are dividing tenths into 10 equal parts

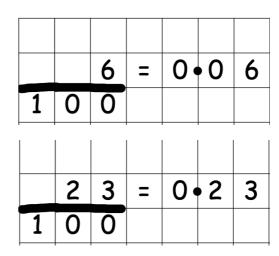
 Same as previous
- 1 can convert between fractions and hundredths
 - 1. Place value counters



2. Place value grid

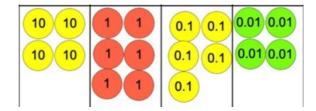
Thousands	Hundreds	Tens	Ones	Tenths	Hundredths

- 3. Written
- Line in a fraction means divide
- The fraction represents 6 ÷ 100
- 6 wholes divided into 100 equal parts

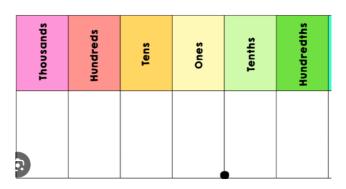


0— I can write any decimal equivalent in whole, tenths and hundredths

1. Place value counters



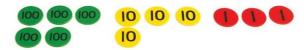
2. Place value grid



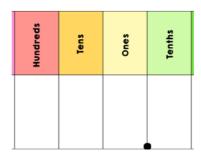
3. Written

1.	. 2	3	=	+		2	+			3	
					1	0		1	0	0	
			=		2	3					
				1	0	0					

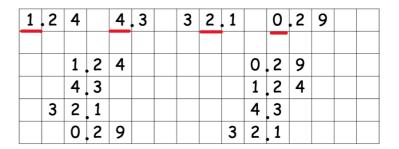
- 0- I can compare numbers up to 2 decimal places
 - 1. Place value counters



2. Place value grid



- 3. Rule:
- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the largest PV column
- d. Move left



I can order numbers up to 2 decimal places

Same as previous

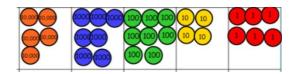
Year Five:

 $0 \longrightarrow$ I can recognise that a 4 digit number is made up of thousands, hundreds, tens and ones

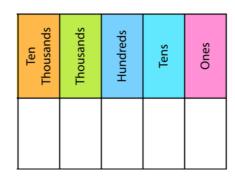
See previous year group

I can recognise that a 5 digit number is made up of ten thousands, thousands, hundreds, tens and ones

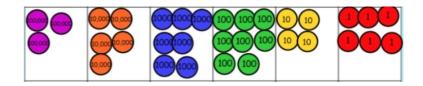
1. Place value counter



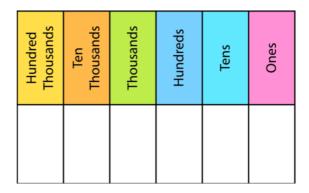
2. Place value chart



- I can recognise that a 6 digit number is made up of hundred thousands, ten thousands, thousands, hundreds, tens and ones
 - 1. Place value counter

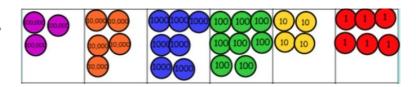


2. Place value chart



- I can compose and decompose 4 digit numbers using standard partitioning

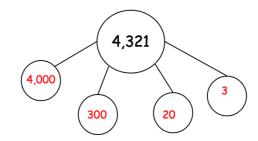
 See previous year group
- □ I can compose and decompose 5 and 6 digit numbers using standard partitioning
 - 1. Place value counter



