

The St Mary's Primary Maths Curriculum

Name

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INTENT

WHY do we teach Mathematics at St Mary's?

"Pure Mathematics is, in its way, the poetry of logical ideas." - Albert Einstein

Believe + Enjoy + Achieve = Everything Is Possible

Mathematics is an important creative discipline that helps us to understand and change the world. We want all pupils at St Mary's Broughton Gifford to experience the beauty, power and enjoyment of mathematics and develop a sense of curiosity about the subject.

At St Mary's, we foster positive 'can do' attitudes, actively believe *all* children can achieve in mathematics, and teach for secure and deep understanding of mathematical concepts. We use mistakes and misconceptions as an essential part of learning and provide challenge through rich and sophisticated problems before acceleration through new content.

It is our intent that by the time a child leaves St Mary's they will have...

- Become **fluent in the fundamentals of mathematics** (see Breadth of Study progression) so that they develop conceptual understanding and the ability to recall and apply knowledge rapidly and accurately.
- **Solve problems** by applying their mathematics to a variety of problems with increasing sophistication, including in unfamiliar contexts and to model real-life scenarios
- **Reason mathematically** by following a line of enquiry and develop and present a justification, argument or proof using mathematical language.
- Have an **appreciation of number and number operations**, which enables mental calculations and written procedures to be performed efficiently, fluently and accurately to be successful in mathematics.
- Secure and deep understanding of Mathematical concepts

The essential idea behind teaching of Maths at St Mary's Broughton Gifford is that all children need a secure and deep understanding of the mathematical concepts they are learning so that:

- Future mathematical learning is **built on solid foundations**, which do not need to be re-taught;
- There is no need for separate catch-up programmes due to some children falling behind;
- Children who, under other teaching approaches, can often fall a long way behind, are better able to keep up with their peers, so that gaps in attainment are narrowed while the attainment of all is raised.

At St Mary's Broughton Gifford, we view this as a set of core principles and beliefs. This includes a belief that all pupils are capable of understanding and doing mathematics, given sufficient time. Pupils are neither 'born with the maths gene' nor 'just no good at maths'. With good teaching, appropriate resources, effort and a 'can do' attitude all children can achieve in and enjoy mathematics. Integral to **mastery** of the curriculum is the development of deep rather than superficial conceptual understanding. The research for the review of the National Curriculum showed that it should focus on "fewer things in greater depth", in secure learning which persists, rather than relentless, overrapid progression.

We feel **secure and deep understanding of the mathematics curriculum** requires that all pupils:

- Use mathematical concepts, facts and procedures appropriately, flexibly and fluently;
- Recall key number facts with speed and accuracy and use them to calculate and work out unknown facts;
- Have sufficient depth of knowledge and understanding to reason and explain mathematical concepts and procedures and use them to solve a variety of problems.

To support this, we believe that if a pupil has mastered a mathematical concept, idea or technique he or she can:

- Describe it in his or her own words;
- Represent it in a variety of ways (e.g. using concrete materials, pictures and symbols)
- Explain it to someone else;
- Make up his or her own examples (and no examples) of it;
- See connections between it and other facts or ideas:
- Recognise it in new situations and contexts;
- Make use of it in various ways, including in new situations.

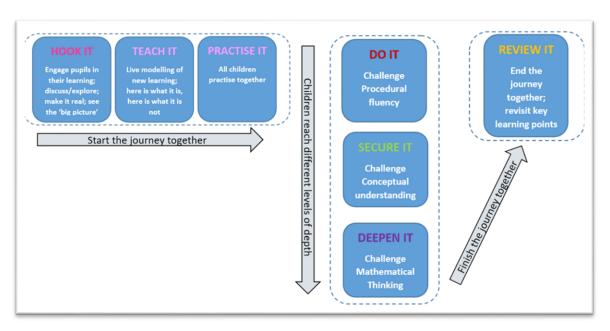
Implementation

HOW do we teach Mathematics at St Mary's?

