

5-YEAR CURRICULUM PLAN

Curriculum at a Glance

Year 7	Year 8	Year 9	Year 10	Year 11
 Number- The Four Rules, Place Value, Converting Fractions Algebra - Sequences, understanding notation. Shape and Space - Area of shapes, Geometric Reasoning, Construction. Data - Probability, Statistical Diagrams. 	 Number - Direct proportion, multiplication and division of fractions, indices, percentages Algebra - Manipulation, solving equations, solving inequalities Shape and Space - Area of circles, angles in parallel lines Data - Probability, Interpret statistical diagrams 	 Number - Standard form, approximation and estimation. Algebra - Expressions, brackets and graphs Shape and Space- Transformations, angles in polygons, Pythagoras Data - MMMR 	 Number- Indices, - Direct and Inverse proportion, - Standard Form, - Compund Units, - Bounds Algebra - Expanding and Factorising, - Rearranging Formulae, - Inequalities Shape and Space - Angles, - Similar shapes, -Volume and Surface Area, Trigonometry, - Construction Data - Probability, - Representing data, - Graphs 	 Number- Vectors Algebra - Algebraic fractions & proof, -Trig graph & transformations, - Simultaneous equations, - Function and proof Shape and Space - Circle theorems, - Congruence, - Angles recap & bearings

3/5YR Curriculum Plan (Current Yr7-9)

Focus / Term	Half Term One	Half Term Two	Half Term Three	Half Term Four	Half Term Five	Half Term Six
Year 7 Topic Covered and End Points	Probability Record describe and analyse the frequency of outcomes Addition and Subtraction Use formal written methods applied to positive integers and decimals. Recognise and use relationships between operations including inverse operations Sequences Generate terms of a sequence from a term-to-term Recognize and use Fibonacci type sequences and geometric sequences	Place Value Understand and use place value for decimals, measures and integers of any size. Order positive and negative integers, use the number line as a model for ordering of the real numbers; use <,>, =. Multiplication & Division Formal written methods, applied to positive integers and decimals; Select and use appropriate calculation strategies to solve increasingly complex problems. Recognise and use relationships between operations including inverse operations; Use the concepts and vocabulary factors (or divisors), multiples, common factors, common multiples, HCF, LCM.	Area Identify and use formula to calculate area of shapes. Converting & ordering FDP Understand and use place value for decimals, measures and integers of any size. Understanding Algebraic notation Move freely between numerical, algebraic, graphical and diagrammatical representations. Use algebra to generalise the structure of arithmetic, including to formulate relationships.	Shape Properties Use three letter notations to identify angles Classify types of angles Directed Number Select and use appropriate calculation strategies to solve increasingly complex problems. Use the four operations, including formal written methods, applied to integers, both positive and negative. Recognise and use relationships between operations including inverse. Fractions & Percentages of Amounts Use the four operations, including formal written methods, applied to integers, decimals, proper and improper fractions. Interpret fractions and percentages as operators.	Construction Draw and measure line segments including geometric figures. Use three letter notations to identify angles. Classify types of angles. Add and Subtract Fractions Add and Subtract fractions from an integer, with the same denominator, with different denominators Prime and Proof Use concept and vocabulary of prime numbers, factors, multiples, HCF, LCM, prime factor decomposition. Look for proofs and counter examples.	Geometric Reasoning Apply the properties of angles at a point, on a line and in a triangle. Understand and use relationship between parallel lines and corresponding angles (H). Statistical diagrams Represent data in a variety of ways

NC	Data, Algebra, Number	Number.	Shape and Space, Number, Algebra	Shape and Space, Number,	Shape and Space, Number, Algebra	Shape and Space, Data
Tier 3 Words	PROBABILITY OUTCOME CERTAIN LIKELY IMPOSSIBLE	APPROXIMATE INTEGER INTERVAL MEDIAN NEGATIVE PLACE PLACE RANGE	Polygon Triangle Quadrilateral Fraction Decimal Percentage Function Input Output	Scalene Isosceles Right angled Subtract Negative Product Equivalent Whole	NUMERATOR DENOMINATOR Multiples Factors Primes	Vertically Opposite Interior Exterior
Long Term Retrieval	Students will complete an assessment in first lesson which will inform retrieval	Probability Add subtract Sequences	Probability Add subtract Sequences Place Value Multiply Divide	Probability Sequences Place Value 4 Rules (+ - x ÷) Area FDP Algebraic Notation	Probability Sequences Place Value 4 Rules (+ - x ÷) including directed number Area FDP Algebraic Notation Shape properties Fractions of amounts	Probability Sequences Place Value 4 Rules (+ - x ÷) with directed number Area FDP Algebraic Notation Shape properties Fractions of amounts Add subtract fractions Prime and Proof
Assessment Details	Mid-point – Probability and add and subtract fractions with common denominator. End Point – Probability, Add and subtract fractions and Sequences.	Mid-point – Place value. End Point – Place value, multiplication, and division.	Mid-point – Area and Converting FDP. End Point – Area, Converting FDP and algebraic notation.	Mid-point – Shape properties, add subtract directed numbers. End Point – Shape properties, directed numbers, fractions of amounts.	Mid-point – Construction, add and subtract fractions with common denominator. End Point – Construction, add and subtract fractions, prime and proof.	Mid-point – Geometric reasoning End Point – Geometric reasoning and Statistical diagrams.
Misconceptions	Probability it will rain is always 50/50 as it	Place Value A number with more digits is greater than	Area Once students know to divide by two for	Directed number Students may confuse positive and	Construction Measure lines from 1cm. Incorrectly	Geometric reasoning Any angles on a straight line are

