

Curriculum

Intent

for

Maths

At Rayner Stephens High School, we believe that everyone can do maths. The intent of the mathematics curriculum is to provide students with a high-quality and ambitious curriculum which will allow all students to achieve their mathematical potential and prepare them well for everyday life and future employment. Through mathematics lessons, we promote mathematical thinking which will encourage students to develop conceptual understanding, to establish links between the different disciplines within maths and to provide the opportunity to apply this understanding to solve increasingly complex problems. In KS3, students are introduced to topics in mathematics using a concrete, pictorial, abstract approach to allow students to develop their fluency, reasoning and problem-solving skills. Topics are interleaved to allow students to improve their previous learning and allow them to develop application and skill links between the different areas of mathematics. In KS3, students are exploring topics in order to create the building blocks to prepare them for their GCSE studies in Years 10 and 11. Covering the disciplines of number, algebra, geometry, ratio, proportion, data handling and probability, students are given the opportunity to retrieve, affirm and extend their understanding as they progress on their mathematics journey through KS3 and KS4. Students will be encouraged to become fluent in the fundamentals, to be able to reason mathematically, by problem solving and be able to develop an argument or justification using mathematical language.





		Y	ear 8 – Mathematics 2	2022-2023			
Curriculum intent	Through mathematics lessons we promote mathematical thinking to allow all students to achieve their mathematical potential and engage in the study of mathematics. Using a mastery style approach to mathematics allows all students to develop their fluency, reasoning and problem solving using the concrete, pictorial, abstract (CPA) approach. As students progress through their learning topics from previous learning with be interleaved into future learning so students develop application and skill links between different areas of mathematics.						
	In Year 8, students start their journey consolidating their knowledge of multiplication and division, considering both formal and mental methods to enable them to solve problems in a variety of ways. Moving on, students will further their understanding and become more confident with using directed numbers in a variety of numerical and algebraic applications to form a solid basis for further learning. Linking back to previous work on addition and subtraction from Year 7, students will further their knowledge using fractions and applying this to a variety of number types and using algebraic fractions. To complete the Autumn term, students will move on to ratio and proportion.						
	As Year 8 continues, students will continue to study multiplicative change before exploring and furthering understanding of multiplying and dividing fractions. As the spring terms continues, students will study the Cartesian Plane to notice the proportional relationships of line graphs and line segments. Completing the term, students will learn about different types of data and some statistical representations including scatter graphs and tables before moving on to studying probability.						
	In term 3, student will b their knowledge of frac	uild upon their knowled ctions, decimals and pe	ge and apply it to indice rcentages, before comp	es calculations before m oleting the year furthering	oving on to further cons g their knowledge of stc	olidate and expand andard index form.	
Term	Autumn 1	Autumn 2	Spring 1	Spring 2	Summer 1	Summer 2	
Knowledge	 Solve problems with multiplication and division. Operations and equations with directed number. 	 Addition and subtraction of fractions. Ratio and Scale. Multiplicative Change. 	 Multiplicative Change. (cont.) Multiplying and dividing fractions. 	 Working in the Cartesian Plane. Representing Data. Tables and Probability. 	 Brackets, Equations and Inequalities. Sequences 	 Indices Fractions and Percentages. Standard Index Form 	
Term	Autumn 1	Autumn 2	Spring 1	Spring 2	Summer 1	Summer 2	
Skills	 Use the properties of multiplication and division, including the commutative associative laws of arithmetic Understand and use factors and multiples Multiply and divide integers and decimals by powers of 10 	 Understand representations of fractions Understand and use equivalent fractions. Convert between mixed numbers and fractions. Add and subtract proper fractions in any form. 	 Explore relationships between similar shapes. Understand scale factors as multiplicative representations. Draw and interpret scale diagrams. Interpret maps using scale factors and ratios. 	 Work with coordinates in all four quadrants. Identify and draw line that are parallel to the axes. Recognise and use the line y = x Recognise and use lines in the form y = kx Link y = kx to direct proportion problems. 	 Form algebraic expressions. Use directed number with algebra. Multiply out a single bracket. Factorise into a single bracket. Expand multiple single brackets and simplify. Expand a pair of binomials. 	 Adding and subtracting expressions with indices. Simplify algebraic expressions by multiplying indices. Simplifying algebraic expressions by dividing indices. Using the addition and subtraction law for indices. 	

Convert between	 Add and subtract 	 Represent 	• Explore the gradient	Solve equations	• Exploring powers of
different metric units	improper fractions	multiplication of	of the line $y = kx$	including brackets.	powers.
 Use formal written 	and mixed numbers	fractions.	Recognise and use	 Form and solve 	 Convert fluently
methods for	 Use fractions in 	 Multiply a fraction by 	lines of the form: $y =$	equations with	between key
multiplication and	algebraic contexts	an integer.	x + a	brackets.	fractions, decimals
division, applied to	 Use equivalence to 	 Find the product of a 	 Explore graphs with 	 Understand and solve 	and percentages.
positive integers and	add and subtract	pair of unit fractions.	negative gradient.	simple inequalities.	 Calculate key
decimals	decimals,	 Find the product of a 	Link graphs to linear	 Form and solve 	fractions, decimals
 Understand and use 	percentages and	pair of any fractions.	sequences.	inequalities.	and percentages of
order of operations	fractions.	 Divide and integer by 	 Plot graphs of the 	 Solve equations and 	an amount without a
 Understand and use 	 Add and subtract 	a fraction.	form $y = mx + c$	inequalities with	calculator.
multiple	simple algebraic	 Understand and use 	Explore non-linear	unknowns on both	 Calculate fractions
representations of	fractions.	the reciprocal.	graphs.	sides.	decimals and
directed numbers	 Understand the 	 Divide any pair of 	 Find the midpoint of 	 Form and solve 	percentages of an
 Understand and use 	meaning and	fractions.	a line segment.	equations and	amount with a
multiple	representation of	 Multiply and divide 	 Draw and interpret 	inequalities with	calculator.
representations of	ratio and its notation.	improper and mixed	scatter graphs.	unknowns on both	 Convert between
directed numbers	 Solve problems 	fractions.	 Understand and 	sides.	decimals and
 Perform calculations 	involving the form 1:n		describe linear	 Identify and use 	percentages greater
that cross zero	or n:1.		correlation.	formulae, expressions,	than 100%
 Complete 	 Solve proportional 		 Draw and use line of 	identities, and	 Calculate
calculations using all	problems with two		best fit.	equations.	percentage increase
four operators	part ratios.		 Identify non-linear 	 Generate sequences 	and decrease with a
involving direct	 Divide a value into 		relationships.	given a rule in words.	multiplier.
numbers	given ratios		 Identify different 	 Generate sequences 	 Express one number
 Use of a calculator 	 Simplify ratios 		types of data.	given a simple	as a fraction or
with directed	 Express ratios is the 		 Read and interpret 	algebraic rule.	percentage of
numbers	form 1:n.		ungrouped and	 Generate sequences 	another with and
 Evaluate algebraic 	 Compare ratios and 		grouped frequency	given a complex	without a calculator.
expressions involving	related fractions.		tables.	algebraic rule.	Work out percentage
directed numbers	• Understand π as the		 Represent grouped 	• Find the rule for the	change.
 Understand and use 	ratio between		discrete data.	nth term of a linear	 Choose appropriate
two step equations	diameter and		Represent	sequence.	methods to solve
 Explore powers and 	circumference.		continuous data	•	percentage
roots.	 Understand the 		grouped into equal		problems.
	gradient of a line as a		classes.		 Find the original
	ratio.		Represent data in		amount given a
	 Solve problems 		two-way tables.		percentage.
	involving direct		Construct and find		Investigate positive
	proportion.		probabilities from		powers of 10.
	Explore conversion		sample space		work with numbers
	graphs.		alagrams.		greater than 1 in
	Convert between		Fina probabilities		standard form.
	currencies.		Trom two-way tables		Investigate negative
			ana venn diagrams.		powers of 10