1) Mathematics Lesson: Intelligent Practice

Each day, classes take part in **Maths Lessons** (40-45mins) which focus on one manageable step, taken from a thorough and well-considered long and medium term planning document, which ensures sufficient, progressive and deep coverage of all curriculum objectives. Unit planning is based on the National Curriculum Statements ('Themes') dividing materials into manageable steps lesson by lesson.

Typical Maths Lesson Design:



Whilst this is the 'typical' lesson design, we also recognise the need for flexibility in planning to allow teachers to approach different concepts in different ways according to the complexity of the subject and age of the children. Here are some examples of how it may be adapted:

• Rather than a lesson including a Do It, Twist It, Solve It section, these may be tackled over several lessons to allow for more time to be given to each section. For example, a class might have a Do It Day, a Twist It Day and a Solve It Day

 Whilst transitioning from Foundation Stage to Year 1 in the Autumn terms, teaching of Mathematics takes on a less formal lesson design, focusing on using manipulatives, learning through exploration and play and discussion-based learning, with evidence coming as part of teachers' observations, photo evidence and other recordings, transitioning towards more formal recordings in books in the Spring term. However, the language of Do It, Twist It and Solve It will be introduced and used from the beginning of Year 1 alongside this approach.

2) Maths Meetings: Deliberate Practice

At St Mary's Broughton Gifford, we make time every day for children to take part in Maths Meetings (20 minutes). This is specifically timetabled beyond the Maths Lessons to support deliberate practice, consolidation, pre-teach and/or provide immediate intervention. This time to revisit previously learned concepts, knowledge and procedures ensures that, once learned, mathematical knowledge becomes deeply embedded in pupils' memories.

Example Weekly Overview:

- Monday: Arithmetic Practice (past and present skills)
- o Tuesday: Arithmetic Practice (past and present skills)
- Wednesday: Deliberate Practice and/or Same Day/Week 'Preventing the Gap' Intervention
- o Thursday: Deliberate Practice and/or Same Day/Week 'Preventing the Gap' Intervention
- o Friday: Fact Friday (Y1 Bonds; Y2 Muplication and Division Facts 2, 5, 10; KS2 Multiplication and Division Facts)

However, teachers are encouraged to routinely adapt these sessions based on the arising needs of the children in their class, using both their formative and summative assessments to help inform this. For example, there may have been gaps in children's learning from previous weeks we need further practise as gleaned from an end of term assessment, or a teacher may have identified a gap in children's understanding at the beginning of the week which needs to be addressed immediately. As with the Maths Lessons, there is flexibility for teachers to adapt the order and timetabling of Maths Meetings to suit the arising needs, age of the children and other timetabling adaptationso: sme classes may have their Maths Meetings prior to a Maths Lesson, some may have them immediately after lunch and some may have them at the beginning of the school day.

Higher Attaining Pupils

At St Mary's Broughton Gifford, developing secure and deep understanding of all mathematical concepts is used to acknowledge that all pupils require depth in their learning, but some pupils will go deeper still in their learning and understanding. However, our 'can do' approach to teaching Maths means that we do not label pupils as lower/higher ability, as the use of this language puts an automatic ceiling on what children can or cannot achieve as predetermined by their teachers, parents or themselves. In fact, research shows that when teachers teach with the belief that a pupil is capable of achieving well, those children go on to make more rapid progress than their peers (*Pygmalion in the Classroom*, Rosenthal and Jacobsen, 1968). As such, we use the language of 'prior lower/higher attaining' pupils and ensure that all children access all parts of Maths Lessons. Although we encourage challenge for all through all stages of teaching and learning, we ensure that children who attain well and grasp concepts quickly are given the opportunity to deepen their learning even further in every lesson.

It is inevitable that some pupils will grasp concepts more rapidly than others and will need to be stimulated and challenged to ensure continued progression. However, research indicates that these pupils benefit more from enrichment and deepening of content, rather than acceleration into new content. Acceleration is likely to promote superficial understanding, rather than the true depth and rigour of knowledge that is a foundation for higher mathematics.

