

4.2.21

Arithmetic

1.  $\frac{4}{6} + \frac{2}{9}$

4.  $\frac{3}{4} + \frac{1}{5}$

2.  $\frac{4}{6} \times 3$

5.  $\frac{3}{6} - \frac{1}{4}$

3.  $\frac{4}{7} - \frac{2}{6}$

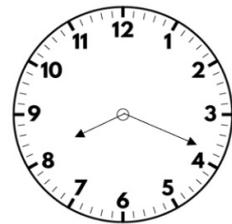
6.  $\frac{3}{7} \div 5$

FB4

**Flashback 4**

Year 6 | Week 5 | Day 1

- 1) 10% of a number is 40. What is the number?
- 2) Work out 50% of 120?
- 3) Multiply 4.36 by 100
- 4) Work out  $\frac{3}{4} + \frac{3}{5}$



# Problems of the Day

## Problems of the Day 2020

Day  
9

- 1 The cost of a pineapple is half the cost of a melon.



How much does the pineapple and melon cost altogether?

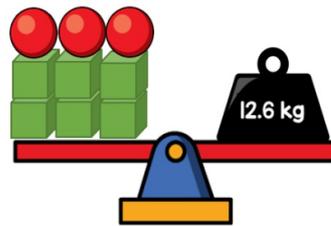
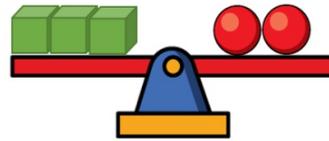
- 2 Tommy thinks of a number.

5 is a factor of my number



Does Tommy's number have to be odd? Explain your answer.

- 3 Gina balances some scales.



What is the mass of a cube?

White  
Rose  
Maths

## Forming expressions

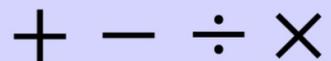
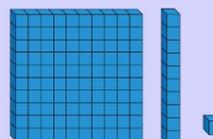
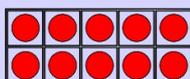
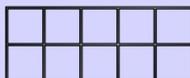
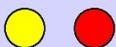
White  
Rose  
Maths

We can use letters to represent an unknown number.

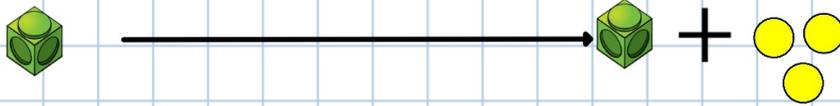
$$4 + ? = 5$$

Instead of using a ?, we can replace this with a letter.

$4 + a = 5$ , so 'a' must equal 1.



## Forming expressions

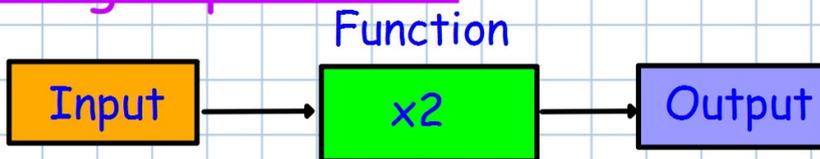


We can replace the cube with 'y'

$$y \longrightarrow y + 3$$

A toolbar containing various mathematical tools: a green cube, yellow and red circles, a 2x5 grid, a 2x5 grid of red circles, a blue 10x10 grid, a blue 1x10 grid, a small blue cube, and symbols for addition (+), subtraction (-), division (÷), multiplication (×), greater than (>), less than (<), and equals (=).

## Forming expressions



We can replace the cube with 'y'

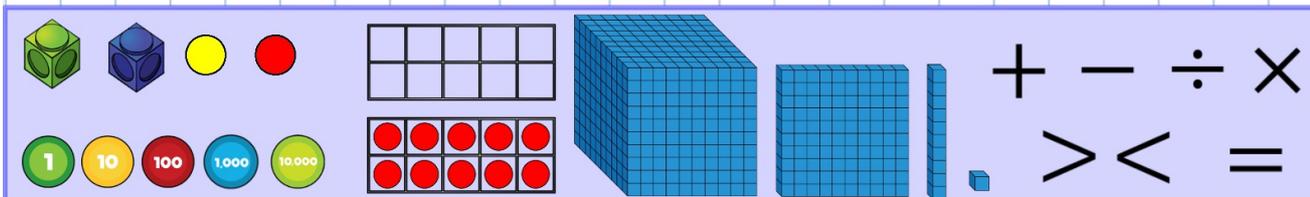
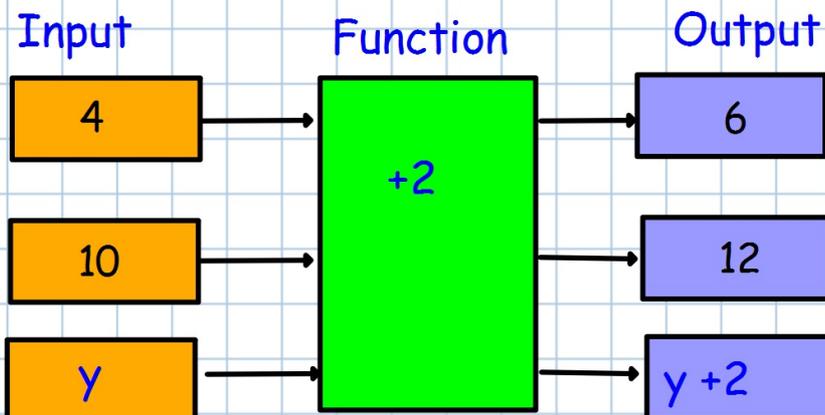
$$y \longrightarrow 2y$$