						 Compare and order numbers in standard form. Calculate with numbers in standard form. Understand and use negative and fractional indices.
Assessments	2 end of unif assessments.	2 end of unit assessments.	2 end of unif assessments.	3 end of unif assessments.	2 end of unif assessments.	assessments.
Enrichment	 Make a how to use your calculator guide! It will come in helpful for future learning. You're planning an epic journey, use Google Earth to figure out where you will travel, and how far in total you will travel. Can you give distances in cm, m and km? Can you investigate average temperatures across the work, can you find very cold cities/places and compare them to very warm cities/places, Work out the differences. Try to keep practising your negative number skills! https://www.cimt.org. uk/projects/mepres/b ook7/bk7i15/bk7_15i2 .htm 	 Can you design a board game which tests your fraction arithmetic? How do prices differ in different countries? Try finding the price of an item in 4 different country and convert the currency into British Pound – which country is cheaper? 	Can you enlarge an image from a magazine by a scale factor?	 Looking at a newspaper or magazine, how many times do you see data displayed / represented? Learn about the Archimedean spiral and its links to the coordinates we have been learning about. <u>https://nrich.maths.or g/13746</u> Can you make a treasure hunt using coordinates? Have you tried Desmos graphing tool? <u>https://www.desmos. com/calculator</u> Experiment with different equations to see how they appear on a Cartesian Plane. 	 How did the machine guess your number? Can you work out the process it used? https://nrich.maths.or g/7216 Can you write a restaurant order for at least 8 friends using algebra and brackets? How could this help waiting staff? Are there any other real-life uses of brackets and algebraic expressions? 	 Go shopping. Look around at the reductions in any shop - can you work out the percentage change? Can you design a poster to explain the laws of indices and standard form? Can you find the value of n using your knowledge of indices and algebra? https://nrich.maths.o rg/847

Year 8 Maths - Autumn Term Knowledge Organiser - Solving Problems with multiplication and division

Key Vocabulary:		9	Factors				
1	Multiply	The result of multiplying a number by an integer. The times tables of a number	A	number that divides exactly into another number without a emainder. It is useful to write factors in pairs <u>Factors of IO</u> I, 2, 5, IO The number itself is always a factor	13 Use fo Long multip 326 Th	prication column 32 = 10 H = 7 32 = 6 32 = 6 32 = 2	H32 Make the unit 0 then carry on →multiplying
2	Product	The result of a multiplication calculation.		Factors of 4 Factors of 36 I, 2, 4 I, 2, 3, 4, 6, 9, 12, 18, 36	+ 9 1 0 1	$\begin{array}{c} 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 $	
2		Found by multiplying any	10 The	Multiples result of multiplying a number by an integer. The times	14 Use fo Multiply 0.03 Multiply 0	ormal methods to mult 3 by 1.1= 0.033 0.03 by 1.1= 0.033 K	tiply decimals the answer should have the same number of
3	Multiples:	number by positive integers	tabit	Lowest Common Multiples LCM of 9 and 12 The first time ther multiples match 9 9, 18, 27, 36, 45, 54 LCM - 36 12 12, 24, 36, 48, 60 0			decimal places as are in both the numbers you are multiplying.
4	Factor	Integers that multiply together to get another number.	11	Multiply and divide integers and decimals by powers of 10	Multiply with 0.03 has 2 dec so the answe	nout decimal points: cimal places, and 1.1 h er has 3 decimal places	3 × 11 = 33 nas 1 decimal place, s: 0.033 de integers and decimals
			A re	number that divides exactly into another number without a mainder. It is useful to write factors in pairs	3584 ÷ 7	r = 512 Short divit	$\frac{1}{3}^{3}5$ 8 $\frac{1}{4}$
5	Quotient	The result of a division			Division with The placeho decimal line	<u>h decimals</u> older in division metho es up on the dividend	ods is essential –the and the quotient
6	Divisor	The number we divide by		15 100 300 $15 100$	$24 \div 0.02$ All give the sa .Multiply the	→ 24 ÷ 02 γ ame solution as repre	sent the same proportion until the divisor becomes an
			12	Convert metric units	integer.		
7	Mean	The average of the all values, whereby all of the values are added together and then divided by the number of values.	Wh con big uni	when we hvert from x_{10} x_{10} x_{100} x_{1000} km $t we +10$ -100 -1000	16 Order	of operations Brackets Indices or roots	Break down the calculation using the order of operations.
8	Equivalent	Something that is essentially the same or equal to something else	mu we froi to k divi	It ip ly and if convert m small unit g big unit we ide. kg $ml + 1000$ L	$\begin{array}{r} -2 & \sqrt{2} \\ \times & \frac{1}{2} \\ + & \frac{1}{2} \\ + & \frac{1}{2} \\ + & \frac{1}{2} \\ + & \frac{1}{2} \\ - & \frac{1}{2} \\ + & \frac{1}{2} \\ - & \frac{1}{2} \\ + & \frac{1}{2} \\ - & \frac{1}{2}$	Multiplication or division Oddition or subtraction	6 x 4 + 8 x 2 -5 24 + 16 = 40

Year 8 Maths Autumn Term Knowledge Organiser - Addition & subtraction of fractions