2. Place value chart

Ones

3. Part part whole model



4. Write as an addition statement \rightarrow 4,321 = 4,000 + 300 + 20 + 1

- 0-x I know that 10 hundreds are equivalent to 1 thousand ($10 \times 100 = 1000$)
- $0 \rightarrow I$ know that 10 thousands are equivalent to 1 ten thousand ($10 \times 1000 = 10,000$)
- I know that 10 ten thousands are equivalent to 1 hundred thousand ($10 \times 10,000$ = 100,000)
- 0─x I can read numbers up to 4 digits in digits and words
- 0 ☐ I can read numbers up to 1 million in digits and words
- 0 I can write numbers up to 4 digits in digits and words
- 0→ I can write numbers up to 1 million in digits and words
- I can find 1000 more and less than a given number
 See previous year group
- 1 can count forwards and backwards in powers of 10 from a given number

Power	Expression	Standard Form	
10^{1}	10	10	
10^{2}	10 x 10	100	
10^{3}	10 x 10 x 10	1,000	
10^{4}	10 x 10 x 10 x 10	10,000	
10^{5}	10 x 10 x 10 x 10 x 10	100,000	
10^{6}	10 x 10 x 10 x 10 x 10 x 10	1,000,000	
10^{7}	10 x 10 x 10 x 10 x 10 x 10 x 10	10,000,000	
10 ⁸	10 × 10 × 10 × 10 × 10 × 10 × 10 × 10	100,000,000	
10 ⁹	10 × 10 × 10 ×	100010001000 1000 1	00(100)

2. Place value grid

1. Place value counters

Hundred	Ten Thousands	Thousands	Hundreds	Tens	Ones

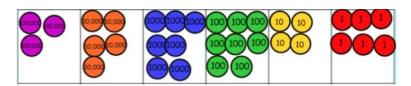
- 3. Rule:
 - 1. Underline the column you are adding to or subtracting from

$$423 + 10 = 433$$

- 2. Add or subtract them
- 3. Everything else stays the same (unless you are crossing a boundary)
- I can compare up to 4 digit numbers by looking at the hundreds, tens and ones columns.

See previous year group

I can compare up numbers up to 1,000,000 by looking at the place value columns



2. Place value grid

Hundred	Ten Thousands	Thousands	Hundreds	Tens	Ones

- 3. Rule:
- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the tens first
- d. Compare the ones

1	<u>7</u>	5	<u>3</u>		9	3	2
1	7		5	3			
5	3		3	2			
	9		1	7			
3	2			9			

 $0 \longrightarrow I$ can use compare up to 4 digit numbers using greater than (>) and less than (<) signs.

See previous year group

I can use compare numbers up to 1,000,000 using greater than (>) and less than (<) signs.

Same as previous

- □ I can order up to 4 digit numbersSee previous year group
- 0 I can order numbers up to 1,000,000

Rule:

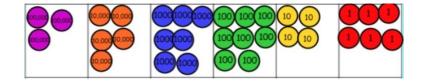
- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the tens first
- d. Compare the ones

1	<u>7</u>	5	<u>3</u>		<u>9</u>	3	<u>2</u>
1	7		5	3			
5	3		3	2			
	9		1	7			
3	2			9			

0 I can partition up to 4 digit numbers in non-standard ways Eg) 1500 → 1100 + 300 + 100 not 1000 + 50 See previous year group

I can partition numbers up to 1,000,000 in non-standard ways Eg) $456,421 \rightarrow 100,000 + 300,000 + 56,000 + 400 + 21$ not 400,000 + 50,000 + 6,000 + 400 + 20 + 1

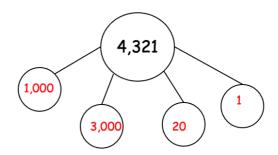
1. Place value counter



2. Place value chart

Hundred Thousands	Ten Thousands	Thousands	Hundreds	Lens	Ones

3. Part part whole model

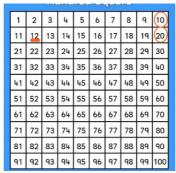


4. Write as an addition statement \rightarrow 4,321 = 1,000 + 3,000 + 300 + 20 + 1

- 0 I can count in multiples of 25 and 1,000
- 0 → I know how to make 100 by repeatedly adding 25
- 0-- I can apply this knowledge to larger numbers
- □ I can divide numbers into equal partsSee previous year group
 - 1 can read a scale using equal partsSee previous year group
- I can identify the multiples of 10, 100 and 1,000 either side of a given number See previous year group
- 1 can identify the multiples of 10,000 and 100,000 either side of a given number
 - 1. Number line