Challenge for all is provided by *going deeper* rather than accelerating too early into new mathematical content; it is a fundamental element of our approach to Maths teaching, being woven throughout every part of a lesson for all children. During the Teach It/Practise It parts of lessons, teachers challenge all children to develop their procedural, conceptual and depth of understanding through questioning, using precise mathematical vocabulary and generalisations, and expecting all children to reason about their understanding using the same vocabulary/generalisations.

We believe if a child is developing **mastery with greater depth** the child can:

- Solve problems of greater complexity (i.e. where the approach is not immediately obvious), demonstrating creativity and imagination;
- Independently explore and investigate mathematical contexts and structures, communicate results clearly and systematically explain and generalise the mathematics.

Children with Special Educational Needs (SEN):

Typically, all children are taught maths as part of whole classes of children, as we believe that children benefit from exposure to mathematical discussion, demonstration and explanation of methods. Children with SEN are encouraged and supported to participate in daily maths lessons where appropriate. Where applicable, children will have individual targets which are recorded in their SEN provision maps. These targets are based on the child's level of development and are matched appropriately to the National Curriculum Programme of Study for Mathematics.

Children with SEN who are finding it difficult to access the content of main maths lessons may be supported by additional support staff who work in collaboration with the class teachers. Children with severe and complex learning needs may be supported through an individualised programme of support in the main part of a lesson, so that the content of lessons is matched to their level of ability. This may mean that these children are being taught knowledge, skills and understanding in ways that suit their individual needs. This could be presented as teaching them knowledge, skills and understanding from previous Year Groups or Key Stages so that they can make progress and achieve at a pace which is appropriate for them.

Early Years Foundation Stage (EYFS):

Teachers and practitioners support children in developing their understanding of mathematics in a broad range of contexts in which they can explore, enjoy, learn, practise and talk about their developing understanding. This area of development includes seeking patterns, making connections, recognising relationships, working with numbers, shapes and measures, and counting, sorting and matching. Children use their knowledge and skills in these areas to solve problems, generate new questions and make connections across other areas of learning and development.

Children in the EYFS learn by playing and exploring, being active, and through creative and critical thinking which takes place both indoors and outside. We recognise that children learn through routine, continuous provision and incidental learning opportunities, as well as planned sessions and activities. Mathematical understanding can be developed through stories, songs, games, routine, questioning, imaginative play, child initiated learning and structured teaching.

In Foundation Stage 1, group activities are timetabled and planned. In Foundation Stage 2, daily time is dedicated to mathematics. Overall these lessons include a good balance between whole-class work, group teaching and individual practice. In the Autumn term, these

sessions are similar to those in Foundation Stage 1. However, throughout the year there is a gradual shift where adult-directed sessions are extended in preparation for Year 1.

Overall, in Mathematics at St Mary's, we will be doing more of this:

- ☑ Teaching all pupils in class, together, most of the time
- ☑ Verbal feedback during lessons and more ticking of correct concepts
- ☑ Spending longer on one idea
- ☑ Giving pupils who need it additional support over shorter more intense timescales ideally same/next day to prevent gaps in learning occurring
- ☑ Regular assessments which cover what's been taught to inform teaching

And less of this:

- ☑ Formal marking with lots of feedback and 'next steps'
- ☑ Covering lots of ideas in one week
- ☑ Formal, long term interventions to boost pupils out of class
- Separating in to ability groups
- ☑ Formal testing of pupils termly to obtain a grade/level

Mixed-Age Classes

As a school with mixed-age classes, we recognise a need to balance full and deep coverage of the curriculum alongside the logistical and workload challenges of teaching two year group's curricula concurrently. As a result, there are the approaches staff will adopt in order to strike the most efficient balance for their cohorts of children when planning for mixed-aged classes:

• Teaching separate sessions for each year group

- o Teaching smaller, separate sessions to each year group. For example, teach one year for 30mins, then swap with the other
- Focusing on one year group for a whole session while the other does Extra Problem Solving, practise of prior learning etc, supervised by a TA