	not.	one with less. E.g., 9.999999999 9 is greater than 10. Multiplication and Division Multiplication/Division by 10 can be done by 'taking off a zero'	triangles, they will divide by two for rectangles FDP Unclear on the denominator meaning how many equal parts. Algebraic Notation A = 1, b = 2 or other 'codebreaker' ideas.	negative and counters; may add only negative or positive counters instead of zero pairs or make mistakes with signs when performing operations, e.g., -1 x - 3 = -3. Fractions of amounts Because dividing by 10 gives you 10% dividing by 5 will give you 5% and dividing by 20 gives 20% etc You cannot increase by over 100% because 100% is everything.	measure angles from outer value on protractor always. Add and Sub fractions Ensure students know denominator is total number of parts. Prime and Proof LCM as HCF and vice versa.	included in angle sum to 180 ^{0.} Statistical diagrams. When comparing two pie charts just considering fraction covered rather than total data
Homework	 Probability Add and Subtract Sequences 	 HT1 Review Place Value Multiply and Divide 	 Term 1 Review Convert FDP Algebraic notation 	 HT3 Review Shape properties Directed number 	 Term 2 Review Construction Add and Sub fractions 	 HT5 Review Geometric reasoning Statistical diagrams
Topic Covered and End Points	Sets and Probability Identify and represent sets. Interpret and create Venn diagrams Know and use the vocabulary of probability Generate sample spaces for single events Calculate the probability of a single event Understand and use the probability scale	Ratio and Scale Understand the meaning and representation of ratio Understand and use ratio notation Solve problems involving ratios of the form 1: n (or n : 1) Solve problems involving ratios of the form m : n	Scatter Graphs and Frequency Table Draw and interpret scatter graphs Understand and describe linear correlation Draw and use line of best fit Identify different types of data	Share in a Ratio Share an amount in a ratio Calculate different parts from a given value of one part Calculate different parts from a given difference in amount Indices Adding and subtracting expressions with indices	Angles in Parallel lines Understand and use basic angle rules and notation Investigate angles between parallel lines and the transversal Identify and calculate with alternate and corresponding angles Identify and calculate with co-interior,	Equations and Inequalities Solve linear equations with the unknown on one side when calculating with negative numbers is required Solve linear equations with the unknown on both sides when the solution is a whole number Solve linear equations with the unknown on

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Know that the sum of	Express ratios in their	Read and interpret	Simplifying algebraic	alternate and	both sides when the
probabilities for all	simplest integer form	ungrouped frequency	expressions by	corresponding angles	solution is a fraction
possible outcomes is 1	Express ratios in the	tables	multiplying indices	Solve complex	Solve linear equations
Experimental probability	form 1 : n (H)	Represent grouped	Simplifying algebraic	problems with parallel	with the unknown on both sides when the
Algebraic Manipulation	Compare ratios and	discrete data	expressions by dividing	line angles	solution is a negative
Collect terms	fractions	Read and interpret	indices	Interpret Charts and	number
Brackets – expanding etc	Cartesian Plane	grouped frequency	Using the addition law	<u>Diagrams</u>	Solve linear equations
(see solve equations 2)	Work with coordinates	tables	for indices	Set up a statistical	with the unknown on
Form algebraic	in all four quadrants	Represent continuous	Using the addition and	enquiry	both sides when the
expressions	Find the midpoint of a	data grouped into	subtraction law for	Design and criticise	equation involves
Use directed number	line (H)	equal classes	indices	questionnaires	brackets
with algebra	Identify and draw lines	Multiply and Divide	Expand brackets that	Draw and interpret line	Represent linear
Multiply out a single	that are parallel to the	Fractions	use laws of indices	graphs	inequalities on a number
bracket	axes	Represent		Choose the most	line Solve one sided linear
Expand multiple single	Recognise and use the	multiplication of		appropriate diagram	inequalities.
brackets and simplify	line y=x	fractions		for given set of data	Solve two sided linear
Multiply binomial	Recognise and use	Multiply a fraction by		Represent and	inequalities
Multiplicative Change	lines of the form y = kx			interpret grouped	Percentages
Solve problems	Recognise and use	Find the product of a		quantitative data	Identify the multiplier
involving direct	lines of the form $y = x +$	pair of unit fractions		Find and interpret the	for a percentage
proportion –	а	Find the product of a		range	increase or decrease
including recipe	Link y = kx to direct	pair of any fractions		Compare distributions	Use calculators to increase an amount by
. .	proportion problems	Divide an integer by a		using charts	a percentage greater
problems	Plot graphs of the form	fraction		Identify misleading	than 100%
Explore conversion	y = mx + c	Divide a fraction by a		graphs	Use calculators to
graphs	Solving Equations	unit fraction		Convert Units	decrease an amount by
Convert between	Solve equations,	Understand and use		Convert metric	a percentage
currencies	including with brackets	the reciprocal		measures of lengths	Solve problems
carreneres	Form and solve	Divide any pair of		Convert metric units of	involving percentage
Inverse proportion	equations with	fractions		weight and capacity	change
Understand scale	brackets	Understand and use		0 1 7	Solve original value problems when
factors as	Solve Equations with	the reciprocal			working with
multiplicative	unknown on both sides				percentages
representations		fractions			Solve financial
Draw and interpret		*Extend to mixed			problems including
•		numbers			simple interest
scale diagrams		Sequences			<u>Area, circles</u>