Кеу	Vocabulary:			
1	Denominator	The number below the line on a fraction. The number represent the total number of parts	11 Representing Fractions 11 Representing Fractions 11 is represented in	14Adding or Subtracting FractionsFind the LCM of the denominators to find a common denominator. Use equivalent fractions to change each fraction to the common denominator. Then just add or subtract the
2	Numerator	The number above the line on a fraction. The top number. Represents how many parts are taken.	all the images $\downarrow \downarrow \downarrow \downarrow \downarrow \downarrow$ $0 \qquad 1$	numerators and keep the denominator the same $\frac{2}{3} + \frac{4}{5}$ Multiples of 3: 3, 6, 9, 12, 15 Multiples of 5: 5, 10, 15 LCM of 3 and 5 = 15 2 10
3	Divide	To separate into parts	12 Add/Subtract unit fractions With the same denominator ONLY the numerator is added or subtracted	$\frac{\overline{3}}{\overline{4}} = \frac{15}{15}$ $\frac{4}{5} = \frac{12}{15}$ 10 12 22 7
4	Greater than	To be more than or have more value than another number	$\frac{1}{12} + \frac{1}{12} - \frac{1}{12}$ $\frac{1}{4} + \frac{1}{4}$ 0 $\frac{1}{4} + \frac{1}{4}$ $\frac{1}{4}$	$\frac{15 + 15}{15} = \frac{15}{15} = 1\frac{15}{15}$ 15 Understand and use equivalent fractions. Equivalent fractions have different numerators
5	Less than	To be smaller than or have a smaller value than another number.	13 Mixed numbers and fractions An improper fraction has a numerator which is greater than the denominator. For example: 7 Improper fraction	and denominators but share the same value.
6	Mixed number:	A number with an integer and a proper fraction	A mixed number is made up of an integer and a proper fraction. For example:	2 = 4 = 8 16 Add and subtract proper fractions and mixed numbers.
7	Improper fractions	A fraction where the numerator is greater than the denominator.	$1\frac{2}{5}$ Mixed number Fractions can be bigger than a whole To convert between improper fractions and mixed numbers, we need to look at how many parts make up the whole.	Use the bar models to help you work out the calculation. $1\frac{1}{4} + \frac{3}{8} = 1\frac{2}{8} + \frac{3}{8} = 1 + \frac{5}{8} = 1\frac{5}{8}$ $1\frac{1}{4} + \frac{3}{8} = \frac{5}{4} + \frac{3}{8} = \frac{10}{8} + \frac{3}{8} = \frac{13}{8} = 1\frac{5}{8}$
8	Unit fraction	A fraction where the numerator is one	The bar models show $\frac{10}{6}$. There are 6 parts in the whole. 13 ÷ 6 = 2 remainder 1	17 Use equivalence to add and subtract decimals and fractions
9	Whole	An integer or when the numerator is the same value as the denominator.	$\frac{13}{6} = 2 \frac{1}{6}$ The bar models show $3 \frac{2}{5}$. There are 5 parts in the whole.	Example: to 7/10 then add these fraction together. $\frac{3}{10} + 0.7$
10	Equivalent	Something that is essentially the same or equal to something else, but might have a difference in how it is represented.	$3 \times 5 = 15$ $\frac{15}{5} + \frac{2}{5} = \frac{17}{5}$	$ \begin{array}{c} 0.3 + 0.7 = 1 \\ 3 \\ 10 + 10 = 10 = 1 \\ \hline 3 \\ 10 + 0.7 \\ \hline 0 \\ 1 \end{array} $

Year 8 Mathematics Knowledge Organiser – Ratio and Scale

1	Ratio	Used to compare values; says	10 Representing Ratios	14 Expressing Ratios in Simplest Form
		how much of thing there is,	Paties can be represented in many different ways:	We can simplify ratios by finding factors in all parts of the
		compared to another thing.	Ratios can be represented in many unreferit ways.	ratio.
				Example
2	Proportion	When two ratios or fractions are		Simplify the ratio 12:18.
		equal to each other.		We know the highest factor of both 12 and 18 is 6, so we can
			4 40 44 ×0.75	divide both numbers by 6.
				12 ÷ 6 = 2
3	Multiplier	The number that we are	Pink ×11 (, , , , , , , , , , , , , , , , , ,	18 ÷ 6 = 3
		multiplying by.	3 30 33	So, the simplified ratio is 2:3.
				(Remember, the order is important, this shouldn't change!)
			÷0.75	15 Comparing Ratios and Fractions
4	Placeholder	Something that holds a place in a	11 Ratio Notation	We can use representations (like those in section 8) to help us
	i lacenolael	number, e.g. zero.	Ratios are represented as numbers with colons in between,	compare ratios and fractions.
			for example 3:1.	
			The order of the numbers in the ratio is always important;	<u>Example</u>
			this tells us what the information is about.	Ratio Fraction
5	Factors	Numbers that we can multiply	Most ratios have two parts, but ratios can have more than	Red : Yellow $\frac{2}{7}$ are red
5	1401015	together to get another number.	two parts, for example 2:3:1.	$2 \cdot 5 = \frac{5}{2}$
		Numbers that go into another	12 Solving Problems in the Patie 1:n	$\frac{16}{7}$
		number.	The ratio 1 m means any ratio beginning with 1 followed by	Tic a number that represents the ratio of the circumference
			any number for example 1:1, 1:4, 1:200 etc.	
			any number, for example 1.1, 1.4, 1.200 etc.	of a circle to the diameter of a circle, so $\pi = \frac{1}{d}$.
			will always he an integer (a whole number)	This can be rearranged to find the formula for the
6	Equivalent	Having the same value.		circumference of a circle: $C = \pi \times d$.
			13 Dividing Values into Given Ratios	We can substitute values of the diameter into this formula to
			We can use a bar model to help us understand how to divide	calculate the circumterence of any circle.
7	Scale	The relationship/ratio between	values into a given ratio.	Evampla
		two sets of measurements.	Europa I.	<u>Example</u> The radius of a sincle is $2m$. Find the sincumforence
			Example Share 656 in the ratio 2/5	$\Gamma = \pi x 8 - 25 132$ m ²
				17 Understanding Gradient as a Ratio
			There are 7 parts altogether	Gradient (or slope) describes how steen a line is
8	Circumference	The perimeter (the distance	so we can share the £56 into	We can calculate the gradient of a line using the ratio of
		around the outside) of a circle.	these 7 parts by doing $56 \div 7 = 8$.	width : height of a triangle.
				Once we make the width equal 1, the height tells us the
9	Diameter	The distance from one point on a	Now we know that 1 part = ± 8 , we can work out how much 2	gradient of the line.
-		circle to another point on a circle.	parts are $(2 \times 8 = \pm 16)$ and how much 5 parts are $(5 \times 8 = \pm 40)$.	
		through the centre.		Example / 4
		The longest distance across the	We can check our answer is correct by adding together our	Here the width : height ratio is 2:4.
		circle.	amounts and seeing if we get our original value: 16 + 40 = 56,	This can be simplified to 1:2.
			so we are correct.	The width is 1, and the height is 2, so the gradient is 2.

