'Learning by Heart'

Developing children's knowledge of mathematical facts so that they know them 'by heart' is a valuable tool to support calculation strategies, and also helps to build confidence. Regular practice is needed to secure knowledge and help children instantly recall facts.

We encourage children to think 'Can I do this in my head?' Having a range of number facts at their fingertips really empowers the children and enables them to approach tasks with confidence.

Spring Term 1 : Derive more complex multiplication and division facts building on tables facts – e.g., decimals and multiples of 10 etc

Help children to link their times tables facts to larger numbers e.g.

If I know 5 x 3 = 15 then $50 \times 3 = 150$ and $5 \times 30 = 150$ and 50 x 30 = 1500 All of these facts link to x 10 knowledge. Extend this to knowledge of decimals e.g. If I know 5 x 3 = 15 then $0.5 \times 3 = 1.5$ and 5 x 0 3 = 15 All of these facts link to ÷ 10 knowledge If I know 8 x 7 = 56 then $0.8 \times 7 = 5.6$ and $8 \times 07 = 56$ All of these facts link to ÷ 10 knowledge and 0.8 x 0.7 = 0.56 Practical ideas to help your child

It is really important that children are as confident with multiplication and division by 10 and 100, as this enables them to work with decimals.

Help your child to understand and remember the rules for x and \div by 10, 100 and 1000.

Rules:

When you multiply move the digits to the left, the number of zeros indicates how many places to move the digits e.g. x 10 move 1 place left, x 100 move 2 places left, x 1000 move 3 places left. When you divide, move the digits to the right, the number of zeros indicates how many places to move the digits e.g. \div 10 move 1 place right, \div 100 move 2 places right, \div 1000 move 3 places right.

Spring Term 2 : To multiply and divide whole and decimal numbers by 10, 100 and 1000

When you multiply by 10, 100 or 1000, the place value of the digits change. The number is getting greater so the digits move to the left.

<u>Multiply by IO</u>

When you multiply by 10 all the digits move one place to the left. 21 × 10 = 210



The tens digit moves to the hundreds. The ones digit increases in value to become a ten.

Why is there now a zero in the ones column?

You need to include a zero to represent the fact that now the other digits have increased in value. There are now no ones.

If you didn't include the zero in the ones, the number would still look like twenty-one, not two hundred and ten.

Multiply by 100

When you multiply by 100 move all the digits two places to the left. 21 \times 100 = 2100

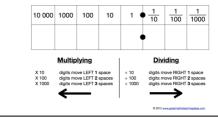


Multiply by 1000 What do you think will happen when you multiply by 1000? The digits move three places to the left. $21 \times 1000 = 21,000$



The same principle applies to decimal numbers:





If the place value of the digits increases and move to the left when multiplying, then it makes sense that the place value of the digits decreases and move to the right when dividing by a power of IO, since it is the inverse operation.

Dividing by 10

When you divide by 10 move the digits one place to the right. 210 \div 10 = 21



Since the digits have moved to the right, the zero also moves place value - it does not just disappear! The zero also moves to the right into the tenth's column after the decimal point. So you could write 21.0. But since there's nothing to show after the decimal point, we just don't write it.

Dividing by 100

When you divide by 100, move the digits two places to the right. 2100 \div 100 = 21

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 2
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 0
 1

Dividing by 1000

If you divide by 1000 move the digits three places to the right. 21,000 \div 1000 = 21



Vocabulary: Multiply place value move digits greater Divide smaller zero place holder increase decrease Thousands tens ones tenths hundredths thousandths decimal point Great program to use:

https://mathsframe.co.uk/en/resources/resource/60/itp-moving-digits 4127.3 × 10 = 41 273 10 - 10 - 10 - 100 -