			Generate sequences given a rule in words Generate sequences given a simple algebraic rule Generate sequences given a complex algebraic rule Nth Term			Recap area of simple shapes (rectangle triangle and parallelogram) Calculate area of trapezium Calculate the circumference of a circle when radius or diameter is given Calculate the perimeter of composite shapes including sections of a circle Calculate the area of a circle when radius or diameter is given Calculate the area of a circle when radius or diameter is given Calculate the area of a circle shapes that include sections of a circle Calculate area of sectors Calculate perimeter of sectors
NC	Data Algebra Number	Data Algebra Ratio	Data Algebra Number	Number Ratio	Data Number Geometry	Algebra Number Geometry
	OUTCOMES PROBABILITY SET SIMPLIFY SUBSTITUTE EQUIVALENT PROPORTION VARIABLE AXES	RATIO EQUAL PARTS PROPORTION QUADRANT COORDINATE HORZIONTAL SIMPLIFY SUBSTITUTE EQUIVALENT	VARIABLE RELATIONSHIP CORRELATION NUMERATOR DENOMINATOR WHOLE SEQUENCE TERM POSITION	RATIO EQUAL PARTS PROPORTION BASE POWER EXPONENT	PARALLEL ANGLE TRANSVERSAL HYPOTHESIS SAMPLING PRIMARY DATA COMMUTATIVE ASSOCIATIVE DIVIDEND	LINEAR PARALLEL SOLVE MULTIPLER PERCENTAGE AREA CIRCUMFERENCE TRAPEZIUM CHORD RADIUS

						DIAMETER
Long Term Retrieval	Year 7 Assessment	Sets and Probability, Algebraic Manipulation, Multiplicative Change.	Sets and Probability, Algebraic Manipulation, Multiplicative Change. Ratio and Scale, cartesian Plane, Solving Equations	Sets and Probability, Algebraic Manipulation, Multiplicative Change. Ratio and Scale, cartesian Plane, Solving Equations. Scatter Graphs and Frequency Table, Multiply and divide fractions, Sequences	Sets and Probability, Algebraic Manipulation, Multiplicative Change. Ratio and Scale, cartesian Plane, Solving Equations Scatter Graphs and Frequency Table, Multiply and divide fractions, Sequences Share in a Ratio, Indices	Sets and Probability, Algebraic Manipulation, Multiplicative Change. Ratio and Scale, cartesian Plane, Solving Equations Scatter Graphs and Frequency Table, Multiply and divide fractions, Sequences Share in a Ratio, Indices Angles in Parallel lines, Interpret Charts and Diagrams Convert units
Assessment details	Mid-point – Sets and Probability, expand single brackets End Point – Sets and Probability, Algebraic Manipulation, Multiplicative Change	Mid-point – Ratio and Scale, recognise the equation y = x End Point – Ratio and Scale, cartesian Plane, Solving Equations	Mid-point – Scatter Graphs and Frequency Table, multiply unit fractions End Point – Scatter Graphs and Frequency Table, Multiply and divide fractions, Sequences	Mid-point – Share in a Ratio End Point –_Share in a Ratio, Indices	Mid-point – Angles in Parallel lines, Design and criticise questionnaires Draw and interpret line graphs End Point – Angles in Parallel lines, Interpret Charts and Diagrams Convert units	Mid-point – Equations and
Misconceptions	Sets and Probability equivalence can be revisited in the study of probability	Ratio and Scale Students might use addition and subtraction rather	Scatter Graphs and Frequency Table Students think that the line of best fit has to go through all the	Share in a Ratio Some students believe ratios always compare a part to a whole, like fractions.	Angles in Parallel lines Students might think that any angles on a straight line are	Equations and inequalities Some pupils may think that you always have to manipulate

