

Year 6 PROMPT sheet

6/1 Place value in numbers to 10million

The position of the digit gives its size

Ten millions	Millions	Hundred thousands	Ten thousands	thousands	hundreds	tens	units
1	2	3	4	5	6	7	8

Example

The value of the digit '1' is 10 000 000

The value of the digit '2' is 2 000 000

The value of the digit '3' is 300 000

The value of the digit '4' is 40 000

6/1 Round whole numbers

Example 1 - Round 342 679 to the nearest 10 000

- Step 1 - Find the 'round-off digit' - 4
- Step 2 - Move one digit to the right - 2

4 or less? YES - leave 'round off digit' unchanged
- Replace following digits with zeros

ANSWER - 340 000

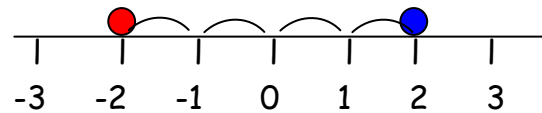
Example 2 - Round 345 679 to the nearest 10 000

- Step 1 - Find the 'round-off digit' - 4
- Step 2 - Move one digit to the right - 5

5 or more? YES - add one to 'round off digit'
- Replace following digits with zeros

ANSWER - 350 000

6/2 Negative numbers



$2 > -2$ → We say 2 is bigger than -2

$-2 < 2$ → We say -2 is less than 2

The difference between 2 and $-2 = 4$ (see line)

Remember the rules:

- When subtracting go down the number line
- When adding go up the number line
- $8 + -2$ is the same as $8 - 2 = 6$
- $8 - +2$ is the same as $8 - 2 = 6$
- $8 - -2$ is the same as $8 + 2 = 10$

6/3 Multiply numbers & estimate to check

e.g. 152×34

COLUMN METHOD

$$\begin{array}{r} 152 \\ 34x \\ \hline 608 \quad (x4) \\ 4560 \quad (x30) \\ \hline 5168 \end{array}$$

6/3 Use estimates to check calculations

$$\begin{array}{l} 152 \times 34 \\ \approx 150 \times 30 \\ \approx 4500 \end{array}$$

\approx is the symbol for 'roughly equals'

6/3 Divide numbers & estimate to check

With a remainder also expressed as a fraction

e.g. $4928 \div 32$

BUS SHELTER METHOD

$$\begin{array}{r} 028 \\ 15 \overline{) 432} \\ \underline{-30} \\ 132 \\ \underline{-120} \\ 12 \end{array}$$

$$\begin{array}{r} 028 \text{ r } 12 \\ 15 \overline{) 4^4 3^{13} 2} \end{array}$$

ANSWER - $432 \div 15 = 28 \text{ r } 12$

$$= 28 \frac{12}{15}$$

6/3 continued

With a remainder expressed as a decimal

$$\begin{array}{r} 028.8 \\ 15 \overline{)432.0} \\ \underline{-30} \\ 132 \\ \underline{-120} \\ 12 \end{array} \qquad \begin{array}{r} 028.8 \\ 15 \overline{)4^4 3^{13} 2.^{12} 0} \end{array}$$

ANSWER - $432 \div 15 = 28.8$

6/3 Use estimates to check calculations

$432 \div 15$
 $\approx 450 \div 15$
 ≈ 30

6/4 Factors, multiples & primes

- FACTORS** are what divides exactly into a number

e.g. Factors of 12 are: Factors of 18 are:

1	12	1	18
2	6	2	9
3	4	3	6

The common factors of 12 & 18 are: 1, 2, 3, 6,
The Highest Common Factor is: 6

- PRIME NUMBERS** have only TWO factors

e.g. Factors of 7 are: Factors of 13 are

1	7	1	13
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So 7 and 13 are both prime numbers

- MULTIPLES** are the times table answers

e.g. Multiples of 5 are: Multiples of 4 are:

5	10	15	20	25	4	8	12	16	20
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The Lowest Common Multiple of 5 and 4 is: 20

