Streethay Primary School

## Year 4 Calculation Policy

## Main Principles

Scan QR codes to be directed to the MNP website with further information and videos.


## What is maths mastery?

Teaching maths for mastery is a transformational approach to maths teaching which stems from high performing Asian nations such as Singapore. When taught to master maths, children develop their mathematical fluency without resorting to rote learning and are able to solve non-routine maths problems without having to memorise procedures.

## Concrete, pictorial, abstract (CPA)

Concrete, pictorial, abstract (CPA) is a highly effective approach to teaching that develops a deep and sustainable understanding of maths. Developed by American psychologist, Jerome Bruner, the CPA approach is essential to maths teaching in Singapore.

## Number bonds

Number bonds are a way of showing how numbers can be combined or split up. They are used to reflect the 'part-part-whole' relationship of numbers.

## Bar modelling

The bar model method is a strategy used by children to visualise mathematical concepts and solve problems. The method is a way to represent a situation in a word problem, usually using rectangles.

## Fractions

In Singapore, the understanding of fractions is rooted in the Concrete, Pictorial, Abstract (CPA) model, where children use paper squares and strips to learn the link between the concrete and the abstract. At the heart of understanding fractions is the ability to understand that we're giving an equal part a name.
Year Group $\quad$ Topic/Strand

| Year Group | Topic/Strand | Representation | Key Idea |
| :---: | :---: | :---: | :---: |
| 4 | Estimating the sum | Start by estimating. $\begin{aligned} & 4188 \approx 4200 \\ & 3245 \approx 3200 \\ & 4200+3200=7400 \end{aligned}$ <br> The answer will $\text { be about } 7400 \text {. }$ | Estimation is introduced as an approach to start a calculation. Estimation is a skill that helps develop number sense. Pupils are expected to be able to decide if an answer is reasonable. Beginning a calculation with estimation is developed during the addition chapter. |
| 4 | Making 10 and making $100$ | $\begin{aligned} & \text { make } 10 \\ & 4072+8= \\ & 4072+8=4070+10 \\ & 4072+8=4080 \end{aligned} \quad \begin{aligned} & \text { make } 100 \\ & 97+5213= \\ & 97+5213=100+5210 \\ &=5310 \end{aligned}$ | A mental method that involves renaming numbers to make 10 or 100 before finding the sum. Pupils develop their number sense by recognising numbers close to a ten or close to a hundred and renaming a number in the equation to bring a number to the nearest 10 or nearest 100 without having to compensate the sum. |
| 4 | Adding using compensation | 1 Lulu used this method to find the sum of 3067 and 9 . <br> I know adding 9 is 1 $\left.\begin{array}{l} 3067+10=3077 \\ 3067+9=3076 \end{array}\right)^{1 \text { less }}$ less than adding 10. <br> 2 Ravi used this method to find the sum of 98 and 5262 . <br> I know adding 98 is 2 $\left.\begin{array}{l} 100+5262=5362 \\ 98+5262=5360 \end{array}\right)^{2 \text { less }}$ less than adding 100. | A mental method that uses a similar equation in which a number in the original calculation is shown to the nearest 10 or 100 before carrying out the calculation. This calculation is used to help find the sum of the original equation. |
| 4 | Adding fractions |  | Pupils use their understanding of adding the same noun when adding fractions with the same denominator. The adding of fractions uses equations and is supported through pictorial representation. Pupils use their understanding of equivalence to ensure denominators are the same before carrying out the addition. |



| Year Group | Topic/Strand | Representation | Key Idea |
| :---: | :---: | :---: | :---: |
| 4 | Part-part-whole |  | This is a mathematical structure that underpins all addition situations. Numbers can be understood in terms of their parts; understanding that the parts are part of a larger collection. The bar model is used as a representation of a problem that can be related to a part-whole addition situation. Pupils develop an understanding of the parts and the whole within an equation. |
| 4 | Place value counters | What is the difference between 432 and $119 ?$ <br> There are not enough ones. Rename 1 ten as 10 ones. | Place-value counters are used to represent subtraction situations. This transition from base 10 blocks relies on pupils understanding the value of each counter without being able to count its physical attributes. Pupils will have the opportunity to rename 1 counter to 10 counters with a value 10 times smaller in order to carry out a formal written method. The idea of decomposing at a rate of 10 should be well understood at this stage. |

## Progression in Subtraction -Year 4

Year Group $\quad$ Topic/Strand

| Year Group | Topic/Strand | Representation | Key Idea |
| :---: | :---: | :---: | :---: |
| 4 | Using addition to check subtraction |  | Pupils are encouraged to check subtraction calculations by adding the parts (the subtrahend and the difference) to ensure the sum is equal to the whole (the minuend). |
| 4 | Mental method | $3002-198=2804$ $3002-198=2802+2$ $200-198=2$ | Mental subtraction methods include partitioning the minuend to simplify the subtraction calculation. The approach shown is supported by an understanding of number bonds to 10 and to 100. |
|  | Subtracting fractions |  | Pupils use their understanding of subtracting the same nouns when subtracting fractions with the same denominator. The subtraction of fractions or finding the difference between fractions is supported through pictorial representation. Pupils use their understanding of equivalence to ensure denominators are the same before carrying out the subtractions. |