	Understand that probability is number of desired outcomes / total possible outcomes and that this is the same as parts of a whole when using fractions. Algebraic Manipulation Students think 2a and a ² are equal Students think 2a + 3b = 5ab Multiplicative Change Pupils might use addition/subtraction instead of multiplication or division	than multiplication and division Cartesian Plane Students plot points or write co-ordinates to understand why y = a is parallel to the x axis Solving Equations Students struggle with the starting point when forming – they need to understand to start from the unknown (which can be any letter) and build up from there	points and through the origin. Multiply and Divide Fractions Students might think they need the reciprocal of both fractions in a divide question Students might think multiplying always makes the number larger Sequences Students think "the 4 th term will be double the 2 nd term. 100 th is ten times the tenth etc	Indices Students might think you multiply the indices when the base is being multiplied	included in angle sum to 180° so be sure to include angles on a straight line at different points to show variation Interpret Charts and Diagrams Students might think that the range is an average Convert Units Students will not always be clear when to multiply or divide	the equation to have the unknowns on the LHS of the equal sign, for example $2x - 3 =$ 6x + 6 Percentages Some students may think the multiplier for, say, a 20% decrease is 0.2 rather than 0.8 Area of Circles and Trapezium Some pupils may use the sloping height when finding cross- sectional areas that are parallelograms, triangles or trapezia
Year 9 Topic Covered and End Points	Indices and Standard form Identify types of numbers (factors , multiples and prime) Write a number as a product of its prime factors Use prime factorisations to find the HCF and LCM of two numbers Solve problems using highest common factors or lowest common multiples <i>Multiply and divide</i> <i>using index laws.</i> (number only)	Sequences ind the nth term of an ascending linear sequence Find the nth term of a descending linear sequence Generate terms of a sequence from a position-to-term rule Use the nth term of a sequence to deduce if a given number is in a sequence Recognise and use the Fibonacci sequences and geometric sequence	Angles in Polygons Round numbers to a given number of significant figures Estimate numerical calculations Determine whether calculation using rounding will give an underestimate or over estimate Find upper and lower bounds (and error intervals) for rounding and truncation Calculate with upper and lower bounds	3D shapes Surface area of cubes and cuboids Find volume of cubes and cuboids Find volume of cylinder Find volume of prisms Surface area of cylinder Expressions and Brackets Manipulate expressions by multiplying a single term over a bracket (the distributive law) Expanding two single brackets	grouped data and the	Graphs Know that graphs of functions of the form y = mx + c, x ⊇ y = c and ax ⊇ by = c are linear Plot graphs of functions of the form y = mx ⊇ c Plot graphs of functions of the form ax ⊇ by = c Find the gradient of a straight line on a unit grid Find the y-intercept of a straight line Sketch linear graphs

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write large numbers Use standard form to write small numbers Calculate with standard from <u>Transformations</u> Reflect and object in a mirror line Rotate an object around a point Translate an object Describe a rotation Describe a translation Describe a translation Describe a reflection Enlarge a shape with a positive scale factor from a centre Enlarge a shape with a fractional scale factor from a centre Enlarge a shape with a negative scale factor from a centre Describe an enlargement	quadratic sequences Find the next terms of a quadratic sequence using first and second differences Generate terms of a quadratic sequence from its nth term Find the nth term of a quadratic sequence Approximation and estimation Manipulate expressions by multiplying a single term over a bracket (the distributive law) Expanding two single brackets Multiply two linear expressions of the form (ax \pm b)(cx \pm d) Factorising into a single bracket Factorising quadratic (x \pm b)(x \pm d) Substitute into a formula Change the subject of a formula when one step is required Change the subject of a	onvert between mixed and improper fractions Apply addition to proper fractions, improper fractions and mixed numbers Apply subtraction to proper fractions, improper fractions and mixed numbers Multiply a proper fraction by a proper fraction by a proper fraction by a proper fraction by a whole numbers Divide a proper fraction by a whole number Divide mixed numbers Increase/decrease by a fraction of an amount Find a starting amount after an Increase/decrease by a fraction Pythagoras Know the meaning of a Pythagoras' theorem Calculate the hypotenuse of a right- angled triangle using Pythagoras' theorem in two dimensional figures Calculate one of the	bracket Factorising quadratic (x ± b)(x ± d) Substitute into a formula Change the subject of a formula when one step is required Change the subject of a formula when a two steps are required Apply an understanding of inverse operation to a formula in order to make a specific variable the subject	Analyse and compare sets of data, appreciating the limitations of different statistics (mean, median, mode, range) Interpret a scatter diagram using understanding of correlation use the line of best fit to estimate values $\frac{Trigonometry}{Choose an appropriate}$ trigonometric ratio that can be used in a given situation Understand that sine, cosine and tangent are functions of an angle Use a calculator to find the sine, cosine and tangent of an angle Know the trigonometric ratios, sin θ = opp/hyp, cos θ = adj/hyp, tan θ = opp/adj Set up and solve a trigonometric equation to find a missing side in a right-angled triangle Set up and solve a	linear and quadratic graph Plot graphs of quadratic functions of the form y = x ² C Sketch a simple quadratic graph Plot and interpret graphs of piece-wise linear functions in real contexts Plot and interpret distance-time graphs (speed-time graphs) Construction Use ruler and compasses to construct the perpendicular bisector of a line segment Use ruler and compasses to bisect an angle Use a ruler and compasses to construct a perpendicular to a line from a point and at a point Understand a circle as the locus of a point equidistant from a fixed point Solve simple problems involving loci Combine techniques to solve more complex
	is required	two dimensional figures		to find a missing side in a right-angled triangle	involving loci Combine techniques to solve more complex