Year 8 Maths - Knowledge Organiser - Operations and equations with directed number - Autumn Term

Key V	ocabulary:			
1	Positive	A value greater than zero	13 Understand and use representations of directed numbers	17 Solve two-step equations
2	Negative:	A value less than zero.	Number lines are useful to help you visualise the calculation crossing 0.	Use the bar model to write an equation and solve it to find the unknown value. How does the diagram connect to the calculation?
3	Ascending	An arrangement of values from smallest to largest.	4 - 6 = -2 $4 - 6 = -2$ $4 - 7 = -2$ $4 -$	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$
4	Descending	An arrangement of values from largest to smallest.	14 Add and subtracting negative numbers	18 Roots of positive numbers
5	Increase	To become greater in value.	Add directed numbers Subtract directed numbers Subtract means take away or remove Subtract means take away or remove	Understanding square roots A square number comes from multiplying a number by itself.
6	Decrease	To become less in value.	Zero pair Two -1 left (-1 + 1 = 0) = -2	$4 \times 4 = 16$ therefore 16 is a square number. 16 though also has another square root, this is because:
7	Add	To bring two or more numbers together.	8+-3=5	Every number has a positive and negative square root. What is the inverse of squaring a number?
8	Subtract	To take away a number(s) from another number.	15 Multiply and Divide directed numbers	The inverse of squaring a number is to find the square root of a number. $4^2 - 16$ Remember square root
9	Minus	To take away a number(s) from another number. (The same as to subtract.)	Two representations of $2 \times -3 = -6$ -2 $\times -3$	$\sqrt{16} = 4$ and -4 \leftarrow square root have a positive and negative e value.
10	Zero Pair	When a set of two numbers that sum zero.	This is the negative of 2×-3	$\checkmark \qquad \qquad$
11	Square Root	A factor of a number that, when multiplied by itself, gives the original number, eg 4 is the square root of 16.	16Evaluate algebraic expressionsWith negative numbers the brackets are important so that it performs -4 x -4Substituted accurately and maintained the correct order of calculations throughout.	This is the order in which we do calculations: Brackets Indices $here a calculation for the calculation of $
12	Power	A base number raised to an exponent, where the base number is the factor that is multiplied by itself and the exponent denotes the number of times the base number is multiplied.	$a = 5$ $b = -4$ Brackets around negative substitutions helps remove calculation errors $a^2 = 5^2$ $b^2 = (-4)^2$ $a = 2 \times 5 - (-4) = 10 + 4 = 14$	Division or Multiplication Addition or Subtraction REMEMBER If you have a calculation that only has addition and subtraction, you go from left to right. The same applies if you only have division or multiplication.

Year 8 Maths Autumn Term Knowledge Organiser - Addition & subtraction of fractions

Кеу	Vocabulary:			
1	Denominator	The number below the line on a fraction. The number represent the total number of parts	11 Representing Fractions 11 Representing Fractions 11 is represented in	14Adding or Subtracting FractionsFind the LCM of the denominators to find a common denominator. Use equivalent fractions to change each fraction to the common denominator. Then just add or subtract the
2	Numerator	The number above the line on a fraction. The top number. Represents how many parts are taken.	all the images $\downarrow \downarrow \downarrow \downarrow \downarrow \downarrow$ $0 \qquad 1$	numerators and keep the denominator the same $\frac{2}{3} + \frac{4}{5}$ Multiples of 3: 3, 6, 9, 12, 15 Multiples of 5: 5, 10, 15 LCM of 3 and 5 = 15 2 10
3	Divide	To separate into parts	12 Add/Subtract unit fractions With the same denominator ONLY the numerator is added or subtracted	$\frac{\overline{3}}{\overline{4}} = \frac{15}{15}$ $\frac{4}{5} = \frac{12}{15}$ 10 12 22 7
4	Greater than	To be more than or have more value than another number	$\frac{1}{12} + \frac{1}{12} - \frac{1}{12}$ $\frac{1}{4} + \frac{1}{4}$ 0 $\frac{1}{4} + \frac{1}{4}$ $\frac{1}{4}$	$\frac{15}{15} + \frac{15}{15} = \frac{1}{15} = 1\frac{1}{15}$ 15 Understand and use equivalent fractions. Equivalent fractions have different numerators
5	Less than	To be smaller than or have a smaller value than another number.	13 Mixed numbers and fractions An improper fraction has a numerator which is greater than the denominator. For example: 7 Improper fraction	and denominators but share the same value.
6	Mixed number:	A number with an integer and a proper fraction	A mixed number is made up of an integer and a proper fraction. For example:	2 = 4 = 8 16 Add and subtract proper fractions and mixed numbers.
7	Improper fractions	A fraction where the numerator is greater than the denominator.	$1\frac{2}{5}$ Mixed number Fractions can be bigger than a whole To convert between improper fractions and mixed numbers, we need to look at how many parts make up the whole.	Use the bar models to help you work out the calculation. $1\frac{1}{4} + \frac{3}{8} = 1\frac{2}{8} + \frac{3}{8} = 1 + \frac{5}{8} = 1\frac{5}{8}$ $1\frac{1}{4} + \frac{3}{8} = \frac{5}{4} + \frac{3}{8} = \frac{10}{8} + \frac{3}{8} = \frac{13}{8} = 1\frac{5}{8}$
8	Unit fraction	A fraction where the numerator is one	The bar models show $\frac{10}{6}$. There are 6 parts in the whole. 13 ÷ 6 = 2 remainder 1	17 Use equivalence to add and subtract decimals and fractions
9	Whole	An integer or when the numerator is the same value as the denominator.	$\frac{13}{6} = 2 \frac{1}{6}$ The bar models show $3 \frac{2}{5}$. There are 5 parts in the whole.	Example: to 7/10 then add these fraction together. $\frac{3}{10} + 0.7$
10	Equivalent	Something that is essentially the same or equal to something else, but might have a difference in how it is represented.	$3 \times 5 = 15$ $\frac{15}{5} + \frac{2}{5} = \frac{17}{5}$	$ \begin{array}{c} 0.3 + 0.7 = 1 \\ 3 \\ 10 + 10 = 10 = 1 \\ \hline 3 \\ 10 + 0.7 \\ \hline 0 \\ 1 \end{array} $