• Joining up similar concepts by rearranging the order and/or covering both objectives in one session

- Some objectives overlap and can be covered at the same time, developing depth of understanding for each year group through targeted questioning
- Some objectives are the same for both year groups and can be taught concurrently

• Being flexible with the length of time spent on concepts

- Through assessment information, teachers may use their professional judgement to decide that there are some concepts which
 your class have already mastered. As a result, they may not need as many sessions as the planning suggests and, therefore,
 can spend less time on that concept and more on another
- The planning template allows flexibility for 'Extra Problem Solving' sessions, which can be used to focus on year group specific content while another focused on additional problem solving
- o Some concepts may only need light-touch coverage and could be built upon in the Maths Meetings
- Some concepts can be drip-fed (e.g. days of the week, months, time, roman numerals etc) and may not need specific Maths
 Lesson time to
- o Some concepts can be covered in a cross-curricular way (e.g. statistics, averages, measures through Science)

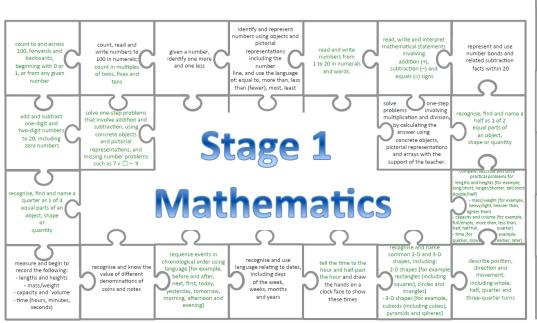
WHAT do we teach in Mathematics at St Mary's?

The CanDoMaths approach is used to underpin teacher's teaching, planning and assessment of Mathematcs. Can Do is underpinned by the National Curriculum and Non-Statutory Guidance and, as a result, CanDoMaths progression and sequencing of lessons can be monitored in-line with national expectations. EYFS use the Maths Project, developed by Sue Rayner, as their framework for teaching (*The CanDoMaths Manageable Steps for each year group and Maths Project overview can be found on the school website alongside this policy*).

The Can DoMaths and Sue Rayner progressions are used as a **framework** from which teachers plan their sequence of lessons. However, teacher judgement will ultimately be used as the basis for deciding the sequence of lessons and amount of time spent on each concept depending on the arising needs of the children in each cohort.