		inverse operation to a formula in order to make a specific variable the subject	two dimensional figures Solve problems using Pythagoras' theorem in two dimensional figures		in the denominator of a fraction Set up and solve a trigonometric equation to find a missing angle in a right-angled triangle Use trigonometry to solve problems	
NC	Number Geometry	Algebra Number Geometry	Number Geometry	Algebra Geometry	Data Geometry	Algebra Geometry
	Factor Multiple Prime Translation Transformations Reflection	Linear sequence Quadratic Term Significant Figure Estimate	Improper fraction Mixed numbers Right angle Hypotenuse	Cube Cuboid Cylinder Substitute Formula Quadratic	Mean Median Mode Range Sine/Cosine/Tangent Opposite Adjacent	Bisect Parallel Perpendicular X – axis Y – axis Gradient Intercept
Long Term Retrieval	Year 8 Assessment	Indices and Standard form Transformations	Indices and Standard form Transformations Sequences Approximation and estimation	Indices and Standard form Transformations Sequences Approximation and estimation Angles in Polygons Fractions Pythagoras	Indices and Standard form Transformations Sequences Approximation and estimation Angles in Polygons Fractions Pythagoras 3D shapes Expressions and Brackets	Indices and Standard form Transformations Sequences Approximation and estimation Angles in Polygons Fractions Pythagoras 3D shapes Expressions and Brackets Representing data Trigonometry
Assessment Details	Mid-point – Indices End Point – Indices and Standard form Transformations	Mid-point – Sequences Approximation and estimation End Point –	Mid-point – Angles in Polygons Fractions	Mid-point – 3D shapes End Point – 3D shapes	Mid-point – Representing data End Point – Representing data	Mid-point – Graphs End Point – Graphs Construction

		Sequences Approximation and estimation	End Point – Angles in Polygons Fractions Pythagoras	Expressions and Brackets	Trigonometry	
Misconceptions	Standard Form When converting between ordinary and standard form some pupils may incorrectly connect the power to the number of zeros; e.g. $4 \times 10^5 = 400\ 000$ so $4.2 \times 10^5 = 4\ 200$ 000 Similarly, when working with small numbers (negative powers of 10) some pupils may think that the power indicates how many zeros should be placed between the decimal point and the first non-zero digit <u>Transformations</u> When describing or carrying out a translation, some pupils may count the squares between the two shapes rather than the squares that describe the movement between the two shapes.	Sequences Some pupils will think that the nth term of the sequence 2, 5, 8, 11, is n + 3. Some pupils may think that the (2n)th term is double the nth term of a linear sequence. Some pupils may think that sequences with nth term of the form 'ax ± b' must start with 'a'. Approximation and estimation Students not rounding to 1SF when estimating Students struggling when dividing by 0.5 Some pupils may think 35 934 = 36 to two significant figures	Angles in Polygons Some pupils may think that the sum of the interior angles of an n- sided polygon can be calculated using Sum = $n \times 180^{\circ}$. Some pupils may think that the sum of the exterior angles increases as the number of sides of the polygon increases. If the bearing of A from B is 'x', then some pupils may think that the bearing of B from A is '180 – x'. <u>Fractions</u> Some students may think that you simply can simply add/subtract the whole number part of mixed numbers and add/subtract the fractional art of mixed numbers when adding/subtracti ng mixed numbers, e.g. 3 - 2	$\frac{3D \text{ shapes}}{\text{Some students will}}$ work out $(\pi \times r)^2$ when finding the area of a circle Some students may use the sloping height when finding cross- sectional areas that are parallelograms, triangles or trapezia Some students may confuse the concepts of surface area and volume Expressions and Brackets Some students may think that it is always true that a=1, b=2, c=3, etc. A common misconception is to believe that a ² = a × 2 = a2 or 2a (which it can do on rare occasions but is not the case in general) When working with an expression such as 5a, some students may	Representing dataSome pupils mayincorrectly estimatethe mean by dividingthe total bythe numbers of groupsrather than the totalfrequency.Some pupils mayincorrectly think thatthere can only be onemodel class.Some pupils mayincorrectly estimatethe range of groupeddata by subtracting theupper bound of thefirst group from thelower bound of the lastgroup.Some students maythink that a line of bestfit always has to passthrough the originTrigonometrySome students maynot appreciate the factthat adjacent andopposite labels are notfixed, and are onlyrelevant to a particular	Graphs When plotting linear graphs some pupils may draw a line segment that stops at the two most extreme points plotted Students may think that a sketch is a very rough drawing. It should still identify key features. <u>Construction</u> When constructing the bisector of an angle some students may think that the intersecting arcs need to be drawn from the ends of the two lines that make the angle. When constructing a locus such as the set of points a fixed distance from the perimeter of a rectangle, some students may not interpret the corner as a point (which therefore requires an arc as part of the locus)