6/5 Order of operations

- B**racket
Indices
Divide
Multiply
Add
Subtract
- } Do these in the order they appear
- } Do these in the order they appear

e.g. $3 + 4 \times 6 - 5 = 22$

$(2 + 1) \times 3 = 9$
 ↑ first
 first

6/6 Addition

- Line up the digits in the correct columns

e.g. $48p + \pounds 2.84 + \pounds 9$

$$\begin{array}{r} 0.48 \\ 2.84 \\ 9.00+ \\ \hline \pounds 12.32 \\ 111 \end{array}$$

6/6 Subtraction

- Line up the digits in the correct columns

e.g. $645 - 427$

			H	T	U
	6	4	5		
	4	2	7		
	2	1	8		

6/7 Equivalent fractions

- To simplify a fraction

Example: $\frac{27}{36}$

First find the highest common factor of the numerator and denominator - which is 9, then divide

$$\frac{27 \div 9}{36 \div 9} = \frac{3}{4}$$

- To change fractions to the same denominator

Example: $\frac{3}{4}$ and $\frac{2}{3}$

Find the highest common multiple of the denominators - which is 12, then multiply:

$$\frac{3^{x3}}{4^{x3}} = \frac{9}{12} \quad \text{and} \quad \frac{2^{x4}}{3^{x4}} = \frac{8}{12}$$

6/8 Add & subtract fractions

- Make the denominators the same

e.g. $\frac{1}{5} + \frac{7}{10}$ $= \frac{2}{10} + \frac{7}{10}$ $= \frac{9}{10}$	e.g. $\frac{4}{5} - \frac{2}{3}$ $= \frac{12}{15} - \frac{10}{15}$ $= \frac{2}{15}$
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Do not add denominators

- To **multiply by 10**, move each digit one place to the left
 e.g. $35.6 \times 10 = 356$

Hundreds	Tens	Units	•	tenths
	3	5	•	6
3	5	6	•	

- To **divide by 10**, move each digit one place to the right

e.g. $35.6 \div 10 = 3.56$

Tens	Units	•	tenths	hundredths
3	5	•	6	
	3	•	5	6

- To **multiply by 100**, move each digit 2 places to the left
- To **divide by 100**, move each digit 2 places to the right

AN ALTERNATE METHOD

Instead of moving the digits
 Move the decimal point the opposite way

6/9 Multiply fractions

- Write 5 as $\frac{5}{1}$
- Multiply numerators & denominators

e.g. $5 \times \frac{2}{3}$ $= \frac{5}{1} \times \frac{2}{3}$ $= \frac{10}{3} = 3\frac{1}{3}$	e.g. $\frac{4}{5} \times \frac{2}{3}$ $= \frac{8}{15}$
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6/9 Divide fractions

- Write 5 as $\frac{5}{1}$
- Invert the fraction after \div sign
- Multiply numerators & denominators

e.g. $\frac{2}{3} \div 5$ $= \frac{2}{3} \times \frac{1}{5}$ $= \frac{2}{15}$	e.g. $\frac{4}{5} \div \frac{2}{3}$ $= \frac{4}{5} \times \frac{3}{2}$ $= \frac{12}{10} = 1\frac{2}{10} = 1\frac{1}{5}$
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6/10 Multiply/divide decimals by 10, 100

thousands	hundreds	tens	units	•	tenths	hundredths	thousandths
4	3	5	2	•	6	1	7

6/11 Multiply decimals

- Step 1 - remove the decimal point
- Step 2 - multiply the two numbers
- Step 3 - Put the decimal back in

Example: 0.06×8
 $\Rightarrow 6 \times 8$
 $\Rightarrow 48$
 $\Rightarrow 0.48$

6/11 Divide decimals

- Use the bus shelter method
- Keep the decimal point in the same place
- Add zeros for remainders