| Year Group | Topic/Strand | Representation | Key Idea |
| :---: | :---: | :---: | :---: |
| 4 | Multiplying by 11 and 12 using associated facts |  | Learning to multiply by 11 and 12 is supported by partitioning 11 and 12 and using the 10 times table as the basis for initial understanding, building towards immediate recall. |
| 4 | Fact families | $\begin{aligned} & 30 \div 6=5 \\ & 6 \times 5=30 \end{aligned}$ | Fact families are used in the introduction of division, represented using arrays to show the relationship between factors and a product. Pupils relate $6 \times 11=66$ to $66 \div 6=11$. They understand that multiplication can be used in division calculations. |
| 4 | Multiplying by 0 and 1 |  <br> 3 pots of 1 ruler <br> $3 \times 1=3$ <br> 3 empty pots $3 \times 0=0$ | Pupils initially use their understanding of 'groups of' to understand multiplying by zero. For example, $0 \times 4$ is read as 'There are zero groups of 4 '. Pupils' understanding then moves to read $0 \times 4$ as zero multiplied 4 times. The language is an extension of what they have already learned about multiplication. |


| Year Group | Topic/Strand | Representation | Key Idea |
| :---: | :---: | :---: | :---: |
| 4 | Commutativity | $3 \times 4$ is equal to $4 \times 3$. <br> $5 \times 2 \times 3=$ $\square$ $2 \times 3 \times 5=$ $\square$ | Arrays are used to support the understanding of commutativity. Pupils learn the pattern of $a \times b=b \times a$. Regardless of the order in which the factors are multiplied, the product remains the same. The commutative property is further developed through the multiplication of 3 numbers. 3 factors are multiplied in different orders and the product remains the same. |
| 4 | Multiplying multiples of 10 | 30 is equal to 3 tens. <br> $5 \times 3=15$ <br> $5 \times 3$ tens $=15$ tens <br> $10 \quad 10 \quad 10$ <br> $10 \quad 10 \quad 10$ <br> $10 \quad 10 \quad 10$ <br> $10 \quad 10 \quad 10$ <br> $10 \quad 10 \quad 10$ <br> $5 \times 30=150$ | Pupils learn to scale a product by a factor of 10 when multiplying a multiple of 10 . For example, we know $3 \times 4=12$, therefore the product of $30 \times 4$ is 10 times greater: $30 \times 4=120$. Naming the place value of the digit supports this approach and pupils relate a known fact to multiplying multiples of 10 . For example, we can read $30 \times 4$ as 3 tens $\times 4$. So, 3 tens $\times 4=12$ tens or 120 . We would expect pupils to generalise and see that $30 \times 4=3 \times 4 \times 10$. While this isn't formalised, this forms the basis of the distributive property of multiplication x ` |
| 4 | Formal written method |  | Pupils use formal written methods, short and long, to multiply a 2digit number by a 1-digit number. Initially the long method is used, showing the product of the multiplication of the ones, tens and hundreds, before adding the products to find the total. Pupils are shown the corresponding short formal written method so can make the links between the two procedures. Multiplication then moves from a 2-digit number by a 1-digit number to a 3-digit number by a 1-digit number. Pupils should be aware that even though the number of digits in one number increases, the procedure remains the same. |
Year Group
| Year Group | Topic/Strand | Representation | Key Idea |
| :---: | :---: | :---: | :---: |
| 4 | Word problems involving division | $\begin{aligned} & 6 \text { units } \longrightarrow £ 54 \\ & 1 \text { unit } \longrightarrow £ 54 \div 6=£ 9 \end{aligned}$ | Division word problems are supported by the use of arrays and bar models, reinforcing the idea of equal groups. Pupils relate the representations of the problems to the equations given. Comparison division models are also used to determine amounts when two separate amounts are compared. |
| 4 | Dividing by 1 |  | Pupils look for a pattern and generalise about dividing by 1 . They systematically work through dividing a single amount by 4, 3, 2 and finally 1 to make observations about the number of groups and the size of each group. |
| 4 | Dividing 2-digit numbers | Step 1$\mathbf{1 0}$ $\mathbf{1 0}$ 1 1 1 <br> $\mathbf{1 0}$ $\mathbf{1 0}$ 1 1 1 <br> 4 tens $\div 2=2$ tens $40 \div 2=20$ <br> Step 2 Divide 6 ones by 2. $2 \begin{array}{r} 23 \\ 46 \\ -40 \\ \hline 6 \end{array}$ <br> 6 ones $\div 2=3$ ones $6 \div 2=3$ $46 \div 2=23$ $\qquad$ | Pupils initially use place-value counters to support the division of 2-digit numbers, then move on to use a long formal written method. The long written method shows the systematic division of parts of the dividend resulting in the quotient. |
| Year Group | Topic/Strand |  | Representation |  |
| :---: | :---: | :---: | :---: | :---: |
| 4 | Dividing 3-digit <br> numbers | $306 \div 3=$ |  |  |