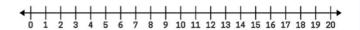
2. Hundred square



 0 I can position up to 4 digit numbers on a number line and reason why they are positioned there

See previous year group

- I can position numbers up to 1,000,000 on a number line and reason why they are positioned there
 - 1. Number lines with numbers on



2. Number lines with different intervals (2, 4, 5, 10, 50, 100 etc)

3. Blank number lines

- I can understand that tenths are dividing 1 whole into 10 equal parts

 See previous year group
- I understand that 10 parts make 1 whole or 10 tenths make 1 whole See previous year group
- I know the counting sequence for counting in decimals

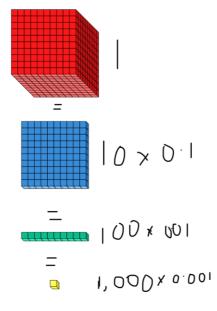
 See previous year group
- I can partition decimals into whole numbers and tenths

 See previous year group

DECIMAL POINTS DO NOT HAVE THEIR OWN SQUARE BUT SIT ON THE LINE IN BETWEEN THE ONES AND TENTHS COLUMN

- I understand that hundredths are dividing 1 whole into 100 equal parts

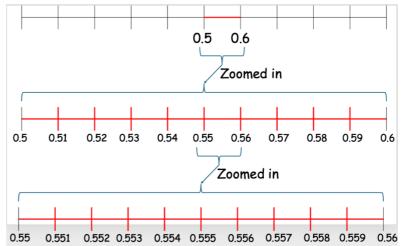
 See previous year group
- I know hundredths are dividing tenths into 10 equal parts
 See previous year group
- 1 understand that thousandths are dividing 1 whole into 1,000 equal parts
 - 1. Dienes



2. Bar model

										C).1							
				0.	01					0.01	0.01	0.01	0.01	0.01	0.01	0.01	0.01	0.01
0.001	0.001	0.001	0.001	0.001	0.001	0.001	0.001	0.001	0.001				REF	PEA	TE	<mark>)</mark>		

3. Numberline



of decimals to find relationships

E.g.

1 tenth = 10 hundredths

1 tenth = 100 thousandths

- I can write any decimal equivalent in whole, tenths and hundredths

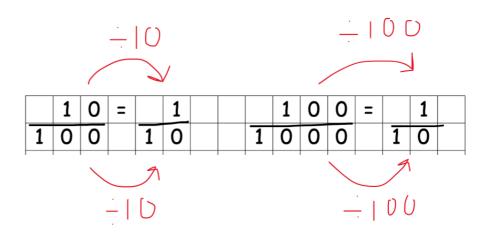
 See previous year group
- 1 can partition a number with 3 decimal places using standard partitioning
 - 1. Place value counters



M Millions	HTh Hundred Thousands	TTh Ten Thousands	Th Thousands	H Hundreds	T Tens	O Ones	t Tenths	h Hundredths	th Thousandths
1 000 000		10 000		100	10	1	0.1	0.01	0.001
									BEYOND

0 ☐ I know the powers of 10 with decimals

Rule \rightarrow Whatever we do to the top (numerator), we do the same to the bottom (denominator)

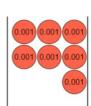


- 9- I can convert between fractions and tenths

 See previous year group
- I can convert between fractions and hundredths
 See previous year group
- I can convert between fractions and thousandths
 - 1. Place value counters