Example: $6.28 \div 5$

$$\begin{array}{r} 1.256 \\ 5 \overline{) 6.280} \end{array}$$

6/12 Fraction, decimal, percentage equivalents

LEARN THESE:

$$\frac{1}{4} = 0.25 = 25\%$$

$$\frac{1}{2} = 0.5 = 50\%$$

$$\frac{3}{4} = 0.75 = 75\%$$

$$\frac{1}{10} = 0.1 = 10\%$$

Percentage to decimal to fraction

$$27\% = 0.27 = \frac{27}{100}$$

$$7\% = 0.07 = \frac{7}{100}$$

$$70\% = 0.7 = \frac{70}{100} = \frac{7}{10}$$

Decimal to percentage to fraction

$$0.3 = 30\% = \frac{3}{10}$$

$$0.03 = 3\% = \frac{3}{100}$$

$$0.39 = 39\% = \frac{39}{100}$$

Fraction to decimal to percentage

$$\frac{4}{5} = \frac{80}{100} = 80\% = 0.8$$



Change to 100

0.375

$$\frac{3}{8} = 3 \div 8 = 8) \overline{3.000} = 0.375 = 37.5\%$$

$$\frac{9}{12} = \frac{3}{4} = 0.75 = 75\%$$



Cancel by 3

6/13 Fraction of quantity

- $\frac{4}{5}$ means $\div 5 \times 4$

e.g. To find $\frac{4}{5}$ of £40

$$£40 \div 5 \times 4 = £40$$

6/13 Percentage of quantity

Use only

- 50% - $\frac{1}{2}$
- 10% - $\frac{1}{10}$
- 1% - $\frac{1}{100}$

Example : To find 35% of £400

$$10\% = £40$$

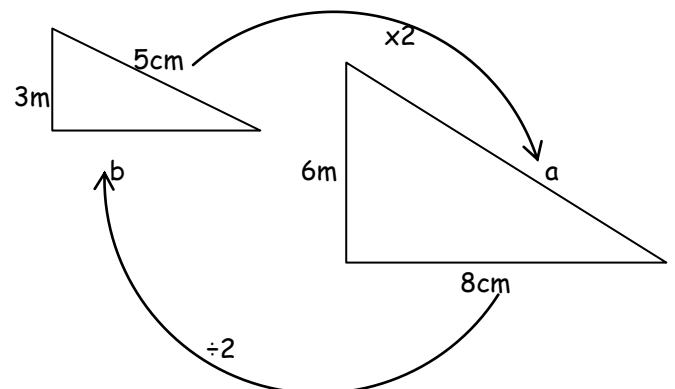
$$20\% = £80$$

$$5\% = £20$$

$$35\% = £140$$

6/14 Similar shapes

When a shape is enlarged by a scale factor the two shapes are called **SIMILAR** shapes



$$\text{Scale factor} = 6 \div 3 = 2$$

$$\text{Length } a = 5 \times 2 = 10\text{cm}$$

$$\text{Length } b = 8 \div 2 = 4\text{cm}$$

6/14 Unequal sharing

Example- unequal sharing of sweets

A gets

3 shares

$$\Rightarrow 3 \text{ sweets} \times 4$$

$$\Rightarrow 12 \text{ sweets}$$

B gets

4 shares

$$4 \text{ sweets} \times 4$$

$$16 \text{ sweets}$$

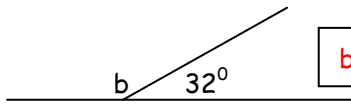
6/15 Express missing numbers algebraically