When carrying out a reflection some pupils may think that the object and image should be an equal distance from the edge of the grid, rather than an equal distance form the mirror line. Some students will wrestle with the idea that a line x = a is parallel to the y-axis Some students may think that the centre of rotation is always in the centre of the shape Some pupils may think that the centre of enlargement always has to be (0,0), or that the centre of enlargement will be in	<u>Pythagoras</u> Some students may use Pythagoras' theorem as though the missing side is always the hypotenuse	think that if a=2, then 5a = 52. Some students may think that $3(g+4) = 3g+4$ The convention of not writing a coefficient of 1 (i.e. '1x' is written as 'x' may cause some confusion. In particular some students may think that $5h - h = 5$	acute angle. In situations where both angles are given this can cause difficulties. Some students may not balance an equation such as sin35 = 4/x correctly, believing that the next step is (sin35)/4 = x	

YEAR 10-11

Focus / Term	Half Term One	Half Term Two	Half Term Three	Half Term Four	Half Term Five	Half Term Six
Year 10	<u>Trigonometry</u>	<u>Formula</u>	<u>Graphs (H)</u>	<u>Quadratics</u>	Inequalities (HIGHER)	<u>Trigonometry +</u>
Topic Covered and	Choose an appropriate	Solve two linear	Identify and interpret	Solve a quadratic	Construct and shade a	Use Pythagoras' theorem
End Points	trigonometric ratio that	simultaneous equations	gradients of linear	equation of the form x^2	graph to show a linear	in 3D.
	can be used in a	in two variables in very	functions graphically	+ <i>bx</i> + <i>c</i> = 0 by factorising	inequality of the form y	Use trigonometry in 3D.
	given situation	simple cases (addition	Identify and interpret	Solve a quadratic	> ax + b, y < ax + b, y	Solve bearings problems
	Understand that sine,	& subtraction but no	intercepts of linear	equation by rearranging	\geq ax + b or y \leq ax + b	using trigonometry.
	cosine and tangent are	multiplication required)	functions algebraically	and factorising	Construct and shade a	Find the area of a triangle
	functions of an angle	Solve two linear	Find the equation of a	Find approximate	graph to show a linear	and a segment of a circle
	Use a calculator to find	simultaneous equations	line through one point	solutions to quadratic	inequality in two	Construction
	the sine, cosine and	in two variables in simple	with a given gradient	equations using a graph	variables stated implicitly	Use ruler and protractor
	tangent of an angle	cases (multiplication of	Find the equation of a	(including higher	Construct and shade a	to construct triangles,
	Indices	one equation only	line through two given	question	graph to represent a set	and other shapes, from
	Know and use the fact	required)	points.	Direct & inverse	of linear inequalities in	written descriptions
	that $a^{-n} = 1/a^n$	Solve two linear	Similar Shapes	Proportion	two variables.	Use ruler and compasses
	Know and use the fact	simultaneous equations	Identify similarity of	Know and recognise the	<u>Surds</u>	to construct triangles
	that a¹/n = n√a	in two variables in simple	shapes in a range of	difference between direct	Solve problems involving	when all three sides
	Writing a number as a	cases (multiplication of	situations	and inverse proportion	the simplification of surds	
	power of another	both equations required	Finding missing lengths in		Addition & subtraction of	Use ruler and compasses
	Solving equations	Representing data	similar shapes	graphs that represent a	surds	to construct the
	involving powers	Calculate an estimate of	Solve problems with	direct or inverse	Multiply two binomials	perpendicular bisector of
	<u>Probability</u>	the mean from	area/volume of similar	proportion situation	involving surds	a line segment
		a frequency table	shapes	Solve problems involving	Rationalise the	Use ruler and compasses
	systematically	Calculate an estimate of		direct proportion using	denominator of a surd	to bisect an angle
	Use frequency trees to	the mean from a grouped	length, area & volume.	the constant	expression	Use a ruler and
	record outcomes of	frequency table	Quadratics	of proportionality y=kx	Compound units	compasses to construct a
	probability experiments	Construct and interpret	Solve a quadratic	Volume and Surface area	Convert between	perpendicular
	Use 2way tables to	graphs of time series	equation of the form x^2	Calculate volume and	compound units of	<u>Bounds</u>
	record outcomes of	Construct and interpret	+ $bx + c = 0$ by factorising	surface area of pyramids,	density and pressure	Know and understand
	probability experiments	frequency polygons	Solve a quadratic	cones and spheres	Solve problems involving	limits of accuracy.
	List all elements in a		equation by rearranging	Solve problems involving	density	Find Upper and Lower
	combination of sets using		and factorising	pyramids, cones and	Solve problems involving	bounds
	a Venn diagram		Find approximate	spheres	pressure	Calculate with Upper and
	Use theoretical		solutions to quadratic	Solving frustum questions		Lower bounds
	probability to calculate		equations using a graph	using similar shapes		
	expected outcomes		(including higher			
			question			
			Solve by formula			