Year 8 Mathematics Knowledge Organiser – Ratio and Scale

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		compared to another thing.	Ratios can be represented in many unreferit ways.	ratio.
				Example
2	Proportion	When two ratios or fractions are		Simplify the ratio 12:18.
		equal to each other.		We know the highest factor of both 12 and 18 is 6, so we can
			4 40 44 ×0.75	divide both numbers by 6.
				12 ÷ 6 = 2
3	Multiplier	The number that we are	Pink ×11 (, , , , , , , , , , , , , , , , , ,	18 ÷ 6 = 3
		multiplying by.	3 30 33	So, the simplified ratio is 2:3.
				(Remember, the order is important, this shouldn't change!)
			÷0.75	15 Comparing Ratios and Fractions
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	i lacenolael	number, e.g. zero.	Ratios are represented as numbers with colons in between,	compare ratios and fractions.
			for example 3:1.	
			The order of the numbers in the ratio is always important;	<u>Example</u>
			this tells us what the information is about.	Ratio Fraction
5	Factors	Numbers that we can multiply	Most ratios have two parts, but ratios can have more than	Red : Yellow $\frac{2}{7}$ are red
5	10000	together to get another number.	two parts, for example 2:3:1.	$2 \cdot 5 = \frac{5}{2}$
		Numbers that go into another	12 Solving Problems in the Patie 1:n	$\frac{16}{7}$
		number.	The ratio 1 m means any ratio beginning with 1 followed by	Tic a number that represents the ratio of the circumference
			any number for example 1:1, 1:4, 1:200 etc.	
			any number, for example 1.1, 1.4, 1.200 etc.	of a circle to the diameter of a circle, so $\pi = \frac{1}{d}$.
			will always he an integer (a whole number)	This can be rearranged to find the formula for the
6	Equivalent	Having the same value.		circumference of a circle: $C = \pi \times d$.
			13 Dividing Values into Given Ratios	We can substitute values of the diameter into this formula to
			We can use a bar model to help us understand how to divide	calculate the circumterence of any circle.
7	Scale	The relationship/ratio between	values into a given ratio.	Evampla
		two sets of measurements.	Europa I.	<u>Example</u> The radius of a sincle is $2m$. Find the sincumforence
			Example Share 656 in the ratio 2/5	$\Gamma = \pi x 8 - 25 132$ m ²
				17 Understanding Gradient as a Ratio
			There are 7 parts altogether	Gradient (or slone) describes how steen a line is
8	Circumference	The perimeter (the distance	so we can share the £56 into	We can calculate the gradient of a line using the ratio of
		around the outside) of a circle.	these 7 parts by doing $56 \div 7 = 8$.	width : height of a triangle.
				Once we make the width equal 1, the height tells us the
9	Diameter	The distance from one point on a	Now we know that 1 part = ± 8 , we can work out how much 2	gradient of the line.
-		circle to another point on a circle.	parts are $(2 \times 8 = \pm 16)$ and how much 5 parts are $(5 \times 8 = \pm 40)$.	
		through the centre.		Example / 4
		The longest distance across the	We can check our answer is correct by adding together our	Here the width : height ratio is 2:4.
		circle.	amounts and seeing if we get our original value: 16 + 40 = 56,	This can be simplified to 1:2.
			so we are correct.	The width is 1, and the height is 2, so the gradient is 2.

Year 8 Spring Term KS3 Mathematics Knowledge Organiser – Multiplying and Dividing Fractions

1 1

Кеу	Vocabulary:		10 Representing Fraction Multiplication	14 Dividing an Integer by a Fraction
			Fraction multiplication can be represented in many different	We can use bar models to understand how to divide an
1	Unit Fraction	A fraction with 1 as its numerator,	ways, using the idea of repeated addition as well as	integer by a fraction, e.g. $1 \div \frac{1}{2} = 4$.
		and an integer (whole number) as	pictures/physical objects and bar models.	We can link dividing by a fraction
		its denominator. E.g. ¼		with multiplying by an integer to $\frac{1}{4}$ $\frac{1}{4}$ $\frac{1}{4}$ $\frac{1}{4}$
				help us understand the relationship between the two.
			$\overline{3}$ $\overline{3}$ $\overline{3}$ $\overline{3}$ $\overline{3}$	For example, $2 \div \frac{1}{2} = 12$ and $2 \times 4 = 12$
2	Numerator	The top number in a fraction.		For example, $5 \div \frac{1}{4} = 12$ and $5 \times 4 = 12$.
			0 1 2 3 4 000	15 Dividing a Fraction by a Unit Fraction
				We can use a fraction wall
				to help us divide a fraction
3	Denominator	The bottom number in a fraction.		by a unit fraction. Think
				about how many unit $\frac{\frac{1}{4}}{\frac{1}{4}}$ $\frac{\frac{1}{4}}{\frac{1}{4}}$ $\frac{\frac{1}{4}}{\frac{1}{4}}$
				fractions we would need $\frac{1}{8}$
				to make the original $\frac{1}{16} \frac{1}{16} \frac{1}{16$
4	Product	The answer when two or more	S &	fraction, E.g. $\frac{1}{2} \div \frac{1}{2} = 8$.
		values are multiplied together.	market and m	10 10 10 10 10 10 10 10 10 10 10 10 10 1
				16 Understanding and Using the Reciprocal
				we need to know that:
5	Whole	All of something. A thing that is	11 Multiplying a Fraction by an Integer	The reciprocal of a number is always 1 divided by the number
		complete in itself.	We can use a number line to understand how to multiply a fraction	number.
			by an integer. For example: $7 \times \frac{1}{8} = \frac{7}{8}$.	Division is the same as multiplying by the recipiocal.
~				
6	Non-unit Fraction	A fraction where the numerator is		For example: $7 \div \frac{1}{5} = 35$ and $7 \times 5 = 35$.
		greater than 1. E.g. ¾		17 Dividing any Pair of Fractions
			0 1	Now that we know dividing by a number is the same as
7	Commutativo	An operation is commutative		multiplying by it's reciprocal, we can apply this to divide any
'	commutative	when you can change the order	12 Finding the Product of Unit Fractions	pair of fractions.
		of the calculation and still get the	We can use a grid to understand how to 1	For example:
		same answer. Both addition and	find the product of a pair of unit fractions. $4^{\frac{5}{5}}$	$5 \div \frac{2}{3} = 5 \times \frac{3}{2} = \frac{15}{2} = 7\frac{1}{2}$
		multiplication are commutative	Remember, each side of the original grid $\frac{1}{2}$	$5 \cdot 2 - 5 \cdot 3 - 15 - 5$
		manpleation are commutative.	has a unit length of 1.	9 3 9 2 18 6
			For example: $\frac{1}{2} \times \frac{1}{r} = \frac{1}{1r}$	18 Multiplying and Dividing Improper and Mixed Fractions
8	Quotient	The answer we get after we	5 5 15	When multiplying mixed numbers, we can 4
		divide one number by another.		convert them into improper fractions first $\times 2^{\frac{5}{5}}$
			13 Finding the Product of Any Fractions	before multiplying the numerators and $\frac{4}{1}$
			We can continue to use a grid to understand	denominators, then simplifying.
9	Reciprocal	The reciprocal of a number is	how to find the product of any fractions. $_{5}$	Another way would be to use a grid method,
		always 1 divided by the number.	We should remember to simplify if possible.	splitting up the mixed number into integers $\frac{1}{11}$ $\frac{12}{11}$ $\frac{12}{55}$
		E.g. the reciprocal of 2 is ½.	For example: $\frac{3}{2} \times \frac{2}{2} = \frac{6}{6} = \frac{2}{2}$	and fractions, e.g. $2\frac{4}{5} \times 1\frac{6}{11}$
		its reciprocal we get 1 E g 2 x 1/	One way to guickly multiply fractions is to	19 Multiplying and Dividing Algebraic Fractions
		- 1	multiply the numerators and multiply the	Although we are using algebra, multiplying and dividing
		- 1.	denominators.	algebraic fractions follow the same rules as numerical
				fractions.