An unknown number is given a letter

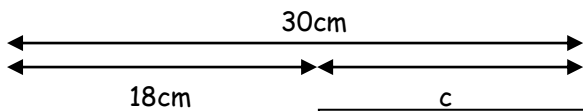
Examples

$2a - 4 = 8$

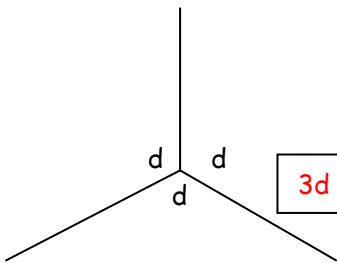
$2a = 12$ so $a = 6$



$b + 32 = 180$ so $b = 148^\circ$



$18 + c = 30$ so $c = 12$



$3d = 360^\circ$ so $d = 120^\circ$

6/15 Use a word formula

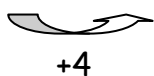
Example: - Time to cook a turkey
Cook for 45min per kg weight
Then a further 45min

For a 6kg turkey, follow the formula:
 $45\text{min} \times 6 + 45\text{min}$
 $= 270\text{min} + 45\text{min}$
 $= 315\text{min}$
 $= \underline{5\text{h } 15\text{min}}$

6/16 Number sequences

- Understand position and term

Position	1	2	3	4
Term	3	7	11	15



Term to term rule = **+4**
Position to term rule is $n \times 4 - 1$
(because position $1 \times 4 - 1 = 3$)
nth term = $n \times 4 - 1 = 4n - 1$

- Generate terms of a sequence

If the nth term is $5n + 1$
1st term ($n=1$) = $5 \times 1 + 1 = 6$
2nd term ($n=2$) = $5 \times 2 + 1 = 11$
3rd term ($n=3$) = $5 \times 3 + 1 = 16$

6/17 Possible solutions of a number sentence

Example: x and y are numbers
Rule: $x + y = 5$
Possible solutions: $x = 0$ and $y = 5$
 $x = 1$ and $y = 4$
 $x = 2$ and $y = 3$
 $x = 3$ and $y = 2$
 $x = 4$ and $y = 1$
 $x = 5$ and $y = 0$

6/18 Convert units of measure METRIC

When converting measurements follow these rules:
• When converting from a **larger unit to a smaller** unit we **multiply** (\times)
• When converting from a **smaller unit to a larger** unit we **divide** (\div)

UNITS of LENGTH
 $10\text{mm} = 1\text{cm}$
 $100\text{cm} = 1\text{m}$
 $1000\text{m} = 1\text{km}$

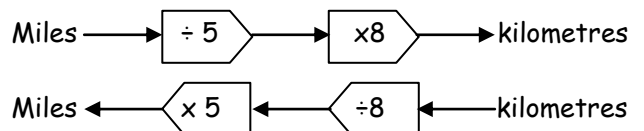
UNITS of MASS
 $1000\text{g} = 1\text{kg}$
 $1000\text{kg} = 1\text{tonne}$

UNITS of VOLUME
 $1000\text{ml} = 1\text{litre}$
 $100\text{cl} = 1\text{litre}$

UNITS of TIME
 $60\text{sec} = 1\text{min}$
 $60\text{min} = 1\text{hour}$
 $24\text{h} = 1\text{day}$
 $365\text{days} = 1\text{year}$

6/19 Convert units of measure METRIC/IMPERIAL

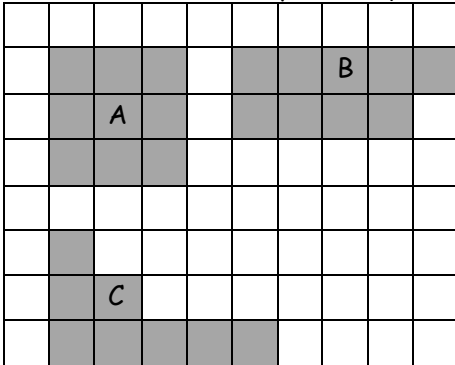
LEARN: 5 miles = 8km



6/20 Perimeter and area of shapes

Shapes can have the SAME area but different perimeters

The area of each shape is 9 squares

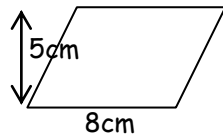


Perimeter of each shape is different
A - 12; B - 14; C - 16

6/21 Area of parallelogram & triangle

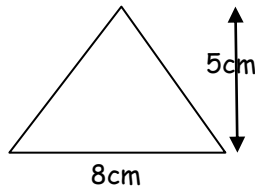
Area of parallelogram

$$\begin{aligned} \text{Area of parallelogram} &= b \times h \\ &= 8 \times 5 \\ &= \underline{40\text{cm}^2} \end{aligned}$$