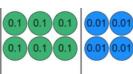
HTh	TTh	Th	н	т	0	t	h	th
	Ten Thousands	Thousands	Hundreds	Tens	Ones	Tenths	Hundredths	Thousandths
100 000	10 000		100	10	1	0.1	0.01	0.001
								BEYOND
		Hundred Ten Thousands Thousands	Hundred Ten Thousands Thousands	Hundred Ten Thousands Hundreds Thousands	Hundred Ten Thousands Hundreds Tens Thousands Thousands	Hundred Ten Thousands Hundreds Tens Ones Thousands Thousands	Hundred Ten Thousands Hundreds Tens Ones Tenths Thousands Thousands	Hundred Ten Thousands Thou

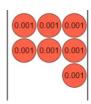
- 3. Written
- Line in a fraction means divide
- The fraction represents 3 ÷ 1,000
- 3 wholes divided into 1,000 equal parts

			3	=	0	.0	0	3
1	0	0	0					
		6	5	=	0	0	6	5
1	0	0	0					
	5	4	2	=	0	. 5	4	2
			0	ī				

- 0→ I can write a numbers up to 3 decimal places as fractions
 - 1. Place value counters

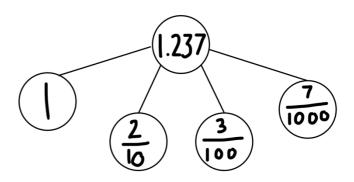






M Millions	HTh Hundred	TTh Ten	Th Thousands	H Hundreds	T Tens	0	t Tenths	h	th Thousandths
MIIIIOIIS	Thousands	Thousands	IIIOUSalius	nullareas	Tells	Ones	renuis	Hunareaths	inousandins
1 000 000	100 000	10 000		100	10	1	0.1	0.01	0.001
									BEYOND

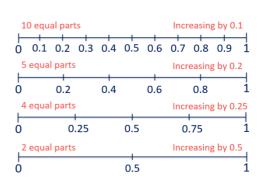
3. Part part whole model



4. Written as an addition statement

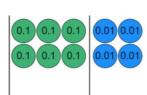
1	2	3	7	=	1	+		2	+			3	+				7
							1	0		1	0	0		1	0	0	0
				=	1		2	3	7								
						1	0	0	0								

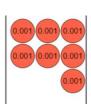
- 1 can position numbers up to 3 decimal places on a number line
 - 1. Number lines with numbers on
 - 2. Number lines with different intervals (0.1, 0.01, 0.001, 0.2, 0.5 etc)



- 3. Blank number line
- I can compare numbers with 1 decimal place
 See previous year group
- I can compare numbers up to 2 decimal placesSee previous year group
- □ I can compare numbers with 3 decimal places
 - 1. Place value counters







М	HTh	TTh	Th	н	т	o	t	h	th
		Ten Thousands	Thousands	Hundreds	Tens	Ones	Tenths	Hundredths	Thousandths
	100 000	10 000		100	10	1	0.1	0.01	0.001
									BEYOND

3. Rule:

- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the largest PV column
- d. Move left

1	. 2	4		4	. 3	3	2 .	. 1		0	. 2	9	
		1	. 2	4					0	. 2	9		
		4	. 3						1	2	4		
	3	2	1						4	3			
		0	2	9				3	2	1			

I can compare numbers up to 3 decimal places

Same as previous

Ensure children are given examples with a mixture of integers, 1 d.p., 2 d.p. and d.p.

1.	. 7	6		1.	. 4	9	5		2		3	, 4
1 .	.7	6						1 .	. 4	9	5	
1.	. 4	9	5					1 .	.7	6		
2								2.	•			
3 .	. 4							3	. 4			

Ensure children are given examples with 0 as a place holder.