Core Skills Progression

Breadth of Study



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	count in steps of 2, 3, and 5 from 0, and in tens from any number, forward and backward	recognise the place value of each digit in a two-digit number (tens, ones)	identify, represent and estimate numbers using different representations, including the number line	compare and order numbers from 0 up to 100; use <, > and = signs	read and write numbers to at least 100 in numerals and in words	use place value and number facts to solve problems	solve problems with addition and subtraction: - using concrete objects and pictorial representations, including those involving numbers, quantities and measures - applying their increasing knowledge of mental and
	recall and use addition and subtraction facts to 20 fluently, and derive and use related facts up to 100	add and usubtract numbers using concrete objects, pictorial representations, and mentally, including: - a two-digit number and ones - a two-digit number and tens - two two-digit numbers - adding three one-digit numbers	show that addition of two numbers can be done in any order (commutative) and subtraction of one number from another cannot	recognise and use the inverse relationship between addition and subtraction and use this to check calculations and solve missing number problems.	recall and use multiplication and division facts for the 2,5 and 10 multiplication tables, including recognising odd and even numbers	calculate mathematical statements for multiplication and division within the multiplication tables and write them using the multiplication (*), division (*) and equals (=) signs	order
ch	Solve problems involving multiplication and division, using material; arrays, repeated addition, mental methods, and multiplication and division facts, including problems in contexts once and use and use	recognise, find, name and write fractions 1/3, 1/4, 2/4 and 3/4 of a length, shape, set of objects or quantity	St	age	2		write simple fractions for example, 1/2 of 6 = 3 and recognise the equivalence of 2/4 and 1/2
ur ler (m te ca ne ru	ppropriate standard ints to estimate and measure ngth/height in any direction n/cm); mass (kg/g); mperature (*C); spacity (litres/m) to the earest appropriate unit, using silers, scales, thermometers and measuring vessels		M	lathe	ema	tics	compare and order lengths, mass, volume/capacity and record the results using >, < and =
	recognise and use symbols for pounds (£) and pence (p); combine amounts to make a particular value	find different combinations of coins that equal the same amounts of money	solve simple problems in a practical context involving addition and subtraction of money of the same unit, including giving change	compare and sequence intervals of time	tell and write the time to five minutes, including quarter past/to the hour and draw the hands on a clock face to show these times	know the number of minutes in an hour and the number of hours in a day.	identify and describe the properties of 2-D shapes, including the number of sides and line symmetry in a vertical line
	identify and describe the properties of 3-D shapes, including the number of edges, vertices and faces	identify 2-D shapes on the surface of 3-D shapes, [for example, a circle on a cylinder and a triangle on a pyramid]	compare and sort common 2-D and 3-D shapes and everyday objects	use mathematical vocabulary to describe position, direction and movement, including movement in a straight line and distinguishing between rotation as a turn and in terms of right angles for quarter, half and three-quarter truns (clockwise and anti-clockwise)	interpret and construct simple pictograms, tally charts, block diagrams and simple tables	ask and answer simple questions by counting the number of objects in each category and sorting the categories by quantity	ask and answer questions about totalling and comparing categorical data