Area of triangle ($\frac{1}{2}$ a parallelogram)

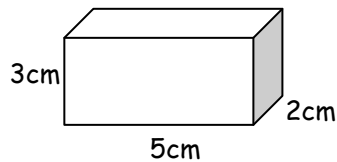
$$\begin{aligned} \text{Area of triangle} &= \frac{b \times h}{2} \\ &= \frac{8 \times 5}{2} \\ &= \underline{20\text{cm}^2} \end{aligned}$$



6/22 Volume

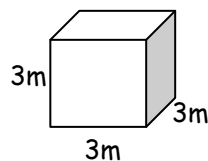
Volume of cuboid

$$\begin{aligned} \text{Volume} &= l \times w \times h \\ &= 5 \times 3 \times 2 \\ &= 30\text{cm}^3 \end{aligned}$$



Volume of cube

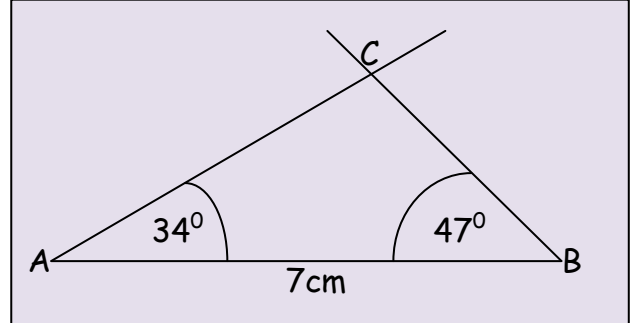
$$\begin{aligned} \text{Volume} &= l \times w \times h \\ &= 3 \times 3 \times 3 \\ &= 27\text{m}^3 \end{aligned}$$



6/23 Construct 2D shapes

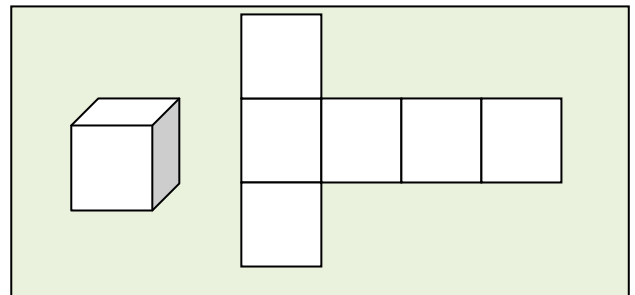
Example : Triangle with side and angles given

- Draw line AB = 7cm
- Draw angle 34° at point A from line AB
- Draw angle 47° at point B from line AB
- Extend to intersect the lines at C