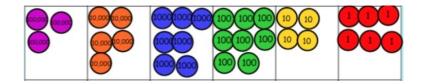
3	4	0	1	1	.0	3		2	, 4		3	0	.0	1
3	4.	0	1					1.	0	3				
	1.	0	3					2	4					
	2.	. 4					3	0	0	1				
3	0.	0	1				3	4	0	1				

Year Six:

- I can recognise that a 5 digit number is made up of ten thousands, thousands, hundreds, tens and ones

 See previous year group
- I can recognise that a 6 digit number is made up of hundred thousands, ten thousands, thousands, hundreds, tens and ones

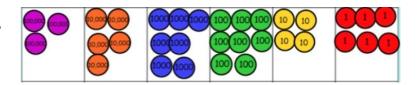
 See previous year group
- I can recognise that a 7 digit number is made up of millions, hundred thousands, ten thousands, thousands, hundreds, tens and ones
 - 1. Place value counter



2. Place value chart

Tens	Hundreds	Thousands	Ten Thousands	Hundred Thousands	Millions
	Tens	Hundreds	Thousands Hundreds Tens	Thousands Thousands Hundreds	Hundred Thousands Thousands Thousands Hundreds

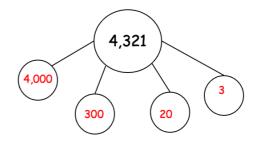
- O- I can compose and decompose 5 and 6 digit numbers using standard partitioning
 See previous year group
- I can compose and decompose numbers up to 10,000,000 using standard partitioning



2. Place value chart

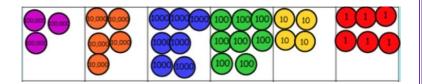
Millions	Hundred	Ten Thousands	Thousands	Hundreds	Tens	Ones

3. Part part whole model



- 4. Write as an addition statement \rightarrow 4,321 = 4,000 + 300 + 20 + 1
- $0 \rightarrow I$ know that 10 thousands are equivalent to 1 ten thousand ($10 \times 1000 = 10,000$)
- I know that 10 ten thousands are equivalent to 1 hundred thousand ($10 \times 10,000$ = 100,000)
- I know that 10 hundred thousands are equivalent to 1 million ($10 \times 100,000 = 100,000$)
- 0 ☐ I can read numbers up to 1 million in digits and words
- 0 ☐ I can read numbers up to 10 million in digits and words
- 0 → I can write numbers up to 1 million in digits and words
- 0 I can write numbers up to 10 million in digits and words
- 1 can count forwards and backwards in powers of 10 from a given number

Power	Expression	Standard Form
10^{1}	10	10
10^{2}	10 x 10	100
10^{3}	10 x 10 x 10	1,000
10 ⁴	10 x 10 x 10 x 10	10,000
10^{5}	10 x 10 x 10 x 10 x 10	100,000
10^{6}	10 x 10 x 10 x 10 x 10 x 10	1,000,000
10^{7}	10 x 10 x 10 x 10 x 10 x 10 x 10	10,000,000
10 ⁸	10 x 10	100,000,000
10 ⁹	10 × 10 × 10 × 10 × 10 × 10 × 10 × 10 ×	1,000,000,000



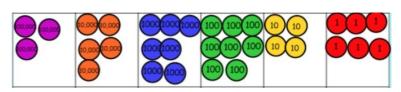
Millions	Hundred	Ten Thousands	Thousands	Hundreds	Tens	Ones

- 3. Rule:
 - 4. Underline the column you are adding to or subtracting from

$$423 + 10 = 433$$

- 5. Add or subtract them
- 6. Everything else stays the same (unless you are crossing a boundary)
- I can compare up numbers up to 1,000,000 by looking at the place value columns

 See previous year group
- □ I can compare up numbers up to 10,000,000 by looking at the place value columns



2. Place value grid

Millions	Hundred Thousands	Ten Thousands	Thousands	Hundreds	Tens	Ones

3. Rule:

- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the tens first
- d. Compare the ones

1	<u>7</u>	5	<u>3</u>		<u>9</u>	3	<u>2</u>
1	7		5	3			
5	3		3	2			
	9		1	7			
3	2			9			

- I can use compare numbers up to 1,000,000 using greater than (>) and less than (<) signs.
- I can use compare numbers up to 1,000,000 using greater than (>) and less than (<) signs.