count from 0 in						add and subtract numbers mentally, including:					
multiples of 4, 8, 50 and 100; find	recognise the place value of each digit	compare and order	identify, represent	read and write	solve number	- a three-digit number and ones					
10 or 100 more or less	in a three-digit	numbers up to 1000	numbers using	numbers up to 1000 in numerals	practical problems	- a three-digit number and			1		
than a given number	(hundreds, tens, ones)	1	representations	and in words	involving these ideas	- a three-digit number and				recognise the place	
given number							count in multiples	find 1000 more or	count backwards through zero	value of each digit in a four-digit	order and
$\neg \neg \neg$					solve problems,	count up and down	of 6, 7, 9, 25 and 1000	less than a given number	to include	number	compare numb beyond 100
add and subtract				write and calculate mathematical statements	including missing number problems, involving	in tenths; recognise that tenths arise			negative numbers	(thousands, hundreds, tens, and ones)	
numbers with up to three digits, using	estimate the answer to a calculation and	solve problems, including missing number problems,	recall and use multiplication and	for multiplication and division using the multiplication tables		from dividing an object into 10 equal			<u> </u>	L	L
formal written methods of columnar	use inverse operations to check	using number facts, place value, and more complex	division facts for the 3, 4 and 8	that they know, including for two-digit numbers times one-	integer scaling problems and	parts and in dividing					
addition and	answers	addition and subtraction	multiplication tables	digit numbers, using mental and progressing to formal	correspondence problems in which n objects are connected	one-digit numbers or quantities by 10	add and subtract numbers with up to 4	estimate and use	solve addition and subtraction two-step	recall multiplication and	use place value, i derived facts to
subtraction				written methods	to m objects		digits using the formal written	inverse operations to check answers	problems in contexts, ildeciding which operations	division facts for multiplication	and divide mentall multiplying by
75					$\overline{}$		methods of columnar addition and subtraction	to a calculation	and methods to use and	tables up to	dividing by 1; me together three
recognise, find and			_			recognise and use fractions as numbers:	where appropriate		l why		l together take
write fractions of a discrete set of objects	l		tago	2		unit fractions and non-unit			-	— —	
unit fractions and non-unit fractions with	1		tage			fractions with small denominators	count up and down in hundredths; recognise	solve problems involving increasingly harder fractions			
small denominators							that hundredths arise when	to calculate quantities, and fractions to divide quantities	\mathcal{L}	C 1	-20
							dividing an object by one	including non-unit fractions where the answer is a whole			tag
		ヘルっキリ	hem	atic			hundred and dividing tenths by ten	number			
recognise and show,		IVIAL		alll		add and subtract fractions with the same					
using diagrams, equivalent fractions						denominator within one					
with small denominators	1					whole [for example, 5/7 + 1/7 = 6/7]	recognise and write decimal equivalents	J		/lath	101
denominators							to 14, 15, 14	1			
$\neg \leftarrow$	\longrightarrow \frown	$\overline{}$			estimate and read	\longrightarrow \leftarrow					
\circ				tell and write the time	time with Increasing	know the number of			$\overline{}$		
compare and order	measure, compare, add	measure the	add and subtract amounts of money to	from an analogue clock, including using	minute; record and compare	seconds in a minute and the number of			solve simple measure		
unit fractions, and fractions with the	and subtract: lengths (m/ cm/mm); mass (kg/g);	perimeter of simple 2-D shapes	give change, using	Roman numerals	time in terms of seconds, minutes and hours; use	days in each	round decimals with one decimal place	compare numbers with the same number of	and money problems involving	Convert between different units of measure	measure and cald perimeter of
same denominators	volume/capacity (I/mI)	Simple 2-D shapes	both £ and p in practical contexts	and 12-hour and 24-hour	vocabulary such as o'clock, a.m./p.m., morning, afternoo	month, year and leap year	to the nearest	decimal places up to two decimal places	fractions and decimals	[for example, kilometre to metre: hour to minute]	
				Ö	noon and midnight		whole number	decimal places	to two decimal places.	mede, nour to minute,	in centimetres ar
$\overline{}$	-	\longrightarrow \leftarrow	identify right angles,	\longrightarrow \leftarrow							2 كــــــا
compare durations of	draw 2-D shapes and make 3-D shapes using		recognise that two right angles make a half-turn,	identify horizontal	interpret and	solve one-step and two-step questions [for example,		identify acute and		l	
events (for example to	modelling materials; recognise 3-D	recognise angles as a property of shape or a	three make three quarters of a turn and	and vertical lines	present data using bar charts.	'How many more?' and 'How many	compare and classify geometric shapes,	obtuse angles and compare and	identify lines of symmetry in	complete a simple	describe posit
calculate the time taken by particular events or	shapes in different	description of a turn	four a complete turn; identify whether angles	perpendicular and	pictograms and	fewer?'] using information presented in	including quadrilaterals and triangles, based on	order angles	2-D shapes	with respect to a	coordinate the first qua
tasks]	orientations and describe them		are greater than or less than a right angle	parallel lines	tables	scaled bar charts and	their properties and sizes	up to two right angles by size	orientations	specific line or symmetry	une mat que
			right angle			pictograms and tables				<u> </u>	