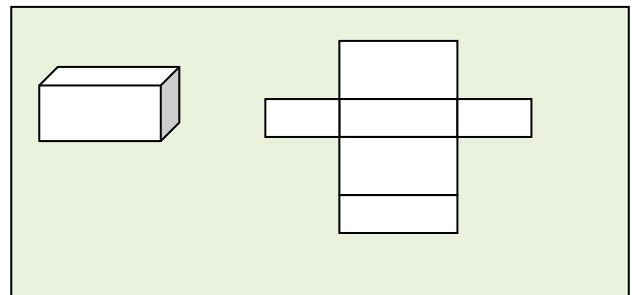


6/23 Construct 3D shapes

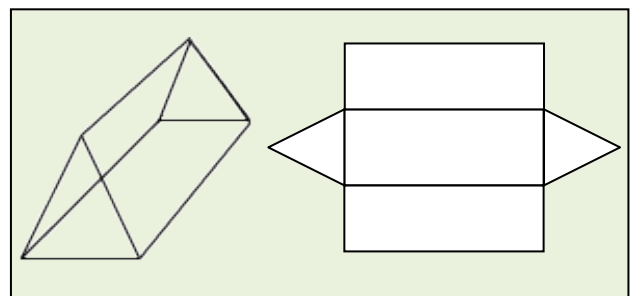
CUBE & its net



CUBOID & its net



TRIANGULAR PRISM & its net

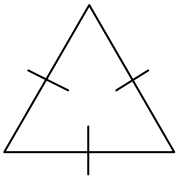


6/24 Properties of shapes

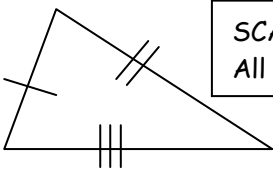
TRIANGLES - sum of angles = 180°



ISOSCELES triangle
2 equal sides & 2 equal angles

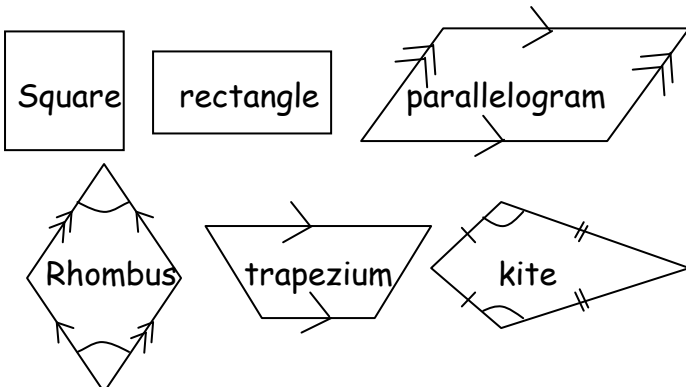


EQUILATERAL triangle
3 equal sides & ALL angles 60°



SCALENE triangle
All sides & angles different

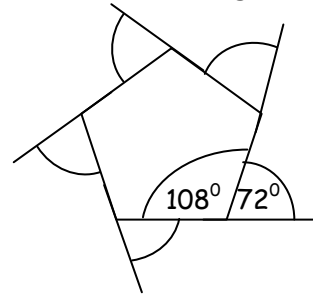
QUADRILATERALS - sum of angles = 360°



REGULAR POLYGONS - all sides the same

- Polygons have straight sides
- Polygons are named by the number sides
 - 3 sides - triangle
 - 4 sides - quadrilateral
 - 5 sides - pentagon
 - 6 sides - hexagon
 - 7 sides - heptagon
 - 8 sides - octagon
 - 9 sides - nonagon
 - 10 sides - decagon

- Sum of exterior angles is always 360°



- interior & exterior angle add up to 180°

- the interior angles add up to:

Triangle = 1 x 180° = 180°

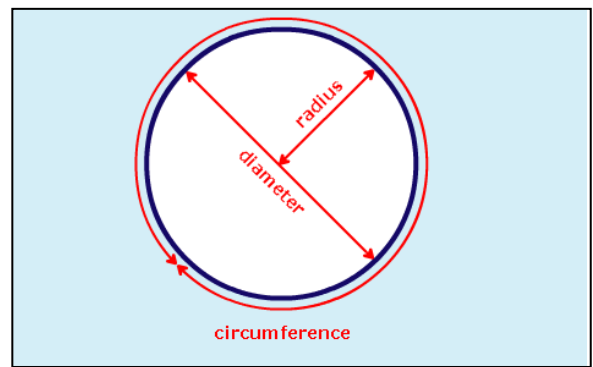
Quadrilateral = 2 x 180° = 360°

Pentagon = 3 x 180° = 540°

Hexagon = 4 x 180° = 720° etc

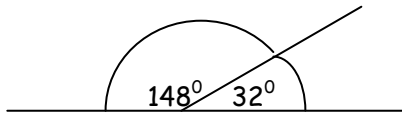
6/25 Parts of a circle

- The circumference is the distance all the way around a circle.
- The diameter is the distance right across the middle of the circle, passing through the centre.
- The radius is the distance halfway across the circle.
- The radius is always half the length of the diameter. ($d = 2 \times r$) or ($r = \frac{1}{2} \times d$)