Same as previous

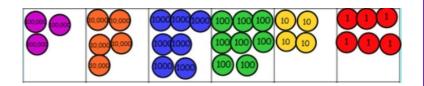
- 0 I can order numbers up to 1,000,000 See previous year group
- 0 → I can order numbers up to 10,000,000

Rule:

- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the tens first
- d. Compare the ones

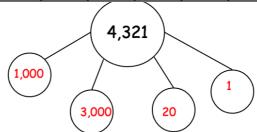
1	<u>7</u>	5	<u>3</u>		<u>9</u>	3	<u>2</u>
1	7		5	3			
5	3		3	2			
	9		1	7			
3	2			9			

- I can partition numbers up to 1,000,000 in non-standard ways
 See previous year group
- I can partition numbers up to 10,000,000 in non-standard ways Eg) $456,421 \rightarrow 100,000 + 300,000 + 56,000 + 400 + 21$ not 400,000 + 50,000 + 6,000 + 400 + 20 + 1
 - 1. Place value counter



2. Place value chart

3. Part part whole model



4. Write as an addition statement \rightarrow 4,321 = 1,000 + 3,000 + 300 + 20 + 1

- I can identify the multiples of 10,000 and 100,000 either side of a given number
 See previous year group
- I can identify the multiples of 1,000,000 either side of a given number



- 1. Number line
- 2. Hundred square

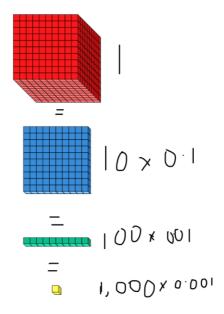
		U UN			-	U-M-	-		
1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

 $^{0-}$ I can position numbers up to 1,000,000 on a number line and reason why they are positioned there

See previous year group

- 0-x I can position numbers up to 10,000,000 on a number line and reason why they are positioned there
 - 1. Number lines with numbers on 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20
 - 2. Number lines with different intervals (2, 4, 5, 10, 50, 100 etc)
 - 3. Blank number lines
- 0 → I understand that thousandths are dividing 1 whole into 1,000 equal parts

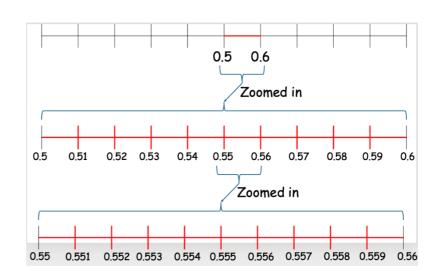
1. Dienes



2. Bar model

	0.1																	
	0.01									0.01	0.01	0.01	0.01	0.01	0.01	0.01	0.01	0.01
0.001	1000 1000 1000 1000 1000 1000 1000 100										REF	PEA	TE	<mark>)</mark>				

3. Numberline



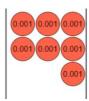
0— I can apply my knowledge of decimals to find relationships

E.g.

1 tenth = 10 hundredths 1 tenth = 100 thousandths 0 ☐ I can partition a number with 3 decimal places using standard partitioning





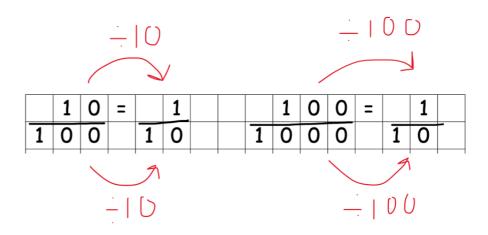


2. Place value grid

М	HTh	TTh	Th	н	Т	0	t	h	th
Millions		Ten Thousands	Thousands	Hundreds	Tens	Ones	Tenths	Hundredths	Thousandths
1 000 000		10 000		100	10	1	0.1	0.01	0.001
									BEYOND