count in multiples of 6, 7, 9, 25 and 1000	find 1000 more or less than a given number	count backwards through zero to include negative numbers	recognise the place value of each digit in a four-digit number (thousands, hundreds, tens, and ones)	order and compare numbers beyond 1000	identify, represent and estimate numbers using different representations	round any number to the nearest 10, 100 or 1000	solve number and practical problems that involve all of the above and with increasingly large positive numbers	read Roman numerals to 100 (I to C) and know that over time, the numeral system changed to include the concept of zero and place value
add and subtract numbers with up to 4 digits using the formal written methods of columnar addition and subtraction where appropriate	estimate and use inverse operations to check answers to a calculation	solve addition and subtraction two-step problems in contexts, deciding which operations and methods to use and why	recall multiplication and division facts for multiplication tables up to 12×12	use place value, known and derived facts to multiply and divide mentally, includin multiplying by 0 and 1; dividing by 1; multiplying together three numbers	recognise and use factor pairs and commutativity in mental calculations	multiply two-digit and three-digit numbers by a one-digit number using formal written layout	solve problems involving multiplying and adding, including using the distributive law to multiply two digit nur by one digit, integer scaling problems and harder correspondence problems such as n objects are connected to m objects	recognise and show, using diagrams, families of
dividing an object by one	solve problems involving increasingly harder fractions to calculate quantities, and fractions to divide quantities including non-unit fractions where the answer is a whole number	5		tage		С	add and subtract fractions with the same denominator	recognise and write decimal equivalents of any number of tenths or hundredths
recognise and write decimal equivalents to %, %, %			/lath	nem	atic	S		by 10 and 100, identifying the value of the digits in the answer as ones, tenths and hundredths
round decimals with one decimal place to the nearest whole number	compare numbers with the same number of decimal places up to two decimal places		Convert between different units of measure [for example, kilometre to metre; hour to minute]	measure and calculate the perimeter of a rectilinear figure (including squares) in centimetres and metres	find the area of ectilinear shapes by country squares	estimate, compare and calculate different measures, including mone) in pounds and pence	read, write and convert time between analogue and digital 12- and 24-hour clocks	solve problems involving converting from hours to minutes; minutes to seconds; years to months weeks to days
compare and classify geometric shapes, including quadrilaterals and triangles, based on their properties and sizes	identify acute and obtuse angles and compare and order angles up to two right angles by size	identify lines of symmetry in 2-D shapes presented in different orientations	complete a simple symmetric figure with respect to a specific line of symmetry	describe positions on a 2-D grid as coordinates in the first quadrant	describe movements between positions as translations of a given unit to the left/right and up/down	plot specified points and draw sides to complete a given polygon	interpret and present discrete and continuous data using appropriate graphical methods, including bar charts and time graphs	solve comparison, sum and difference problems using information presented in bar charts, pictograms, tables and other graphs