	Use experimental probability to calculate expected outcomes		Solve by completed square			
NC	Data, Shape Number	Algebra. Data	Shape and Space, Algebra.	Number. Shape and Space,	Number. Algebra.	Number. Shape and Space,
Tier 3 Words	Function Sine Cosine Tangent Adjacent Outcome Event	Linear Equation Estimate Mean Frequency	Quadratic Similar Convert Area Volume	Area Volume Surface Area	Compound Density Surd Inequality Variable	Loci Perpendicular Parallel Segment Arc
Long Term Retrieval	Students will complete a bench mark assessment	Trigonometry Indices Probability	Trigonometry Indices Probability Formula Representing data	Trigonometry Indices Probability Formula Representing data Graphs Similar Shapes	Trigonometry Indices Probability Formula Representing data Graphs Similar Shapes Direct & inverse Proportion Volume and Surface area	Trigonometry Indices Probability Formula Representing data Graphs Similar Shapes Direct & inverse Proportion Volume and Surface area Inequalities (HIGHER Surds Compound units
Assessment Details	Mid-point – Trigonometry Indices Probability End Point – Summative of all 3	Mid-point – Formula Representing data End Point – Summative of all 2 + HT1	Mid-point – Graphs Similar Shapes End Point – Summative of all 2 + T1	Mid-point – Quadratics, Direct & inverse Proportion Volume and Surface area End Point – Summative of all and previous	Mid-point –. Inequalities (HIGHER Surds Compound units End Point – Summative of all 3 and previous topics	Mid-point – Trigonometry + Construction Bounds End Point – Summative of all 3 and previous
Misconceptions	Ensure that all students are aware of the importance of their	Pupils should build on the experiences of using the grid method to expand	Common approaches <i>Pupils are taught to use</i> <i>positive numbers wherever</i> <i>possible to reduce potential</i>	Common approaches All students are taught to use the grid method to	Common approaches All Students are taught to manipulate algebraically rather than be taught	Common approaches The <u>appropriate</u> mnemon ic 'used to help students