Year 8 Spring Term Mathematics Knowledge Organiser – Multiplicative Change

1	Proportion	When two ratios or fractions are	11 Direct Proportion	14 Ratio between Similar Shapes
		equal to each other.	Two things are directly proportional if: as one amount increases (or decreases), the other amount increases (or	Corresponding lengths on similar shapes are always in the same ratio.
2	Ratio	Used to compare values; says how much of thing there is, compared to another thing.	decreases) at the same rate. We can use lots of different methods to solve problems with direct proportion, such as bar models, ratios, fractions and the unitary method (finding the value of one).	Example 8m 6m
3	Variable	A symbol for a value we do not know yet, usually a letter like x or y. E.g. in x + 2 = 6, x is the variable.	Carina is making 50 muffins. 50 = '2 and a half lots of 20' 2.5 × 250 = 625 g of sugar Zaib is making 12 muffins 20 20 20 20 20 8 eggs	8m : 16m These lengths are in ratio so the rectangles are similar. 10m 3m 5m
4	Conversion	Changing a value or expression from one form to another.	20:200 mit Daniel is making 5 muttins. 1:12:5 ml 20 ÷ 5 = 4 12:150 ml "I need 4 times less than the recipe 150 ml of milk I will use 100g of flour".	3m : 5m 8m : 10m These lengths are not in ratio, so the rectangles are not
5	Approximation	A result that is not exact, but close enough to be used.	12 Conversion Graphs Conversion graphs can be used to convert between many different things, for example: currency, temperature, weights,	similar. 15 Understanding Scale Factors A scale factor tells us the ratio between corresponding measurements of an actual object and a conv of the object
6	Estimation	Finding a value that is close enough to the right answer, usually with some thought or calculation involved.	and to make sure the scale is going up in equal amounts.	If the scale factor is bigger than 1, the copy will be larger. If the scale factor is less than 1 (e.g. ½), the copy will be smaller.
7	Exchange rate	Tells us the value of one currency (type of money in a particular country) in terms of another currency.	13 Converting between Currencies We can convert between currencies using lots of different methods. Example	Scale diagrams (or drawings) are used to represent a smaller or larger object, shape or image. The scale used will depend on the reduction or enlargement of the object. Some common scale ratios that are used:
8	Corresponding	Referring to two (or more) things that appear in the same place, in two similar situations.	1 British pound (£) is approximately 50 Thai Baht (ff). Convert 700ff into pounds. $\begin{array}{c} & & \\ & & \\ \hline \hline & & \\ \hline \hline & & \\ \hline & & \\ \hline & & \\ \hline \hline & & \\ \hline \hline \\ \hline & & \\ \hline \hline & & \\ \hline \hline \\ \hline & & \\ \hline \hline \hline \\ \hline \hline \hline \\ \hline \hline \hline \hline \\ \hline \hline \hline \hline \hline \hline \\ \hline \\ \hline \hline$	 A medium sized wall map of the World (1:30,000,000 which represents 1cm to 300km) A road map for motorists (1:250,000 which represents 1cm to 2.5km) An Ordnance survey map for walkers or hikers (1:25,000
9	Similar	Two shapes are similar when one can become the other after a resize, flip, slide or turn.	$ \begin{bmatrix} 1 & 1 & 0 \\ 50 & -1 & -1 \\ 1 & -1 & -1 \end{bmatrix} \begin{bmatrix} 700\$ \times (\frac{\pounds 1}{100\$}) & p = \frac{b}{50} \\ \text{where } p = number of pounds \\ \text{and } b = number of baht \end{bmatrix} $	 An architects drawing (1:100 which represents 1cm to 1m) Interpreting Maps with Scale Factors We can use scale factors to interpret maps.
10	Scale factor	The ratio between corresponding measurements of an object and a representation of that object.	$ \begin{array}{c} 1:50 \\ ?:700 \end{array} $ $ \begin{array}{c} \pounds1 \\ 50 50 \end{array} $ $ \begin{array}{c} 50 100 700 \\ \pounds \\ \pounds \\ 1 2 \end{array} $	Example If the scale is 1:25,000, this means 1cm on the map is 25,000cm in real life.