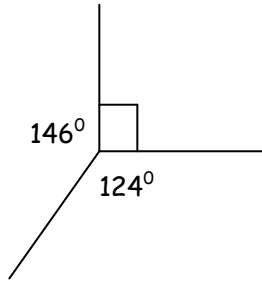
6/26 Angles and straight lines

- Angles on a straight line add up to 180°



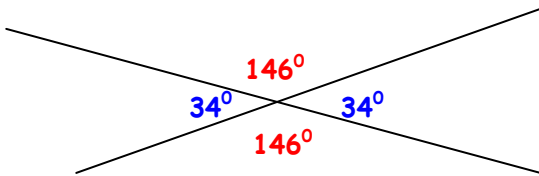
$$148^\circ + 32^\circ = 180^\circ$$

- Angles about a point add up to 360°

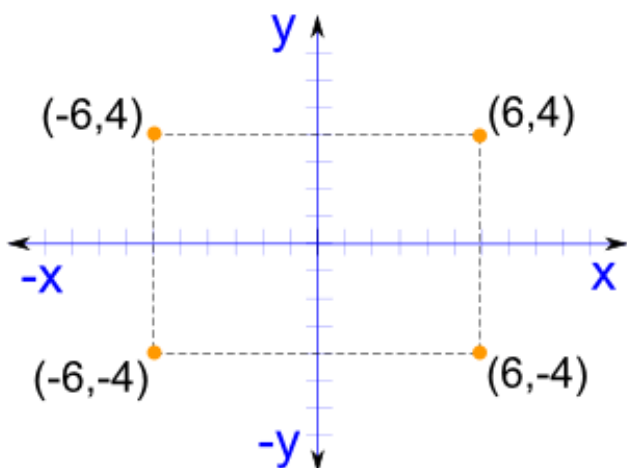


$$146^\circ + 90^\circ + 124^\circ = 360^\circ$$

- Vertically opposite angles are equal

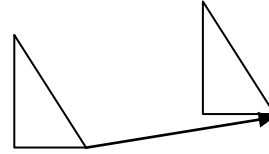


6/27 Position on a co-ordinate grid



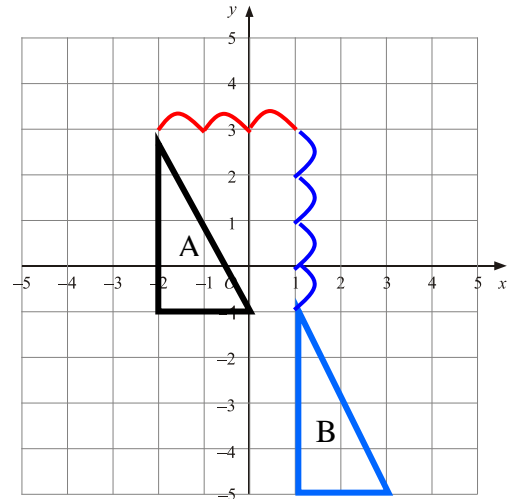
6/28 Transformations

- Translation** - A shape moved along a line



Example - Move shape A 3 right & 4 down

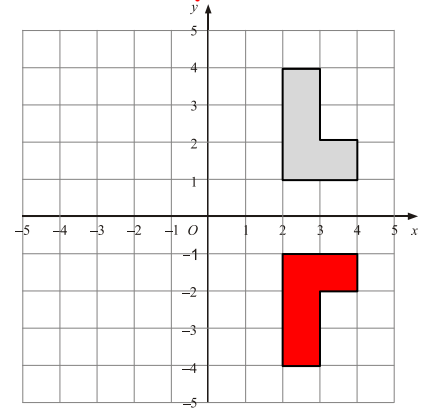
Can also be written as a vector $\begin{pmatrix} 3 \\ -4 \end{pmatrix}$ Right Down