•	products of more than	difficulties with substitution	multiply two linear	'tricks'. For example, in	remember the
in degrees mode.	two binomials.	of negative	expressions.	the case of -2x > 8,	trigonometric ratios
	Eg $(x + 2)(x + 3)(x - 4) =$	numbers .Students plot	All students are taught to	students should not be	Misconceptions
not round until the end of	, ,, ,	points with a 'x' and not '2dot.Students draw graphs	use the sum and	taught to flip the	Some students may label
	$x^2 - 14x - 24$	in pencil	product method to	inequality when dividing	opposite and adjacent in
J	Teachers also need to	Misconceptions	factorise quadrtics.	by -2. They should be	a non-right-angled
should focus only on	help pupils 'see'	When plotting linear graphs	Misconceptions	taught to add 2x to both	triangle
right-angled triangles in	the <u>difference</u> of <u>two squ</u>	some pupils may draw a line	Once students know how	sides.	Some students may not
two dimensions.	ares by using pictorial	segment that stops at the	to factorise a quadratic	Misconceptions	balance an equation such
Common approaches	representation	two most extreme points	expression of the form x ²	Some pupils may think	as 5 = $4/\sin\theta$ correctly,
The appropriate mnemon	Common approaches	plotted	+ bx + c they	that it is possible to	believing that the next
ic 'used to help students	Students manipulate	Students may think that a	might overcomplicate the	multiply or divide both	step is sin θ = 5/4
remember the	algebra tiles to explore	sketch is a very rough drawing. It should still	simpler case of	sides of an inequality by a	Some students may think
-	factoring quadratics	identify key features.	factorising an expression	negative number with no	that $\cos^{-1}\theta = 1 \div \cos\theta$
Misconceptions	The difference of two	Some students do not	such as $x^{2} + 2x (\equiv (x + 0)(x + 0))$	impact on the inequality	Misconceptions
-	squares is explained using	rearrange the equation of a	+ 2))	(e.g. if -2x > 12 then x > -	When constructing the
appreciate the fact that	visual representation	straight line to find the	Many students may think	6)	bisector of an angle some
	Misconceptions	gradient of a straight line.	that $(x + a)^2 \equiv x^2 + a^2$	Some pupils may think	students may think that
-	Some pupils may	For example, they think that	Common approaches	that strict inequalities,	the intersecting arcs need
-	incorrectly estimate the	the line $y - 2x = 6$ has a	All students are taught to	such as y < 2x + 3, are	to be drawn from the
	mean by dividing the	gradient of -2.	set up a 'proportion table'	represented by a solid,	ends of the two lines that
	total by the numbers of	Misconceptions	and use it to find the	rather than dashed, line	make the angle.
	groups rather than the	Many students will want	multiplier in situations	on a graph	When constructing a
	total frequency.	to identify an additive	involving direct	Some pupils may shade	locus such as the set of
	Some pupils may	relationship between two	proportion	the incorrect region	points a fixed distance
	incorrectly think that	quantities that are in proportion and apply this	Misconceptions	Common approaches	from the perimeter of a
as sin35 = 4/x correctly,	there can only be one	to solve problems	Many students will want	Pattern sniffing is	rectangle, some students
believing that the next	model class.	•	to identify an additive	encouraged to establish	may not interpret the
step is (sin35)/4 = x		The word 'similar' means	relationship between two	the result $a^0 = 1$, $a^{-n} =$	corner as a point (which
Some students may think		something much more precise in this context	quantities that are in	1/a ⁿ , i.e.	therefore requires an arc
that sin ⁻¹ θ = 1 ÷ sinθ		than in other contexts	proportion and apply this	$2^3 = 2 \times 2 \times 2 = 8$, $2^2 = 2 \times 2 = 8$	as part of the locus)
Some students may think		students encounter. This	to solve problems	$2 = 4$, $2^1 = 2$, $2^0 = 1$, 2^-	The north elevation is the
that sin θ means sin × θ		can cause confusion.	Some students may think	1=	view of a shape from the
Common approaches		can cause confusion.	that a multiplier	Use Grid method when	north (the north face of
Pattern sniffing is			always has to be greater	multiplying surds	the shape), not the view
encouraged to establish			than 1	Misconceptions	of the shape while facing
<i>the result</i> $a^0 = 1$, $a^{-n} =$			Students will need to be	Some students may think	north.
1/a ⁿ , i.e.			reminded of the key	that negative indices	Misconceptions Students
$2^3 = 2 \times 2 \times 2 = 8, \ 2^2 = 2 \times 2 = 8$			formula, in particular the	change the sign of a	think to get the highest
$2 = 4, 2^1 = 2, 2^0 = 1, 2^-$			importance of the	number, for example 2 ⁻¹ =	value you use the highest
1 <u>=</u>			perpendicular height	-2 rather than 2 ⁻¹ =	bound not allowing for

	Use Grid method when		when calculating areas	Some students may	division like wise for
1	multiplying surds		and the correct use of	think =	finding the lower value
1	Misconceptions		πr^2 . Note: some students	Some students may think	
9	Some students may think		may only find the area of	that	
1	that negative indices		the three 'distinct' faces	Some students may	
(change the sign of a		when finding surface	write $\sqrt{4} \times 3$ when they	
1	number, for example 2 ⁻¹ =		area.	should write (or $V(4 \times 3)$)	
-	-2 rather than 2 ⁻¹ =		Common approaches	Common approaches	
	Common approaches		Students visualise and	All students are taught to	
2	Students are taught not		write down the shapes of	set up a 'proportion table'	
i	to simply fractions when		all the faces of a prism	and use it to find the	
j	finding probabilities of		before calculating the	multiplier in situations	
(combined events using a		surface area.	involving direct	
t	tree diagram (so that a		Misconceptions	proportion	
5	simple check can be made		Some students will work	Misconceptions	
t	that the probabilities sum		out $(\pi \times r)^2$ when finding	Many students will want	
t	to 1)		the area of a circle	to identify an additive	
1	Misconceptions		Some students may use	relationship between two	
9	Some students may think		the sloping height when	quantities that are in	
1	that there are only three		finding cross-sectional	proportion and apply this	
	outcomes when two		areas that are	to solve problems	
(coins are flipped, or that		parallelograms, triangles	Some students may think	
1	there are only six		or trapezia	that a multiplier	
(outcomes when three		Some students may	always has to be greater	
	coins are flipped		confuse the concepts of	than 1	
9	Some students may think		surface area and volum		
1	that there are 12 unique				
	outcomes when two dice				
i	are rolled				
	מוב וטוופט				