Year 8 Maths Summer Term Knowledge Organiser - Addition & Subtraction of Fractions

Кеу	Vocabulary:			
1	Denominator	The number below the line on a fraction. The number represent the total number of parts	11 Representing Fractions $\frac{1}{4}$ is represented in	14 Adding or Subtracting Fractions Find the LCM of the denominators to find a common denominator. Use equivalent fractions to change each fraction to the common denominator. Then just add or subtract the
2	Numerator	The number above the line on a fraction. The top number. Represents how many parts are taken.	all the images	numerators and keep the denominator the same $\frac{2}{3} + \frac{4}{5}$ Multiples of 3: 3, 6, 9, 12, 15 Multiples of 5: 5, 10, 15 LCM of 3 and 5 = 15 $\frac{2}{5} = \frac{10}{5}$
3	Divide	To separate into parts	With the same denominator ONLY the numerator is added or subtracted	$\frac{3}{4} = \frac{15}{15}$ 10 12 22 17
4	Greater than	To be more than or have more value than another number	$\frac{1}{12} + \frac{1}{12} - \frac{1}{12}$ $\frac{1}{4} + \frac{1}{4}$ $\frac{1}{6} + \frac{1}{12} + \frac{1}{12}$ $\frac{1}{6} + \frac{1}{12} + $	$\frac{15}{15} + \frac{15}{15} = \frac{1}{15} = 1\frac{1}{15}$ 15 Understand and use equivalent fractions.
5	Less than	To be smaller than or have a smaller value than another number.	13 Mixed numbers and fractions An improper fraction has a numerator which is greater than the denominator. For example: Improper fraction 7	and denominators but share the same value. $\boxed{1} \qquad 2 \qquad 4$
6	Mixed number:	A number with an integer and a proper fraction	A mixed number is made up of an integer and a proper fraction. For example:	2 = 4 = 8 16 Add and subtract proper fractions and mixed numbers.
7	Improper fractions	A fraction where the numerator is greater than the denominator.	$1\frac{2}{5}$ Mixed number Fractions can be bigger than a whole To convert between improper fractions and mixed numbers, we need to look at how many parts make up the whole.	Use the bar models to help you work out the calculation. $1\frac{1}{4} + \frac{3}{8} = 1\frac{2}{8} + \frac{3}{8} = 1 + \frac{5}{8} = 1\frac{5}{8}$ $1\frac{1}{4} + \frac{3}{8} = \frac{5}{4} + \frac{3}{8} = \frac{10}{8} + \frac{3}{8} = \frac{13}{8} = 1\frac{5}{8}$
8	Unit fraction	A fraction where the numerator is one	The bar models show $\frac{13}{6}$. There are 6 parts in the whole. $13 \div 6 = 2$ remainder 1	17 Use equivalence to add and subtract decimals and fractions
9	Whole	An integer or when the numerator is the same value as the denominator.	$\frac{13}{6} = 2 \frac{1}{6}$ The bar models show $3 \frac{2}{5}$.	Example: to 7/10 then add these fraction together. $\frac{3}{10} + 0.7$
10	Equivalent	Something that is essentially the same or equal to something else, but might have a difference in how it is represented.	$3 \times 5 = 15$ $\frac{15}{5} + \frac{2}{5} = \frac{17}{5}$	$ \begin{array}{c} 0.5 + 0.7 = 1 \\ \hline 10 + 10 = 10 = 1 \\ \hline 10 + 0.7 \\ \hline 0 \\ 1 \end{array} $

Year 8 Mathematics Knowledge Organiser – Ratio and Scale

1	Ratio	Used to compare values; says	10 Representing Ratios	14 Expressing Ratios in Simplest Form
		how much of thing there is, compared to another thing.	Ratios can be represented in many different ways: 14 14 14 14	We can simplify ratios by finding factors in all parts of the ratio.
2	Proportion	When two ratios or fractions are equal to each other.	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Simplify the ratio 12:18. We know the highest factor of both 12 and 18 is 6, so we can divide both numbers by 6. $12 \div 6 = 2$
3	Multiplier	The number that we are multiplying by.	Pink	18 ÷ 6 = 3 So, the simplified ratio is 2:3. (Remember, the order is important, this shouldn't change!) 15 Comparing Ratios and Fractions
4	Placeholder	Something that holds a place in a number, e.g. zero.	11Ratio NotationRatios are represented as numbers with colons in between, for example 3:1.The order of the numbers in the ratio is always important; this tells us what the information is about.	We can use representations (like those in section 8) to help us compare ratios and fractions. Example Ratio Fraction
5	Factors	Numbers that we can multiply together to get another number. Numbers that go into another number.	Solving Problems in the Ratio 1:n The ratio 1:n means any ratio beginning with 1, followed by any number, for example 1:1, 1:4, 1:200 etc. n can be any number, including decimals, but for this topic, n	Red : Yellow $\frac{2}{7}$ are red 2 : 5 $\frac{5}{7}$ are yellow 16 Understanding π as a Ratio π is a number that represents the ratio of the circumference of a circle to the diameter of a circle, so $\pi = \frac{c}{a}$. This can be rearranged to find the formula for the
6	Equivalent	Having the same value.	Dividing Values into Given Ratios We can use a bar model to help us understand how to divide values into a given ratio	circumference of a circle: $C = \pi \times d$. We can substitute values of the diameter into this formula to calculate the circumference of any circle.
7	Scale	The relationship/ratio between two sets of measurements.	Example Share £56 in the ratio 2:5.	Example The radius of a circle is 8m. Find the circumference. C = π × 8 = 25.132 m ² 17 Understanding Gradient as a Ratio
8	Circumference	The perimeter (the distance around the outside) of a circle.	There are 7 parts altogether, so we can share the £56 into these 7 parts by doing $56 \div 7 = 8$.	Gradient (or slope) describes how steep a line is. We can calculate the gradient of a line using the ratio of width : height of a triangle. Once we make the width equal 1, the height tells us the
9	Diameter	The distance from one point on a circle to another point on a circle, through the centre. The longest distance across the circle.	Now we know that 1 part = £8, we can work out how much 2 parts are $(2 \times 8 = \pm 16)$ and how much 5 parts are $(5 \times 8 = \pm 40)$. We can check our answer is correct by adding together our amounts and seeing if we get our original value: $16 + 40 = 56$, so we are correct.	gradient of the line. Example Here the width : height ratio is 2:4. This can be simplified to 1:2. The width is 1, and the height is 2, so the gradient is 2.