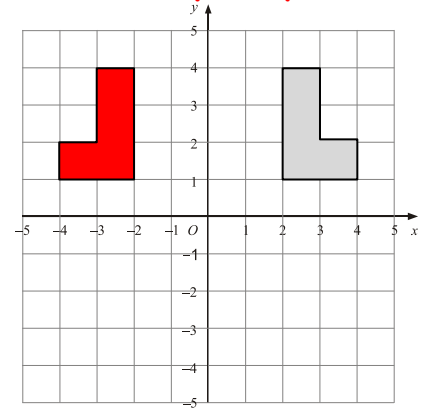
Notice:

- The new shape stays the same way up
- The new shape is the same size

- Reflect a shape in x-axis**



- Reflect a shape in y-axis**



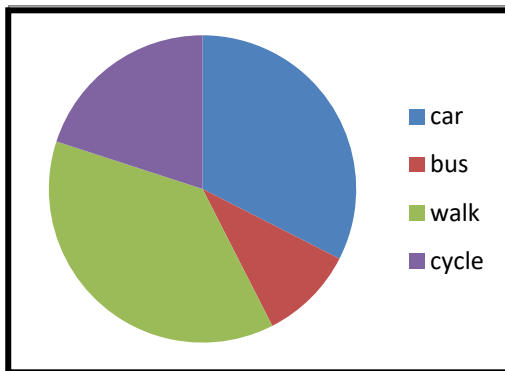
6/29 Graphs

○ Pie chart

Transport	Frequency	Angle
Car	13	$13 \times 9 = 117^\circ$
Bus	4	$4 \times 9 = 36^\circ$
Walk	15	$15 \times 9 = 135$
Cycle	8	$8 \times 9 = 72$

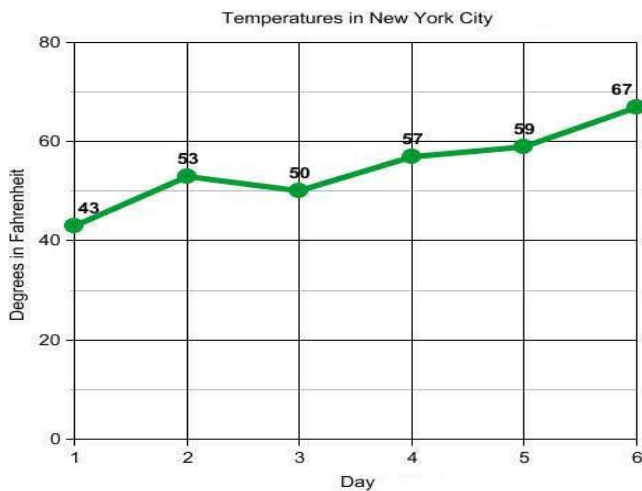
↑
Total frequency = 40

$360^\circ \div 40 = 9^\circ$ per person



○ Line graph

Line graphs show changes in a single variable - in this graph changes in temperature can be observed.



6/30 The mean

The mean is usually known as the average.

The mean is not a value from the original list.

It is a typical value of a set of data

Mean = total of measures \div no. of measures

e.g.- Find mean speed of 6 cars travelling on a road

Car 1 - 66mph

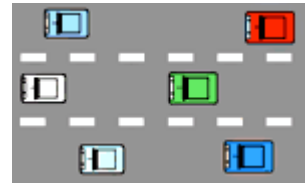
Car 2 - 57mph

Car 3 - 71mph

Car 4 - 54mph

Car 5 - 69mph

Car 6 - 58mph



Mean = $\frac{66+57+71+54+69+58}{6}$

6

= $\frac{375}{6}$

6

= 62.5mph

Mean average speed was 62.5mph