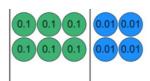
0- I know the powers of 10 with decimals

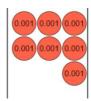
Rule → Whatever we do to the top (numerator), we do the same to the bottom (denominator)



0 → I can convert between fractions and thousandths







2. Place value grid

M	HTh	TTh	Th	Н	T	0	t	h	th
Millions		Ten Thousands	Thousands	Hundreds	Tens	Ones	Tenths	Hundredths	Thousandths
	100 000	10 000		100	10	1	0.1	0.01	0.001
									BEYOND

- 3. Written
- Line in a fraction means divide
- The fraction represents 3 ÷ 1,000
- 3 wholes divided into 1,000 equal parts

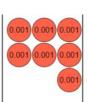
			3	=	0	.0	0	3
1	0	0	0					
		6	5	=	0	0	6	5
1	0	0	0					
▲		_	•					l
1								
1	5		2	=	0	. 5	4	2

0─x I can write numbers up to 3 decimal places as fractions

1. Place value counters

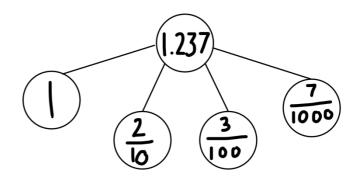




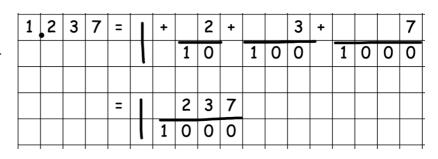


М	HTh	TTh	Th	н	Т	O	t	h	th
		Ten Thousands	Thousands	Hundreds	Tens	Ones	Tenths	Hundredths	Thousandths
	100 000	10 000		100	10	1	0.1	0.01	0.001
									BEYOND

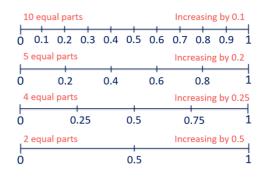
3. Part part whole model



4. Written as an addition statement

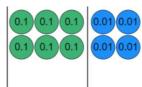


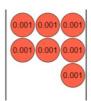
- 0-x I can position numbers up to 3 decimal places on a number line
 - 1. Number lines with numbers on
 - 2. Number lines with different intervals (0.1, 0.01, 0.001, 0.2, 0.5 etc)
 - 3. Blank number line



- 0 → I can compare numbers with 3 decimal places
 - 1. Place value counters







2. Place value grid

М	HTh	TTh	Th	н	Т	0	t	h	th
		Ten Thousands	Thousands	Hundreds	Tens	Ones	Tenths	Hundredths	Thousandths
	100 000	10 000		100	10	1	0.1	0.01	0.001
									BEYOND

3. Rule:

- a. Underline the ones digit
- b. Write the numbers on top of each other ensuring the ones are lined up
- c. Compare the largest PV column
- d. Move left

1	. 2	4		4	. 3	3	2	. 1		0	. 2	9	
										_			
		1	. 2	4					0	. 2	9		
		4	. 3						1	2	4		
	3	2	1						4	3			
		0	2	9				3	2	1			

0 ─ I can compare numbers up to 3 decimal places

Ensure children are given examples with a mixture of integers, 1 d.p., 2 d.p. and d.p.

1.	, 7	6		1	. 4	9	5		2		3	, 4
1.	. 7	6						1	. 4	9	5	
1.	. 4	9	5					1 .	.7	6		
2.								2	•			
3 .	. 4							3	. 4			

Ensure children are given examples with 0 as a place holder.

3	4	0	1	1	.0	3		2	. 4		3	0	0	1
3	4 .	0	1					1.	0	3				
	1.	0	3					2	4					
	2.	. 4					3	0	0	1				
3	0	. 0	1				3	4	0	1				