Year 8 Summer Term KS3 Mathematics Knowledge Organiser – Multiplying and Dividing Fractions

Key Vocabulary:			10 Representing Fraction Multiplication	14 Dividing an Integer by a Fraction
1	Unit Fraction	A fraction with 1 as its numerator, and an integer (whole number) as its denominator. E.g. $\frac{1}{2}$	Fraction multiplication can be represented in many different ways, using the idea of repeated addition as well as pictures/physical objects and bar models. $\boxed{\frac{2}{3} \frac{2}{3} \frac{2}{3} \frac{2}{3} \frac{2}{3}} = 1$	We can use bar models to understand how to divide an integer by a fraction, e.g. $1 \div \frac{1}{4} = 4$. We can link dividing by a fraction with multiplying by an integer to help us understand the relationship between the two.
2	Numerator	The top number in a fraction.	$\begin{array}{c c} & & & \\ 0 & 1 & 2 & 3 & 4 \\ \hline & & & \\ \hline & & & \\ \end{array} $	Image: Dividing a Fraction by a Unit Fraction We can use a fraction wall to belo us divide a fraction
3	Denominator	The bottom number in a fraction.	One bead represents $\frac{1}{7}$	by a unit fraction. Think about how many unit fractions we would need to make the original $\frac{\frac{1}{2}}{\frac{1}{16}\frac{1}{1$
4	Product	The answer when two or more values are multiplied together.		fraction. E.g. $\frac{1}{2} \div \frac{1}{16} = 8.$ 16Understanding and Using the ReciprocalWe need to know that:
5	Whole	All of something. A thing that is complete in itself.	11Multiplying a Fraction by an IntegerWe can use a number line to understand how to multiply a fraction by an integer. For example: $7 \times \frac{1}{8} = \frac{7}{8}$.	 The reciprocal of a number is always 1 divided by the number. Division is the same as multiplying by the reciprocal. A number multiplied by its reciprocal is always 1.
6	Non-unit Fraction	A fraction where the numerator is greater than 1. E.g. ¾	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	For example: $7 \div \frac{1}{5} = 35$ and $7 \times 5 = 35$. 17 Dividing any Pair of Fractions Now that we know dividing by a number is the same as
7	Commutative	An operation is commutative when you can change the order of the calculation and still get the same answer. Both addition and multiplication are commutative.	12 Finding the Product of Unit Fractions We can use a grid to understand how to find the product of a pair of unit fractions. Remember, each side of the original grid has a unit length of 1. For example: $\frac{1}{2} \times \frac{1}{2} = \frac{1}{2}$	multiplying by it's reciprocal, we can apply this to divide any pair of fractions. For example: $5 \div \frac{2}{3} = 5 \times \frac{3}{2} = \frac{15}{2} = 7\frac{1}{2}$ $\frac{5}{9} \div \frac{2}{3} = \frac{5}{9} \times \frac{3}{2} = \frac{15}{18} = \frac{5}{6}$ 18 Multiplying and Dividing Improper and Mixed Fractions
8	Quotient	The answer we get after we divide one number by another.	3 5 15 13 Finding the Product of Any Fractions	When multiplying mixed numbers, we can convert them into improper fractions first before multiplying the numerators and denominators then simplifying $1 2 \frac{4}{5}$
9	Reciprocal	The reciprocal of a number is always 1 divided by the number. E.g. the reciprocal of 2 is $\frac{1}{2}$. When we multiply a number by its reciprocal, we get 1. E.g. $2 \times \frac{1}{2}$ = 1.	We can continue to use a grid to understand how to find the product of any fractions. We should remember to simplify if possible. For example: $\frac{3}{5} \times \frac{2}{3} = \frac{6}{15} = \frac{2}{5}$ One way to quickly multiply fractions is to multiply the numerators and multiply the denominators.	Another way would be to use a grid method, splitting up the mixed number into integers and fractions, e.g. $2\frac{4}{5} \times 1\frac{6}{11}$ 19 Multiplying and Dividing Algebraic Fractions Although we are using algebra, multiplying and dividing algebraic fractions follow the same rules as numerical fractions.

Year 8 Summer Term Mathematics Knowledge Organiser – Multiplicative Change

1	Proportion	When two ratios or fractions are equal to each other.	Direct Proportion Two things are directly proportional if: as one amount increases (or decreases), the other amount increases (or	14 Ratio between Similar Shapes Corresponding lengths on similar shapes are always in the same ratio.
2	Ratio	Used to compare values; says how much of thing there is, compared to another thing.	decreases) at the same rate. We can use lots of different methods to solve problems with direct proportion, such as bar models, ratios, fractions and the unitary method (finding the value of one).	Example 8m 6m
3	Variable	A symbol for a value we do not know yet, usually a letter like x or y. E.g. in x + 2 = 6, x is the variable.	Carina is making 50 muffins. 50 = '2 and a half lots of 20' 2.5 × 250 = 625 g of sugar Zaib is making 12 muffins	8m : 16m These lengths are in ratio so the rectangles are similar. 10m 3m 5m
4	Conversion	Changing a value or expression from one form to another.	20 : 250 ml 1 : 12.5 ml 12 : 150 ml 150 ml of milkDaniel is making 5 muffins. 20 ÷ 5 = 4 "I need 4 times less than the recipe I will use 100g of flour".	3m : 5m 8m : 10m These lengths are not in ratio, so the rectangles are not
5	Approximation	A result that is not exact, but	12 Conversion Graphs	similar.
		close enough to be used.	Conversion graphs can be used to convert between many	15 Understanding Scale Factors
			different things, for example: currency, temperature, weights,	A scale factor tells us the ratio between corresponding measurements of an actual object and a copy of the object.
6	Estimation	Finding a value that is close enough to the right answer, usually with some thought or colludation involved	It is important to label the axes on a conversion graph and to make sure the scale is $4^{\frac{1}{2}}$	If the scale factor is bigger than 1, the copy will be larger. If the scale factor is less than 1 (e.g. $\frac{1}{2}$), the copy will be smaller.
		calculation involved.	going up in equal amounts.	16 Drawing and Interpreting Scale Diagrams
7	Exchange rate	Tells us the value of one currency (type of money in a particular country) in terms of another currency.	13 Converting between Currencies We can convert between currencies using lots of different methods. Example	or larger object, shape or image. The scale used will depend on the reduction or enlargement of the object. Some common scale ratios that are used:
8	Corresponding	Referring to two (or more) things that appear in the same place, in two similar situations.	1 British pound (£) is approximately 50 Thai Baht (fi). Convert 700fi into pounds. 1 British pound(E) = 100 Schwarz(E)	 A medium sized wait map of the world (1:30,000,000 which represents 1cm to 300km) A road map for motorists (1:250,000 which represents 1cm to 2.5km) An Ordnance survey map for walkers or hikers (1:25,000
9	Similar	Two shapes are similar when one can become the other after a resize, flip, slide or turn.	$ \begin{bmatrix} 1 \\ 50 \\ -1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ $	which represents 1cm to 250m) - An architects drawing (1:100 which represents 1cm to 1m) 17 Interpreting Maps with Scale Factors We can use scale factors to interpret maps
10	Scale factor	The ratio between corresponding measurements of an object and a representation of that object.	$ \begin{array}{c} 1:50 \\ ?:700 $	Example If the scale is 1:25,000, this means 1cm on the map is 25,000cm in real life.