	divide numbers up to 4 divide numbers up to 4
	digits by a two-digit whole digits by a two-digit
read, write, order count forwards or interpret negative count forwards or interpret n	read, write, order multiply multi-digit number using the formal number using the formal perform mental
and compare backwards in steps numbers in context, count round any number up to solve number problems read Roman numerals to Affeits including	numbers un to O supplier to O
least 100 000 of powers of 10 forwards and the nearest and practical 1000 (M) and using formal numbers mentally	10 000 000 and required degree coloniate intervals a problems that a number using the
and determine the problems that problems that problems that written methods with property levels of any given backwards with	determine the value of accuracy across zero involve all of the above formal written method of number remainders, appropriate interpreting and large numbers
value of each digit columnar addition large numbers accuracy	of each digit long multiplication fractions, or by rounding, as remainders according to
whole humbers, including of the above and subtraction)	appropriate for the context the context
	use their from/serice of solve addition and use estimation to check add and subtract fractions multiply simple pairs of
solve addition and identify multiples and identify multiples and identify multiples finding know and use the attablish whether and identify multiples are identified and identified multiples and identified multiples are identified multiples.	use their knowledge of subtraction multi-step column problems involving answers to calculations use common factors to compare and order with different with
subtraction multi-step lactors, including initialing establish whether a 4 digits by a one- or multiply and divide digits by a one- or multiply and divide	problems in addition subtraction and determine fractions, denominators and writing the answer
contacts a pairs of a number of numbers, prime factors 100 is prime factors 100 is prime factors 200 is prime factors 100 is prime fact	out calculations contexts, deciding multiplication and division in the context averages fractions in the context of averages fractions in the context of averages fractions in the context of the context
deciding which operations and common factors and composite (non- and recall prime numbers including long multiplication drawing upon known facts division and interpret involving decimals by 10, Notation for squared (*)	involving the four which operations and samplest form
and methods to use and of 2 numbers prime) numbers up to 19 for two-digit numbers remainders appropriately 100 and 1,000 and cubed (3)	operations methods to use and why appropriate degree of equivalent fractions [for example, 14 × 16 = 1/s]
why for the context	
recognise mixed	Solve problems involving the relative sizes of the relative sizes
solve problems involving identify name and write pumbers and	associate a fraction with Identity the value of each solve problems recall and use quantities where
	division and calculate the decimal places and numbers with methods in cases which require equivalences between missing values
including using multiplication and division scaling by scaling by scaling by	where the where the disirely and divide a up to two
	If as available 0.3751 numbers by 10, 100 and decimal places using integer
of factors and multiples, including the state of the stat	
squares and cubes meaning of the equals sign involving simple rates including tentra and 21 as a finite on number of hundred the same number of hundred the	example, V_{ij} B decimal() places
multiply proper conditional state of the contract of the contr	solve problems involving the calculation of similar shapes where involving unequal sharing the calculation of similar shapes where involving unequal sharing the calculation of similar shapes where involving unequal sharing the calculation of similar shapes where involving unequal sharing the calculation of similar shapes where involving unequal sharing the calculation of similar shapes where involving unequal sharing the calculation of similar shapes where involving unequal sharing the calculation of similar shapes where involving unequal sharing the calculation of similar shapes where involving unequal sharing the calculation of the calculation of similar shapes where involving unequal sharing the calculation of similar shapes where involving unequal sharing the calculation of the
fractions and mixed read and write decimal recognize and use recognized and use rec	
numbers numbers as thousandths and relate them to tenths, the nearest whole and compare the number with the nearest whole number with the nearest whole the number with numbers with numbers with the nearest whole numbers with numbers numbers with number	example, of measures, Is known or can be using knowledge of algebraically
by whole for example. hundredths and decimal places decimal places decimal places	and such as 15% of found fractions and multiples
numbers, supported by note that the state of	360) and use percentages for comparison
recognise the per solve problems convert between different calculate and estimate volume use all four operations to	solve problems involving convert between Calculate, estimate and calculate, estimate and compare volume of cubes
cent symbol which require units of metric measure compare the area [for example, using Lom' solve problems involving	the calculation and standard units, converting standard units, converting
(v) and understand that knowing percentage and (tor example, kilometre approximate equivalences	find pairs of numbers that enumerate possibilities of conversion of units of measurements of length, satisfy number of units of measurements of length, satisfy number of units of unit
per cent relates to decimal equivalents of and metre; between metric units and perimeter of squares), and including solve problems involving length, mass,	settery number combinations of two measure, using mass, yolume and time from a miles and can have different the formulae parallelograms and centimetres (cm)
hundred' and write the feet of the common imperial units common im	involving un to three decimal to larger unit, and vice perimeters and vice versa for area and volume triangles and cubic metres (in
percentages as a fraction denominator of a multiple and millimetre; gram and percentages as a fraction denominator of a multiple and millimetre; gram and in centimetres and metres square metres (m²) and using water including scaling.	two unknowns places where appropriate versa, using decimal of shapes
with denominator 100, of 10 or 25. kilogram: litre and and pints estimate the area of	() () notation to lup to 3 () () () not loss ()
and as a decimal millitre) Irregular shapes	decimal places — — — — — — — — — — — — — — — — — — —
identify: identify, describe and	compare and classify illustrate and name
know angles are - angles at a point and one use the properties of distinguish between represent the position of solve comparison, sum complete, read and	geometric shapes parts of circle, recognise angles where geometric shapes parts of circle, recognise angles where describe positions draw and translate interpret and construct including radius, they meet at a point, price horts made calculate and calcula
Identify 3-D shapes, Interaction in organization of the control of	draw 2-0 snapes using build simple build simple build simple build simple snapes on build s
degrees (*) a straight line and a straight lin	angles 3-0 shapes sites and find circumference line, or are coordinate grid
optice and reflex apries (tables, including	including making nets unknown angles in any and know that the vertically opposite, and (all four quadrants) them in the axes to solve problems as an average
other multiples of 90° and know that the shape in a line graph timetables	triangles, quadrilaterals, diameter is twice the find missing angles.
has not changed	and regular polygons radius

Learning Pathway