This means 2 lots of y or 2 x y

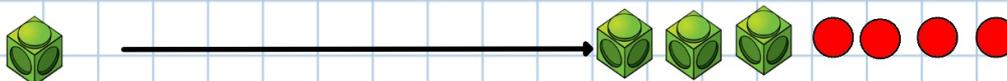
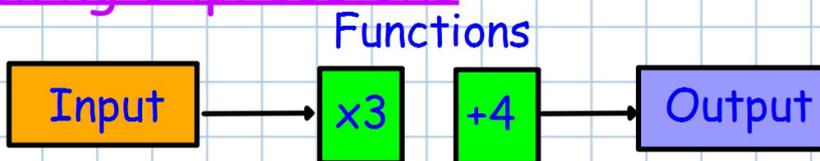
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# Forming expressions

We can use function machines to form algebraic expressions. If the input is a letter, we can carry out the function in the same way.



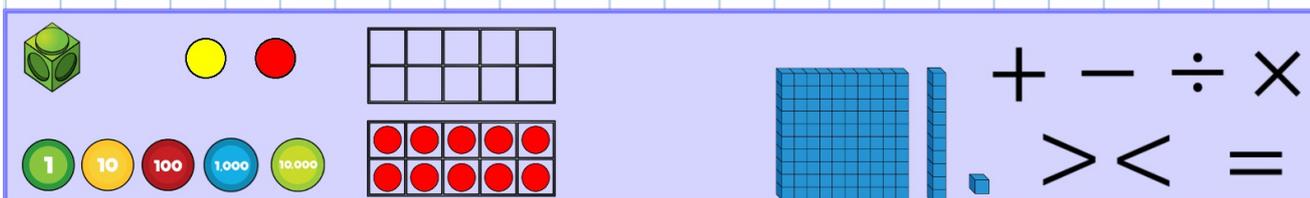
# Forming expressions



We can replace the cube with 'y'

$$y \longrightarrow 3y + 4$$

This means 3 lots of y or 3 x y



## Simplifying expressions

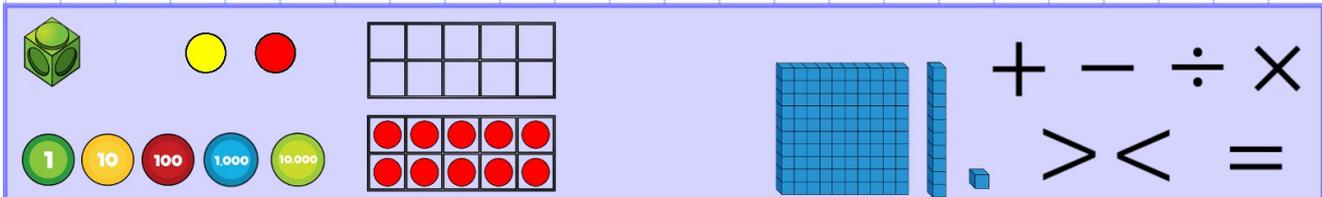
We can simplify the expressions that we are given or that we have recorded.



$$2y + 2 + y$$

$$3y + 2$$

We can add up all of the 'ys' that we have and then record the numbers



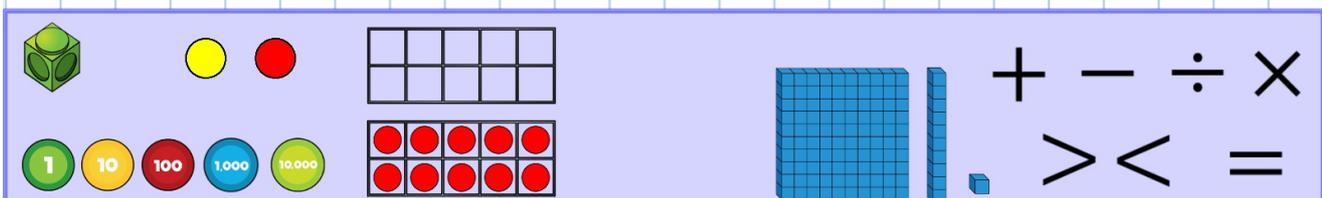
## Simplifying expressions

We can simplify any letter as long as they are the same letter

$$6a + 4a \longrightarrow 10a$$

We can't simplify this example below as they are different letters

$$3x + 2z \longrightarrow 3x + 2z$$



#### 4.2.21

#### Forming expressions

##### Vocabulary

- algebra
- function
- input
- output
- one-step
- two-step
- expression
- algebraic input

#### 4.2.21

#### Forming expressions

Today we are learning to form expressions using letters and numbers to explain an input and output.

I will be successful if:

- I identify the input and output (as algebraic expressions).
- I identify the effect of the function on the input.
- I can group 'like terms' e.g  $2+a = 3a$

4.2.21

## Plenary

True or False?

True or False?

Forming expressions

In the expression  $3y + 2$  the letter  $y$   
could represent any number.